

Term Analysis of the First Spectrum of Rhenium (Re I)

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With the aid of new data on wavelengths, intensities, and the Zeeman effect, the structural analysis of the first spectrum of rhenium (Re I) has been extended to include 2,764 lines that are explained as transitions among 282 atomic energy levels. This analysis accounts for 90 percent of the total observed intensity, although only 64 percent of the total number of lines has been classified. From the Zeeman effect, magnetic splitting factors have been derived for 75 percent of the levels, and nearly 40 percent of these have been grouped into designated spectral terms ascribed to specific configurations of electrons. The normal state of neutral Re atoms is $5d^5 6s^2 {}^6S_{23/2}$, and the ionization limit is approximately 63530 kaysers or 7.87 electron volts.

1. Introduction

For a quarter century the atomic emission spectra of rhenium have been investigated intermittently by several researchers, and now a full report on the present status of the analysis and interpretation of the first spectrum of rhenium (Re I) is presented in this paper.

In 1931 the first useful description (2500.59 to 8797.6 Å) and partial analysis of Re I was published by Meggers [1],³ who classified about 500 lines as combinations of 115 atomic energy levels, 24 of which were assigned spectral term symbols. In a second paper [2] the spectrum was extended to longer waves (10639.44 Å), and 5 additional metastable energy levels were reported. In 1947 the analysis of Re I was considerably extended by Klinkenberg [3] who used new data in the MIT Wavelength Tables [4], principally between 2500 and 2000 Å, and increased the number of levels to 172 and the number of classified lines to 1,171. In a second paper [5], he increased the number of levels to 221, the number of classified lines to 1,624, and identified many terms (of even parity) with electron configurations. Since 1946 Velasco has also worked independently on Re I; in 1949 he [6] pointed out some discrepancies between his levels and Klinkenberg's, and in 1952 he [7] reported measurements between 2000 and 1500 Å, revised some levels reported by Meggers [1], classified about 150 lines with 29 new levels, and correlated many spectral terms (even and odd) with electron configurations.

The above mentioned contributions to the interpretation of Re I were all made without the benefit of Zeeman effect; they were based entirely on wave numbers and intensities, and were guided by comparisons with other analyzed spectra, and by quantum theoretical predictions. In order to make further progress with the analysis of Re I it was felt necessary to make new descriptions of the arc and spark spectra of rhenium and to investigate the Zeeman effect.

A new description of the arc and spark spectra of rhenium was supplied by Meggers [8], who used solid electrodes of pure rhenium and obtained wave-

lengths and intensities for approximately 6,000 lines of which about 4,200 were assigned to Re I. These data, supplemented by those of Velasco [7] from arc spectrograms made by Catalán with a vacuum spectrograph at Princeton University, comprise an improved list of Re I lines ranging in wavelength from about 1700 Å in the extreme ultraviolet to 12000 Å, the photographic limit in the infrared. This list was used by Klinkenberg in making this final attack on the Re I spectrum; new levels were found and the relative values of all atomic energy levels were recalculated.

The splitting of spectral lines by magnetic fields (Zeeman effect) is extremely useful in analyses of complex spectra because it reveals (by the number of components) the inner-quantum numbers (J) of both levels, and often identifies (by the splitting factors, g) the term types (L) and multiplicities (r). At the Massachusetts Institute of Technology the Bitter magnet [9] was constructed and operated for this purpose, and the MIT wavelength project [10] included Zeeman spectrograms of rhenium. These spectrograms were made just before World War II and during the war years they were in the possession of graduate students who had no opportunity to measure and interpret them. They were finally loaned to the National Bureau of Standards where they were examined and stored. In 1949, through the courtesy of G. R. Harrison, Meggers made greatly superior Zeeman spectrograms of rhenium in the Spectroscopy Laboratory at MIT. These were hand-measured at the Bureau, the wavelengths of Zeeman components were computed, and some resolved patterns gave a start on the analysis of Re II in 1950. At that time the record books were turned over to Catalán and Velasco, who fully exploited the Zeeman data for the determination of J -values and calculation of g -factors for energy levels in the first two spectra of rhenium, Re I and Re II. A preliminary report [11] on these results indicated that g -values had been derived for 164 Re I levels, and for 39 Re II levels. The combined efforts of three research groups in accumulating and analyzing spectral data for Re I have improved and extended the analysis to include 2764 classified lines arising from permitted transitions among 51 low even, 20 high even, and 211 middle odd levels, with g -values evaluated for 75 percent of all levels.

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³ Figures in brackets indicate the literature references on page 326.

The details concerning established levels and classified lines are presented in tables below, and are followed by a discussion of the experimental and theoretical structure of the Re I spectrum.

2. Atomic Energy Levels of Re I

Before this analysis could proceed it was necessary to convert the newly measured wavelengths to vacuum wave numbers, and for this purpose the Edlén formula for the dispersion of standard air [12] was used as recommended in 1952 by the Joint Commission for Spectroscopy [13]. Then all previously discovered atomic energy levels of Re I were recalculated with the new data so that old and new levels would be consistent. Many new lines in the list could be immediately classified as transitions between known levels, and nearly all levels adopted previously [3,5] were confirmed. The exceptions are $3341_{1/2}$, $3389_{1/2}$, $3481_{5/2}$, $3575_{1/2}$, $3641_{5/2}$, $3801_{1/2}$, $3955_{9/2}$, $5366_{7/2}$, $5626_{1/2}$, and $5829_{11/2}$, four of which had been characterized as questionable before [5]. All the rejected levels belong to the odd group. The analysis was continued with the remaining unclassified Re I lines with the result that 12 low even levels, 3 high even levels, and 46 odd levels could be added to those previously found; they are reported for the first time in this paper. In addition, 11 of the odd levels proposed by Velasco [7], and 8 qualified as provisional by Klinkenberg [5], have been confirmed. The total number of established atomic energy levels resulting from this analysis of the Re I spectrum is now 282 which is the sum of 51 low even, 20 high even, and 211 odd levels. These energy levels are listed in table 1 in which successive columns display an abbreviated designation, the level value (in $K = \text{cm}^{-1}$), the inner quantum number J , the magnetic splitting factor g , and the origin of the level. The abridged designation of levels is according to the system adopted by Klinkenberg [3] in 1947: "The odd and high even levels are given by the first 4 digits, the ground levels (which are more widely spaced) by the first 3 digits; however where ambiguities occur an alteration by one or more units of the last figure is allowed. The odd terms are printed in italics".

The J -values have been fixed either by the Zeeman effect or by the combinations, and a number of the J -values in earlier papers have been corrected in this analysis: for level 261 the value $5/2$ has been changed to $3/2$; for level 278, $5/2$ to $3/2$; for level 3991, $9/2$ to $11/2$; for level 4081, $3/2$ to $1/2$; for level 4614, $3/2$ to $1/2$; for level 4637, $11/2$ to $9/2$; for level 5097, $3/2$ to $5/2$; for level 5221, $3/2?$ to $5/2$; and for level 5482, $3/2$ to $5/2$. An important contribution of the Zeeman effect has been the *absolute* determination of the J -values of the levels for lines whose magnetic splitting has been completely observed and resolved. In all previous analyses of the Re I spectrum the J -values were assumed to be those required by theory for the identified terms and the remainder were then derived from the level combinations according to the selection rule that $\Delta J = 0$ or ± 1 for permitted transitions.

The Zeeman-effect spectrograms were made with magnetic field intensity of 81,000 oersteds, the field intensity being determined from the splitting of impurity lines of Ag, Cu, Mg, and Ca. Their measurement was complicated by hyperfine structures, and by dissymmetries usually due to partial Paschen-Back effect. These difficulties are illustrated respectively in the two small samples of Re I spectra reproduced in figure 1. The upper strip of spectrum shows the resonance lines $^6S-^6P^{\circ}$; the Zeeman components are complex and wide with hyperfine structure except when the magnetic quantum number is $1/2$. The lower strip displays a portion of the Re I spectrum in which most Zeeman patterns are so badly perturbed that they cannot be interpreted without great difficulty. When the classification of these lines is examined in table 2 it is obvious that the asymmetrical Zeeman patterns arise from strong Paschen-Back interaction of the closely spaced even levels designated as $5097_{5/2}$, $5098_{7/2}$, $5099_{9/2}$ and $5103_{3/2}$, $5104_{5/2}$, $5105_{1/2}$. Often even fully resolved, symmetrical Zeeman patterns of Re lines are not easy to interpret (apart from J -values) because the splitting factors (g) usually depart more or less from Landé values. In fact these g -factors prove that besides configuration interaction the electron coupling in Re is neither LS nor JJ , but usually intermediate; this will be discussed in connection with spectral term designations. A few of the levels in table 1 have two g -values owing to incomplete observations of the Zeeman patterns; in these cases the second possible value of g is given in parentheses. Magnetic splitting factors, g , are now known for more than 75 percent of all known levels of Re I.

In table 1 the column headed "Origin" shows where levels previously known have been reported for the first time, according to the code explained at the end of that table. This gives a view of the progress from 1931 to 1956 in searching for atomic energy levels in the first spectrum of rhenium. Finally figure 2 gives a survey of the positions of presently known Re I energy levels grouped according to J -values.

3. Spectral Lines of Re I

Attempts to describe the spectra of rhenium, including the magnetic splitting (Zeeman effect), are plagued by relatively coarse hyperfine structure exhibited by most of the lines, many of which have 6 components (see fig. 1). This makes it difficult to estimate relative intensities and in some cases hyperfine structure is easily mistaken for fine structure. For lines that show flag patterns a mean wavelength was recorded, but when hyperfine components appear as two lines or groups of lines it is impossible to distinguish them from close fine structures. A good example of the latter are the two close levels 27384.40 and 27385.20 K, both having $J = \frac{1}{2}$, which are retained in tables 1 and 2 as individual atomic energy levels although there is evidence that they are hyperfine levels. Another example is $44703.37_{5/2}$ whose combinations are

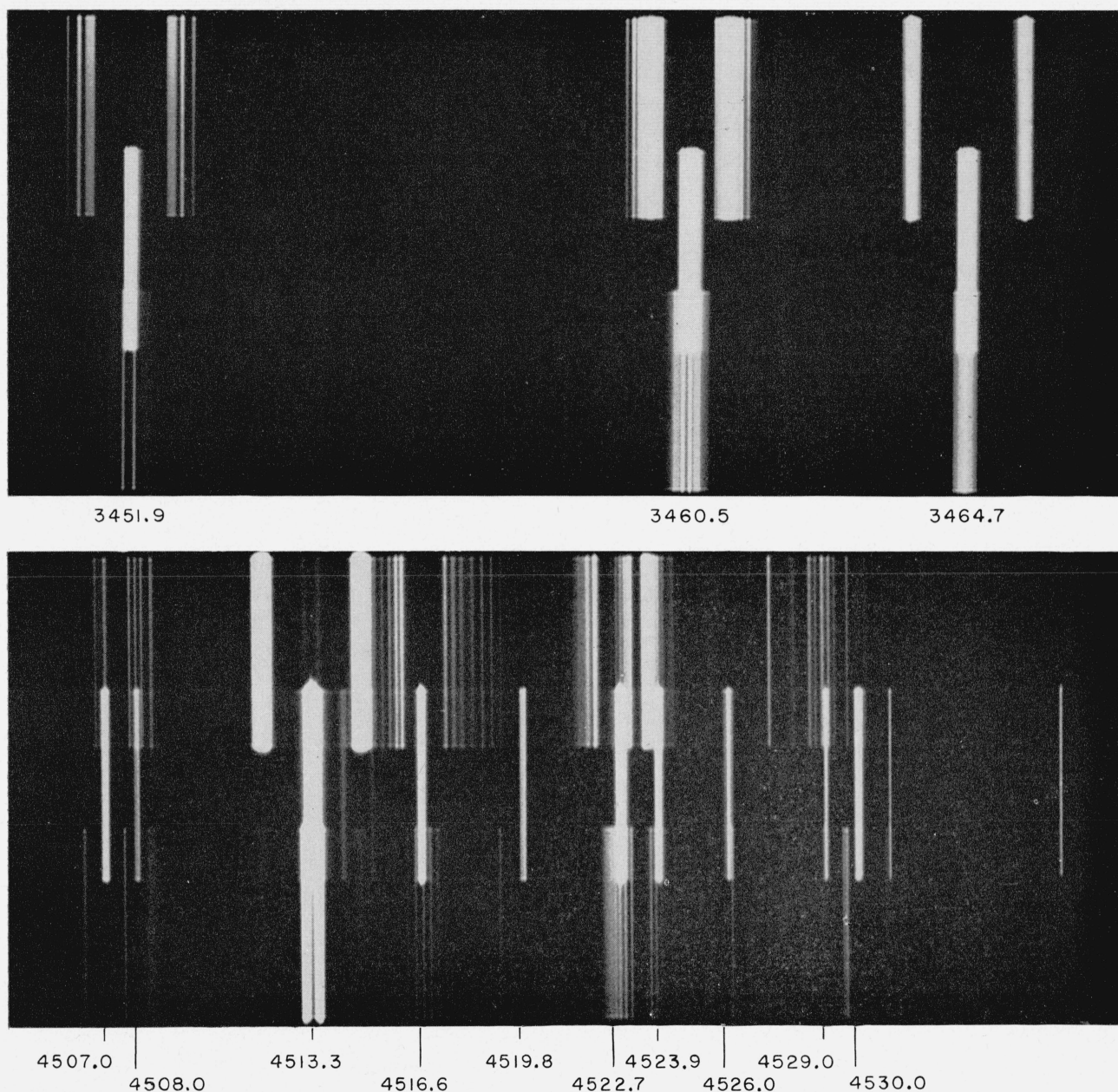


FIGURE 1. Zeeman patterns of Re I lines at 81,000 oersteds.

Upper: σ components—perpendicular polarization.
 Center: Arc spectrum without magnetic field.
 Lower: π components—parallel polarization.
 Numbers: Wavelengths of Re I lines in angstroms.

usually observed as widened doublets which possibly represent perturbed or mutilated hyperfine multiplets (see note 28 at end of table 2). Several combinations of level $15165.89_{1/2}$ are double (4394, 4417, 4565 Å) but this seems to be caused by the involved odd levels, because most combinations of $151_{1/2}$ are single (see note 24 at end of table 2). As compensation for the complication introduced by hyperfine structure it may be said that the width and shading of flag patterns confirm this analysis qualitatively and

have aided in the assignment of levels to electron configurations and term groups. Detailed proof of this statement is omitted in this paper which deals primarily with fine structure and therefore ignores hyperfine structure (excepting the complications mentioned above). Information about the resolution, width, and shading of flag patterns in rhenium spectra is given in Meggers' recent description of these spectra [8] which provided most of the material for this analysis.

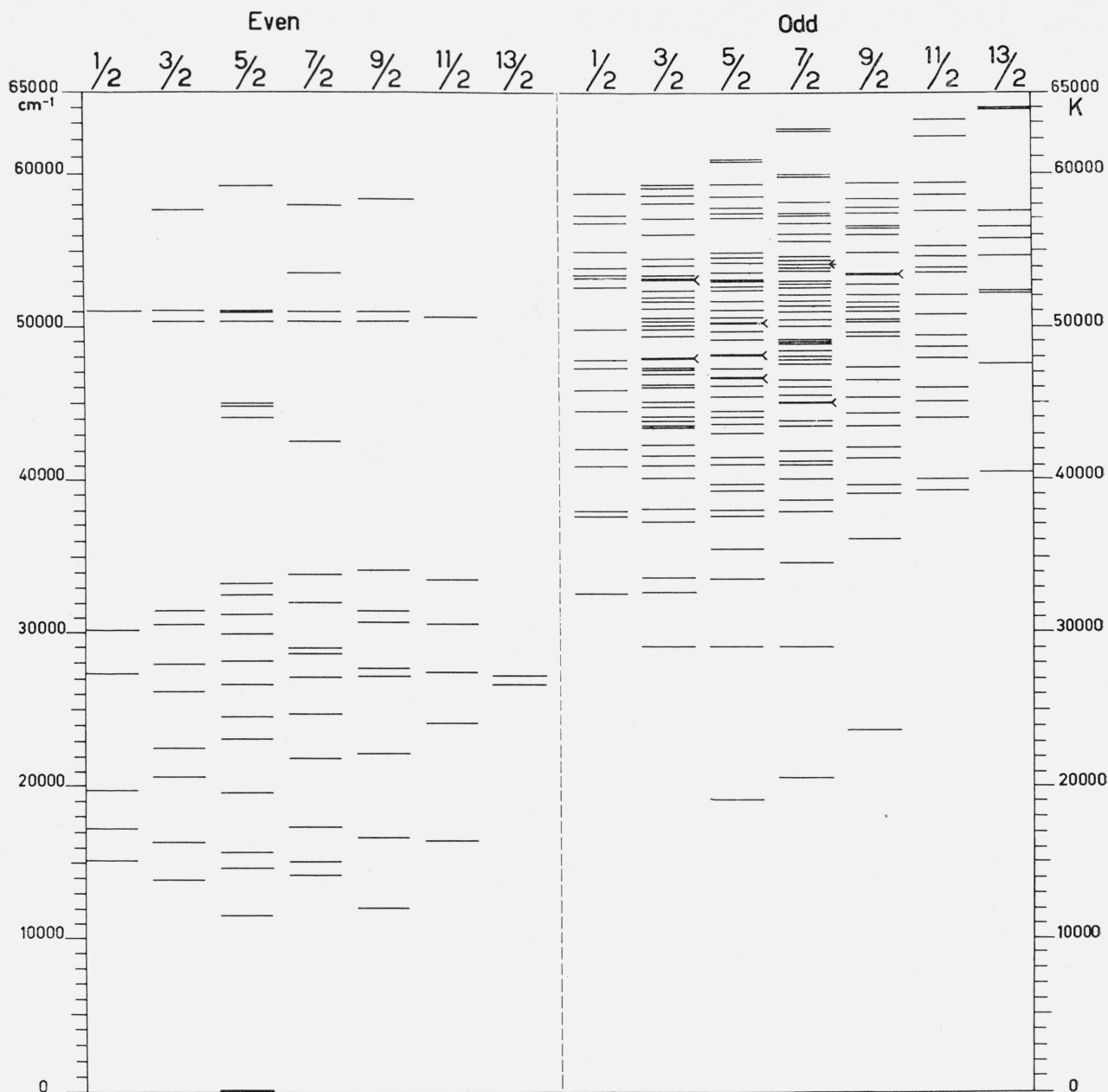


FIGURE 2. *Energy-level diagram of Re I.*

Abcissae: J -values $\frac{M}{2}$
 Ordinates: kaysers, $1\text{ K} = 1\text{ cm}^{-1}$

Table 2 contains all relevant data on the classified lines of Re I, including estimated relative intensities, measured wavelengths, derived vacuum wave numbers, observed Zeeman patterns, transitions between designated atomic energy levels, differences between wave numbers derived from measured wavelengths and those calculated from atomic energy levels, and notes that are appended to the table.

In table 2, column 4, the observed displacements of magnetic components are given in Lorentz units,

the π components being inclosed by parentheses and followed by the σ components. When there are more than one component of either type the strongest is shown in bold face. Many unresolved Zeeman patterns are accompanied by letters A, B, C, or D which were adopted for conveniently indicating standard types according to Back and Landé [14]. The letter A means that the strongest π components have the greatest displacement whereas the displacement of the strongest σ components is the

average of all. B means that the strongest π components are least and the strongest σ components most displaced. C indicates that the strongest π and σ are both least displaced. The letter D applies to relatively weak lines for which no σ components were observed, so that it is impossible to distinguish between types B and C. A dagger (\dagger) means that the pattern is unsymmetrical, and an asterisk (*) that the observed Zeeman pattern belongs to a Re II line. P-B indicates that a perturbation of Paschen-Back type has been observed.

The total number of classified lines of Re I in the region 1700 to 12000 Å is now 2,764. Of these 116 are doubly and 5 are trebly classified, because the resolving power was inadequate to separate them. There are 6 cases where two observed lines have been classified as one transition, because the doubling is believed to be caused by perturbed hyperfine structures. Thus for some purposes the employed resolving power was too small and for others it was too large. Some of the complications that arose on account of hyperfine structure were mentioned in the preceding section.

A few lines classified as Re I were observed only on spark spectrograms measured in the Zeeman laboratory. Some of these have also been classified as Re II lines, and in these complex spectra it is certainly probable that occasionally Re I and Re II lines coincide within the limits of spectrographic resolving power employed. In any case such lines appearing in table 2 represent permitted transitions between established energy levels of Re I within reasonable limits of tolerance for these transitions.

Excepting lines of very short wavelengths, near 2000 Å for which an error of 0.01 Å corresponds to 0.25 K, the difference between observed and calculated wave number (O-C in table 2) of classified Re I lines rarely exceeds 0.3 K. For 563 lines in table 2 this difference is naught; for the remainder it is ± 0.06 K and for the total number the average difference is ± 0.05 K. Recalling that on account of hyperfine structure many Re lines have widths of the order of 2 K, this small average departure of calculated from observed wave number of classified Re I must be regarded as satisfactory; it gives assurance that the mean wavelength of the wide lines is very near the actual center of gravity.

In the recent description of the arc spectrum of rhenium by Meggers [8] there are 4,143 lines that may be ascribed to Re I. Of these 2,660 are classified in this analysis (table 2). Although this number of classified Re I lines is only 64 percent of the total number it accounts for 90 percent of the total observed intensity. The remaining unclassified lines, with few exceptions, are of low intensity, between 40 and 1. This is obvious from table 3 which lists all the unclassified Re I lines having intensity 50 or more. Only two of these are visible; the remainder are all in the ultraviolet short of 3000 Å. This suggests that some high energy levels of Re I are still unknown, and that further progress in the analysis of this spectrum might be made if an improved description in the extreme ultraviolet could be obtained.

4. Interpretation of the Re I Levels

Previous interpretations [1, 2, 3, 5, 6, 7] of certain Re I levels were made without the aid of Zeeman effect; they were guided by the simple interval and intensity rules of multiplet structure and by comparison with the known terms of Mn I. Now despite the large number of observed Zeeman patterns and computed g -factors, there are still only relatively few Re I levels that can be interpreted with certainty; 61 percent (171 out of 282) of the established levels must be characterized as "miscellaneous". However, compared with the earlier identifications, definite progress has resulted from the Zeeman-effect data despite many departures of g -factors from the Landé values associated with conventional spectral-term notation. We are pleased to report that most of the previous interpretations have been confirmed by the g -factors found, even those of $d^5 s^2$ 4P which had been questioned [6]. The Re I levels, terms, and interpretations are displayed in table 4.

Because manganese, technetium, and rhenium are homologous chemical elements their spectra are bound to show similarities. Indeed, such similarities, when first discovered in Re and Tc, were regarded as proof that these elements are really homologs of Mn. In each case the spectra are highly complex because there are 7 optical electrons, and spectral terms of 4 different multiplicities (doublets, quartets, sextets, and octets) occur. Because the d -shell of electrons is usually half (or more) filled the terms are partly regular, partly inverted, and sometimes partially inverted. The principal differences between the three spectra, in general, are exhibited by larger term intervals for heavier atoms, and by the relative stability of various configurations of electrons.

In general, the structure of the low even system of Re I is comparable to that of Mn I [15]. The relative positions of the Re I lowest terms from $d^5 s^2$ and $d^6 s$ are very similar to those of Mn I, and quite different from those of Tc I [16]. However, in Re I the terms from $d^5 s^2$ are somewhat better known than in Mn I. This is due partly to the fact that inter-system combinations are much stronger in Re I because of departures from LS coupling, so that many doublet levels could be found in Re I that were unknown in Mn I. The second reason is that the mutual electrostatic interactions in Re I are rather different from those in Mn I. This is immediately obvious from the fact that in the $d^5 s^2$ configuration 4P is below 4G in Re I, whereas the opposite obtains in Mn I. When taking this into account one finds from theoretical consideration [17] that the doublet terms should be depressed with respect to the quartets in Re I as compared with Mn I. An analogous situation exists in the spectra of W I versus Cr I.

The same $d^6 s$ terms are found in Re I and Mn I excepting two doublets above 38000 K in the latter. The new $13/2$ level 270 in Re I has much stronger combinations than the previously found $13/2$ level 263 that was interpreted [5] as 4H . This, and the fact that the new level had a g -value much nearer to the Landé value for $^4H_{13/2}$ led us to identify level

270 as $(5d^6 6s)^4H_{13/2}$. This is certainly the most plausible interpretation because there are only three $13/2$ levels anticipated in the low even system, namely $d^5 s^2 {}^2I_{13/2}$, $d^6 s {}^4H_{13/2}$, and $d^6 s {}^2I_{13/2}$. The lower level 263 is readily explained as the first 2I whereas the other 2I presumably lies too high to be detected. In view of recent progress with the analysis of Mn I [15] the earlier interpretation [5] of four Re I levels above 22000 K as $5d^7 {}^4F$ cannot be maintained; it is concluded that no d^7 levels have been found in Re I. In fact all the known low even levels of Re I have been assigned to $d^5 s^2$ or $d^6 s$. Besides the identifications mentioned above, additional assignments of conventional term symbols have been suggested by R. E. Trees, who calculated approximately the relative positions of known and anticipated spectral terms; these calculations will be reported in a separate paper by Trees.

A brief discussion of the Re I level $273_{1/2}$ seems justified because of the trouble caused by hyperfine structure. At first two levels were detected at nearly the same value, viz., 27384.40 and 27385.20 K. Generally these combined with the same odd levels, thus yielding 10 pairs of very close lines of comparable intensities. In three more cases only a somewhat broadened line was observed with a wave number intermediate between the calculated values. In some other cases only the transition to $273'$ or $273''$ was present and because $273''$ had two combinations with odd $5/2$ levels while $273'$ had none, the latter was regarded as a $1/2$ level and the former as a $3/2$, with the possible interpretations $d^6 s {}^4P_{1/2}$ and $d^5 s^2 {}^4D_{3/2}$. All the lines involved were relatively weak. For $273''$ no Zeeman-effect measurements were available, but for $273'$ there was a measurement of two π components of 4369.64 Å ($273'_{1/2}-5026_{3/2}$). This splitting pointed to a g -value of either 2.396 or 0.072, the first being compatible with the interpretation of $273'$ as ${}^4P_{1/2}$ and the second with ${}^4D_{1/2}$. Upon remeasurement of the Zeeman spectrogram the two π components were found to be symmetrical around the wavelength 4369.70 Å, just the average of the wavelengths 4369.64 and 4369.77 Å reported [8] for Re I. Hence we must conclude that these lines are hyperfine structure components of one and the same transition and that $273'$ and $273''$ are hyperfine structure sublevels of one electronic level having $J=1/2$. In tables 1 and 2, it was found practical to retain the notation $273'$ and $273''$, but in table 4 a single level 27384.80 K is interpreted as $d^6 s {}^4D_{1/2}$.

The departures of the observed g -factors from their Landé values are often very large but in opposite directions, so that the g -sums are not very irregular even when some levels of the same J -value are not known. There are a few instances of g -sharing which suggest a strong mutual perturbation of two levels with exclusion of the rest. The most conspicuous example is $d^5 s^2 {}^4G_{7/2}$ (with $\Delta g=+0.17$) and $d^6 s {}^4D_{7/2}$ (with $\Delta g=-0.17$). Furthermore, we have the two levels $d^6 s {}^6D_{1/2}$ ($\Delta g=-0.81$) and $(d^6 s) {}^4D_{1/2}$ ($\Delta g=+0.98$). Also two levels with $J=13/2$ have opposite but equal g -departures ($d^5 s^2 {}^2I_{13/2}$

has $\Delta g=+0.02$ and $d^6 s {}^4H_{13/2}$ has $\Delta g=-0.02$), so that the remaining unknown $13/2$ level ($d^6 s {}^2I_{13/2}$) should have a normal g -factor. Attention was called [11] to large negative deviations of g -values for Re I terms that converge to $d^5 s {}^5S_2$ in Re II, which lacks 0.29 Lorentz unit from Landé value for that term. The present data are insufficient to test the sum rule for g -values of any configuration in Re I.

The first identifications in the low even system served as a basis for the interpretation of a number of odd levels by means of the observed intensities of the combinations. When g -values became available these identifications could be extended, and verified by comparison with the parent structure of Re II. For example the low ${}^6G^\circ$ from $d^5 s ({}^6G)6p$ of Re I was not expected where found, but it is confirmed by the low 5G from $d^5 s$ found in Re II by Meggers, Catalán, and Sales [18].

From comparison of the transitions $d^4 s {}^6D_{9/2}-d^4 p {}^6F^\circ_{11/2}$ in V I, Nb I, and Ta I, and $(d^6 s) {}^6D_{9/2}-d^6 p {}^6F^\circ_{11/2}$ in Mn I and Tc I, it could be inferred that the corresponding transition in Re I should have a wave number of about 35000 K. In agreement herewith $d^6 p {}^6F^\circ_{11/2}$ has been located in Re I at 45082.63 K, and the line in question at 33328.06 K. Beyond completing this ${}^6F^\circ$ term no further identifications in the $d^6 p$ configuration of Re I have been attempted. Excepting $d^5 sp {}^8P^\circ$ and ${}^6P^\circ$ the low odd terms of Re I belong to $d^4 s^2 p$. The terms 6D and 6F derived from the parent term $d^4 s^2 {}^5D$ of Re II (which is about 14000 K above the ground state $d^5 ({}^6S)s {}^7S$) have been identified. In accordance with this assignment the levels with small J -values are the lower ones, whereas the terms derived from $d^6 {}^5D$ should be inverted, as they are.

Seventeen high even levels of Re I could readily be interpreted in connection with the known low Re II levels [18]. The previous interpretation [3] of level $5097_{3/2}$ as $d^5 s ({}^7S)d {}^6D$ has been abandoned. The levels $5103_{3/2}$ and $5104_{3/2}$ turned out to belong to one multiple term because they show partial Paschen-Back effects of transitions to the same odd level. The grouping of nearby levels with proper J -values led to recognition of the partially inverted term designated $e {}^6D$. Both $e {}^6D$ and $e {}^8D$ have small intervals because their series limit is a 7S in Re II, and the available g -factors confirm the designations. The former interpretation [5] of level $5766_{3/2}$ was changed because the lower 5D in Re II was assigned [18] to $d^4 s^2$ instead of d^6 . In the course of this analysis of Re I we succeeded in supplementing this $3/2$ level with $5/2$, $7/2$, and $9/2$ to form the term designated as $f {}^6D$, with only the $1/2$ level still lacking. These interpretations are supported by the observed intensities of the transitions to the odd levels which are displayed in figure 3, where the observed intensity is roughly represented by the size of the black circle, and shaded circles indicate outstanding intensities. The most striking feature of figure 3 is that the levels of $d^5 s ({}^5D)s {}^6D$ combine much more strongly with the higher odd 6D than with the lower one. The explanation is that the former transitions (to $d^5 s ({}^5P)p {}^6D$) require only one electron jump (p to s), whereas the latter transitions (to $d^4 s^2 ({}^5D)p {}^6D$)

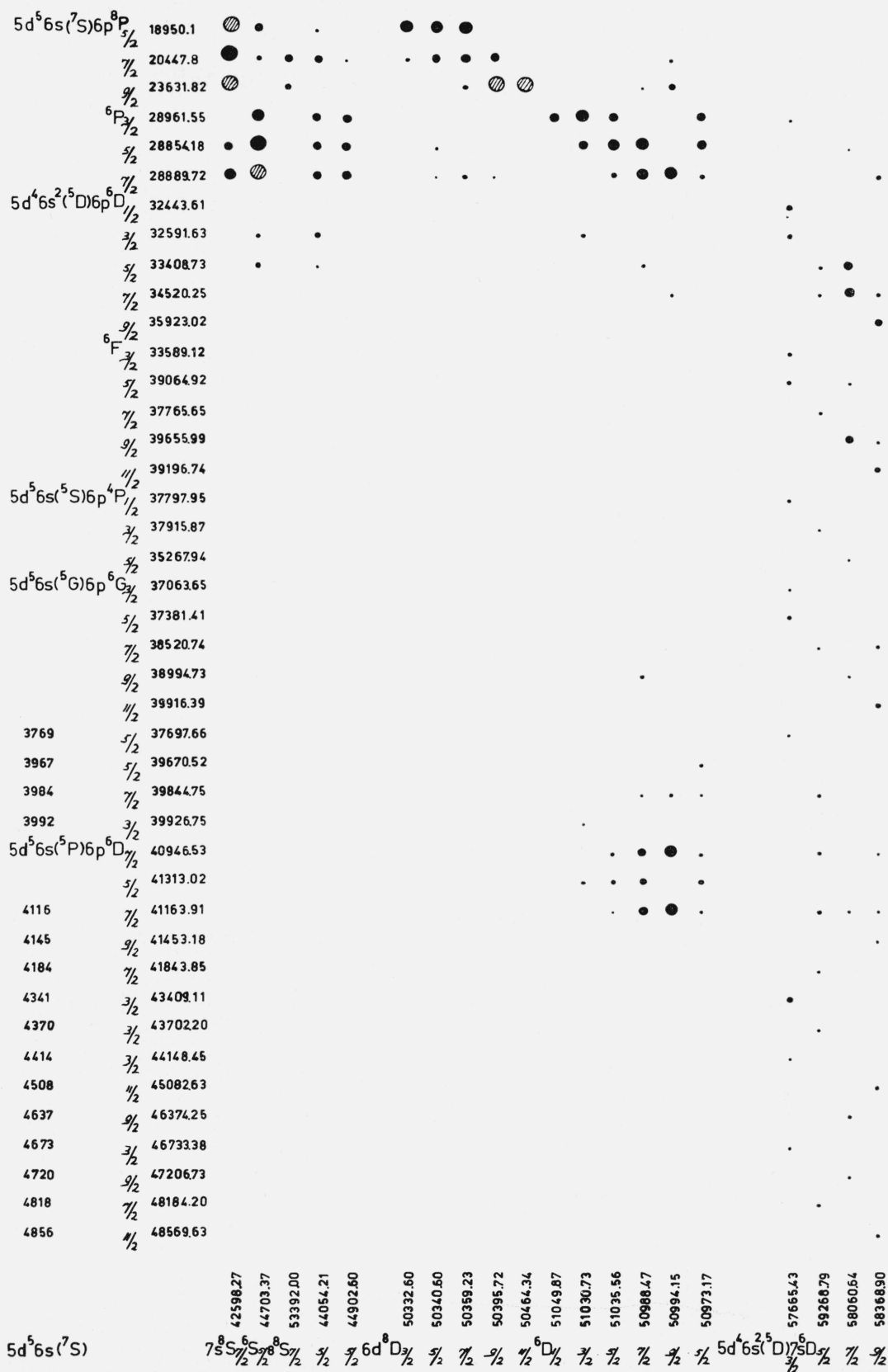


FIGURE 3. Line intensities of transitions between Re I levels.

involve a simultaneous jump of two electrons (p to s and s to d).

In the high even group of Re I there are two $5/2$ levels the parent terms of which should be very low in Re II, but are still unknown. The Re I levels in question have values 44054.21 and 44902.60 K; they are well established (see fig. 3) but without g -factors. These levels suggest the existence of Re II levels between 0 and 13777 K, for which supposition there is no further evidence except that $d^6\ ^5D$ is still unknown. Another unidentified high even level in Re I is at 50973.17 K, but in this energy range there are more possibilities, and this lone level is left as an invitation to further analysis and interpretation.

In his first paper Meggers [1] derived from two 8S terms in series a spectroscopic convergence limit of 63530 K for Re I. In his second paper Klinkenberg [5] derived from two 6S terms a Rydberg-series limit of 65560 K, which he regarded as an upper limit because the proper correction is unknown. If the Rydberg denominator deviates only 0.04 from unity this limit would be reduced to 63000 K. Because there is at present no further information on spectral series in Re I the original limit is accepted, and the ionization potential remains near 7.87 electron volts.

The present description and interpretation of Re I has been a long and difficult task; it is still far from satisfactory or complete but may require additional experimental and theoretical study before it can be continued. This analysis has been pushed to its

present state primarily so that table 4 could be reproduced in Volume III of Atomic Energy Levels [19], where detailed comparisons with other tables may give inspiration for further progress in the quantum interpretation of complex atomic spectra.

5. References

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TABLE 1. Energy levels of the Re atom

Designation	Value	J	g	Origin	Designation	Value	J	g	Origin
LOW EVEN GROUP									
0	0.00	5/2	1.950	M 31	266	26661.43	5/2	1.32	K 47
115	11583.96	5/2	1.278	M 31	270	27130.14	13/2	1.20 _s	-----
117	11754.52	9/2	1.545	M 31	271	27141.13	7/2	1.34	M 33
138	13826.12	3/2	1.485	M 31	272	27161.35	9/2	-----	K 47
142	14216.86	7/2	1.567	M 31	273	27243.88	11/2	1.18	K 48
146	14621.46	5/2	1.151	M 31	273'	27384.40	1/2	2.396 (0.072)	-----
150	15058.19	7/2	1.153	M 31	273''	27385.20	1/2	-----	-----
151	15165.89	1/2	2.368	K 47	275	27514.31	9/2	1.13	K 47
157	15770.42	5/2	1.309	M 31	278	27827.65	3/2	0.888	K 48
163	16307.15	11/2	1.242	M 31	280	28030.32	5/2	1.12	K 48
164	16327.51	3/2	1.706	M 31	285	28542.13	7/2	-----	K 48
166	16619.28	9/2	1.175	M 31	288	28809.87	7/2	0.93 (1.44)	-----
172	17238.30	1/2	2.521	M 31	298	29800.38	5/2	~1.17	K 48
173	17330.82	7/2	1.255	M 31	301	30131.57	1/2	-----	K 48
194	19457.89	5/2	1.361	M 33	304	30526.60	3/2	-----	-----
197	19757.91	1/2	0.983	K 47	305	30559.91	11/2	1.07	-----
204	20481.73	3/2	1.451	K 47	306	30645.33	9/2	-----	K 48
217	21775.40	7/2	1.135	M 31	311	31186.08	5/2	1.17?	-----
221	22160.04	9/2	1.198	K 47	313	31399.30	9/2	-----	K 48
224	22422.83	3/2	0.781	K 47	314	31460.62	3/2	-----	K 48
231	23154.81	5/2	1.189	M 33	319	31982.99	7/2	-----	K 48
239	23956.00	11/2	0.995	K 47	324	32435.14	5/2	-----	-----
244	24425.40	5/2	1.067	K 47	332	33281.65	5/2	-----	-----
247	24724.22	7/2	1.03	M 33	333	33317.57	11/2	-----	-----
261	26131.57	3/2	0.650	M 33	338	33823.66	7/2	-----	-----
263	26348.96	13/2	1.100	K 48	341	34194.27	9/2	-----	-----

TABLE 1. *Energy levels of the Re atom—Continued*

Designation	Value	<i>J</i>	<i>g</i>	Origin	Designation	Value	<i>J</i>	<i>g</i>	Origin
HIGH EVEN GROUP									
4259	42598. 27	7/2	1. 957	M 31	5098	50988. 47	7/2	1. 558	M 31
4405	44054. 21	5/2	-----	M 31	5099	50994. 15	9/2	1. 548	M 31
4470	44703. 37	5/2	1. 866	M 31	5103	51030. 73	3/2	-----	M 31
4491	44902. 60	5/2	-----	M 31	5104	51035. 56	5/2	1. 546	M 31
5033	50332. 60	3/2	-----	M 31	5105	51049. 87	1/2	-----	C 53
5034	50340. 62	5/2	2. 027	M 31	5339	53392. 00	7/2	-----	M 31
5035	50359. 23	7/2	1. 820	M 31	5766	57665. 43	3/2	-----	K 48
5039	50395. 72	9/2	1. 690	M 31	5806	58060. 64	7/2	-----	-----
5047	50464. 34	11/2	1. 629	M 31	5836	58368. 90	9/2	-----	-----
5097	50973. 17	5/2	1. 489	M 31	5926	59268. 79	5/2	-----	-----
ODD GROUP									
1895	18950. 1	5/2	2. 274	M 31	4394	43949. 98	5/2	1. 385	K 47
2044	20447. 8	7/2	1. 926	M 31	4399	43996. 30	11/2	1. 26	K 47
2363	23631. 82	9/2	1. 768	M 31	4414	44148. 45	3/2	1. 573	K 47
2885	28854. 18	5/2	1. 871	M 31	4422	44224. 58	9/2	1. 244	M 31
2888	28889. 72	7/2	1. 709	M 31	4430	44308. 73	5/2	1. 223	M 31
2896	28961. 55	3/2	2. 333	M 31	4441	44416. 33	1/2	0. 15	K 47
3244	32443. 61	1/2	-----	M 31	4472	44720. 09	3/2	1. 330	K 47
3259	32591. 63	3/2	1. 762	M 31	4490	44901. 15	7/2	1. 253	M 31
3340	33408. 73	5/2	1. 500	M 31	4494	44946. 12	7/2	0. 905	K 47
3358	33589. 12	3/2	2. 335	M 31	4508	45082. 63	11/2	1. 40	M 31
3452	34520. 25	7/2	1. 454	M 31	4512	45121. 81	3/2	0. 674	K 47
3526	35267. 94	5/2	1. 385	M 31	4533	45332. 03	5/2	1. 088	K 48
3592	35923. 02	9/2	1. 440	M 31	4534	45343. 57	9/2	1. 131	M 31
3706	37063. 65	3/2	0. 626	M 31	4546	45462. 83	7/2	1. 300	M 31
3738	37381. 41	5/2	0. 990	M 31	4581	45817. 26	1/2	2. 197	-----
3769	37697. 66	5/2	1. 219	M 31	4587	45876. 34	3/2	1. 384	K 47
3776	37765. 65	7/2	1. 335	M 31	4590	45904. 25	11/2	1. 175	K 47
3779	37797. 95	1/2	2. 620	-----	4593	45937. 18	7/2	1. 298	M 31
3791	37915. 87	3/2	1. 495	M 31	4611	46112. 24	5/2	1. 405	M 31
3852	38520. 74	7/2	1. 216	M 31	4614	46141. 11	1/2	0. 716	M 31
3899	38994. 73	9/2	1. 25	M 31	4635	46352. 99	7/2	1. 271	M 31
3906	39064. 92	5/2	1. 335	M 31	4637	46374. 25	9/2	1. 341	M 31
3919	39196. 74	11/2	1. 405	M 31	4650	46509. 40	5/2	1. 371	M 31
3965	39655. 99	9/2	1. 444	M 31	4664	46649. 42	5/2	1. 334	M 31
3967	39670. 52	5/2	1. 107	M 31	4673	46733. 38	3/2	1. 858	K 47
3984	39844. 75	7/2	1. 223	M 31	4700	47004. 34	3/2	1. 285	M 31
3991	39916. 39	11/2	1. 314	M 31	4710	47101. 61	5/2	0. 893	K 47
3992	39926. 75	3/2	0. 745	K 47	4717	47172. 1	3/2	-----	-----
4049	40493. 34	13/2	1. 364	-----	4718	47172. 9	1/2	2. 215	-----
4080	40808. 85	3/2	1. 351	M 31	4720	47205. 73	9/2	1. 106	M 31
4081	40810. 17	1/2	-----	M 31	4735	47358. 36	7/2	1. 151	K 47
4082	40821. 83	5/2	1. 126	M 31	4750	47506. 79	13/2	1. 26	K 48
4094	40946. 53	7/2	1. 534	M 31	4765	47664. 74	1/2	1. 50	-----
4116	41163. 91	7/2	1. 325	M 31	4766	47669. 01	7/2	1. 196	M 31
4131	41313. 02	5/2	1. 278	M 31	4770	47703. 78	3/2	1. 443	K 48
4145	41453. 18	9/2	1. 372	M 31	4777	47779. 91	3/2	1. 362	K 47
4155	41557. 08	3/2	1. 655	M 31	4785	47859. 93	11/2	1. 20	M 31
4184	41843. 85	7/2	1. 190	M 31	4789	47899. 22	5/2	1. 217	M 31
4199	41991. 56	1/2	0. 61	K 48	4793	47932. 55	7/2	1. 31	M 31
4214	42140. 06	9/2	1. 249	M 31	4797	47970. 82	5/2	1. 169	M 31
4225	42254. 19	3/2	1. 578	K 47	4818	48184. 20	7/2	1. 252	M 31
4304	43044. 02	5/2	1. 449	K 47	4856	48569. 63	11/2	1. 27	M 31
4334	43341. 85	3/2	0. 975	M 31	4878	48786. 35	7/2	1. 53	K 47
4340	43407. 87	7/2	1. 368	M 31	4885	48857. 60	7/2	-----	K 47
4341	43409. 11	3/2	-----	M 31	4902	49022. 77	5/2	1. 495	M 31
4345	43453. 30	9/2	1. 336	M 31	4903	49027. 85	7/2	1. 499	M 31
4356	43569. 38	5/2	1. 504	M 31	4917	49170. 76	9/2	1. 135	K 47
4370	43702. 20	3/2	1. 962	M 31	4925	49250. 02	3/2	1. 263	K 47
4381	43815. 01	7/2	1. 348	K 47	4928	49286. 07	11/2	1. 075	-----
					4954	49540. 96	5/2	-----	K 48

TABLE 1. *Energy levels of the Re atom—Continued*

Designation	Value	<i>J</i>	<i>g</i>	Origin	Designation	Value	<i>J</i>	<i>g</i>	Origin
ODD GROUP—continued									
4957	49573. 11	5/2	1. 344	K 47	5401	54018. 19	7/2	0. 723 (1. 895)	K 48
4958	49582. 61	9/2	1. 058	K 47	5408	54086. 67	7/2	1. 22	K 48
4966	49667. 25	3/2	1. 272	K 47	5417	54177. 25	7/2	1. 273	K 47
4985	49859. 53	1/2	0. 410		5426	54268. 18	5/2	1. 290	
4986	49863. 22	7/2	1. 175	K 47					
					5440	54409. 61	5/2	1. 069	K 48
4989	49895. 57	3/2	1. 989	K 47	5446	54467. 40	3/2	1. 361	
5011	50110. 28	5/2	1. 765	M 31	5451	54513. 84	7/2		K 47
5015	50158. 87	5/2	1. 422	K 47	5455	54554. 61	11/2		K 48
5019	50196. 94	9/2	1. 345	K 48	5472	54729. 52	13/2		
5026	50263. 22	3/2	1. 234						
					5481	54813. 12	9/2	1. 185 (1. 949)	K 47
5031	50310. 70	7/2	1. 170		5482	54823. 02	5/2	1. 183	K 48
5040	50401. 01	9/2	1. 055	K 47	5496	54968. 85	1/2	1. 314	
5046	50463. 80	5/2	1. 144	K 47	5522	55223. 85	11/2	1. 149	
5057	50571. 02	3/2	0. 935	K 48	5545	55454. 48	7/2	1. 17	
5066	50663. 51	11/2	1. 220	K 48					
					5577	55776. 51	13/2	1. 056	
5086	50869. 00	7/2	1. 240	K 48	5589	55901. 20	7/2	1. 22	
5093	50934. 18	5/2	1. 385	M 31	5590	55902. 01	3/2	0. 447 (1. 115)	
5102	51027. 96	9/2	1. 144	K 47	5591	55912. 42	9/2	1. 06	K 48
5118	51183. 00	3/2	1. 456	V 52	5630	56307. 97	9/2		
5119	51193. 49	9/2		K 48					
					5641	56411. 22	9/2		
5122	51229. 64	7/2	1. 231	K 47	5645	56451. 87	1/2	1. 287	
5147	51477. 15	5/2	0. 97	K 47	5652	56523. 41	13/2		
5148	51486. 29	9/2	1. 20	K 48	5669	56699. 41	7/2	1. 25	V 52
5157	51578. 05	3/2		K 48	5682	56822. 75	5/2		V 52
5159	51590. 08	5/2	1. 02	K 48					
					5686	56866. 06	3/2	1. 099	
5164	51647. 82	7/2	1. 139	K 47	5707	57073. 31	1/2	0. 94	
5187	51874. 43	3/2	1. 29	V 52	5709	57090. 29	7/2		
5194	51945. 94	11/2		K 48	5717	57172. 70	7/2	1. 19	
5195	51955. 02	7/2	1. 200	K 47	5728	57280. 86	9/2	1. 19	K 48
5200	52001. 37	9/2	1. 357	K 47					
					5737	57371. 75	7/2		K 47
5212	52122. 35	13/2	1. 17	K 48	5739	57391. 44	11/2	1. 30	K 48
5221	52218. 11	5/2	1. 208	K 47	5745	57452. 83	13/2		K 48
5222	52227. 20	13/2		K 48	5752	57524. 31	5/2	~1. 40	
5227	52278. 28	3/2	1. 422	K 47	5765	57656. 85	9/2	1. 19	K 47
5237	52373. 12	7/2		K 47					
					5805	58050. 58	3/2	1. 111	
5246	52469. 45	1/2	1. 315		5826	58260. 03	7/2	1. 43	V 52
5247	52472. 31	5/2		V 52	5827	58279. 31	9/2		K 48
5261	52610. 01	7/2		V 52	5833	58332. 42	5/2		K 48
5274	52741. 30	9/2		K 47	5844	58442. 51	3/2	1. 32	K 48
5285	52857. 44	7/2	1. 30	K 47					
					5854	58541. 88	1/2		
5288	52881. 34	5/2	1. 05	K 47	5861	58619. 32	11/2	1. 165	K 48
5295	52951. 59	3/2	1. 14	K 48	5912	59127. 30	3/2	1. 20	V 52
5296	52954. 46	3/2		V 52	5917	59171. 73	5/2		V 52
5305	53058. 74	5/2	1. 184	K 47	5929	59293. 45	3/2		
5312	53125. 19	3/2	1. 145	K 47					
					5939	59394. 29	9/2		K 47
5328	53288. 28	1/2	1. 372		5941	59412. 46	11/2	1. 15	K 47
5329	53293. 72	3/2	1. 323	K 47	5978	59784. 67	7/2		
5332	53320. 95	9/2	1. 38	K 47	5992	59926. 91	7/2	1. 100 (1. 170)	
5333	53335. 94	7/2	1. 290	V 52	6073	60737. 28	5/2		K 48
5337	53379. 35	9/2	1. 09	K 47					
					6083	60837. 10	5/2	1. 22	
5338	53389. 73	5/2	1. 19	K 48	6214	62142. 97	11/2		
5346	53467. 57	11/2	1. 20	K 48	6235	62350. 13	7/2		
5373	53738. 46	7/2	1. 203	K 47	6249	62493. 51	7/2	~1. 17	
5384	53842. 53	3/2	1. 169	K 47	6326	63267. 63	11/2	1. 135	
5392	53928. 90	1/2	1. 113						
					6377	63772. 40	13/2		
5394	53948. 73	11/2	1. 13		6393	63934. 76	13/2	1. 07	

When no symbol is inserted in the column headed "origin" the corresponding level is a new one. The symbols have the following meaning:
M 31, W. F. Meggers, BS J. Research **6**, 1027 (1931) RP322.
M 33, W. F. Meggers, BS J. Research **10**, 757 (1933) RP564.
K 47, P. F. A. Klinkenberg, Physica **13**, 581 (1947).

K 48, P. F. A. Klinkenberg, Physica **14**, 269 (1948).
V 52, R. Velasco, Anales real soc. espan. fis. y quim. **48**, 55 (1952).
C 53, M. A. Catalan, communicated in letter, from Velasco to Klinkenberg, dated July 22, 1953.

TABLE 2. *Classified lines of Re I*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
(12)	1716.45	58259.8	-----	$0_{5/2} - 5826_{7/2}$	-0.2	1	2	2215.535	45121.77	-----	$0_{5/2} - 4512_{3/2}$	-0.04	--
0	1758.55	56865.0	-----	$0_{5/2} - 5686_{3/2}$	-1.1	--	10	2220.577	45619.33	-----	$173_{7/2} - 6235_{7/2}$	+0.02	--
3	1759.83	56823.7	-----	$0_{5/2} - 5682_{3/2}$	+0.9	--	5	2223.16	44967.1	-----	$157_{5/2} - 6073_{5/2}$	+0.3	--
0	1763.70	56699.0	-----	$0_{5/2} - 5669_{7/2}$	-4	--	3	2223.77	44954.7	-----	$142_{7/2} - 5917_{5/2}$	-0.2	--
1w	1788.96	55898.4	-----	$0_{5/2} - 5589_{7/2}$	-2.8	--	(10)	2224.21	44945.8	-----	$0_{5/2} - 4494_{7/2}$	-0.3	3
1	1845.77	54177.9	-----	$0_{5/2} - 5417_{7/2}$	+0.6	--	300R	2226.418	44901.24	(.342, 1.015, ...)	$0_{5/2} - 4490_{7/2}$	+0.09	--
(12)	1848.88	54086.8	-----	$0_{5/2} - 5408_{7/2}$	+1	1	30	2228.05	44868.4	-----	$150_{7/2} - 5992_{7/2}$	-0.3	--
0h	1851.23	54018.1	-----	$0_{5/2} - 5401_{7/2}$	-1	--	7	2235.110	44726.64	-----	$150_{7/2} - 5978_{7/2}$	+0.16	--
(3)	1857.34	53840.4	-----	$0_{5/2} - 5384_{3/2}$	-2.1	1	50r	2235.440	44720.04	-----	$0_{5/2} - 4472_{3/2}$	-0.05	--
(5)	1873.03	53389.4	-----	$0_{5/2} - 5338_{5/2}$	-0.3	1	2	2237.85	44672.0	-----	$146_{5/2} - 5929_{3/2}$	0	--
(15r)	1874.93	53335.3	-----	$0_{5/2} - 5333_{7/2}$	-6	1	40r	2238.603	44656.85	-----	$117_{9/2} - 5641_{9/2}$	+0.15	--
4	1876.36	53294.7	-----	$0_{5/2} - 5329_{3/2}$	+1.0	--	30	2240.63	44616.4	-----	$138_{3/2} - 5844_{3/2}$	0	--
(3)	1884.70	53058.8	-----	$0_{5/2} - 5305_{5/2}$	+0.1	1	8	2243.79	44553.6	-----	$117_{9/2} - 5639_{9/2}$	+0.1	--
(10)	1888.43	52954.0	-----	$0_{5/2} - 5296_{3/2}$	-5	1	2	2246.18	44506.2	-----	$138_{3/2} - 5835_{5/2}$	+0.1	--
(10)	1891.04	52881.0	-----	$0_{5/2} - 5288_{5/2}$	-3	1	30	2254.790	44336.30	-----	$150_{7/2} - 5939_{9/2}$	+0.20	--
(50R)	1900.83	52608.6	-----	$0_{5/2} - 5261_{7/2}$	-1.4	1	100r	2255.729	44317.83	-----	$115_{5/2} - 5560_{3/2}$	-0.21	--
(50R)	1905.74	52473.1	-----	$0_{5/2} - 5247_{5/2}$	+0.8	1	150R	2256.193	44308.72	-----	$115_{5/2} - 5589_{7/2}$	+0.59	6
(50R)	1909.36	52373.6	-----	$0_{5/2} - 5237_{7/2}$	+5	1	5	2260.50	44224.31	-----	$0_{5/2} - 4430_{5/2}$	-0.01	--
2h	1912.81	52279.1	-----	$0_{5/2} - 5227_{3/2}$	+8	--	10	2263.96	44156.7	-----	$138_{3/2} - 5803_{5/2}$	-0.15	5
3	1915.01	52219.0	-----	$0_{5/2} - 5221_{5/2}$	+9	--	200R	2264.393	44148.28	(.186, .547)	$157_{5/2} - 5997_{7/2}$	+0.2	--
(15)	1924.74	51955.1	-----	$0_{5/2} - 5195_{7/2}$	+1	1				1.789, 2.150, 2.512	$0_{5/2} - 4414_{3/2}$	-0.17	--
(15r)	1927.72	51874.8	-----	$0_{5/2} - 5187_{3/2}$	+4	1							
8	1941.33	51511.1	-----	$117_{9/2} - 6326_{11/2}$	-2.0	--	30	2266.072	44115.58	-----	$142_{7/2} - 5835_{5/2}$	+0.02	--
(5)	1942.61	51477.1	-----	$0_{5/2} - 5147_{3/2}$	-0.1	1	2	2266.18	44113.5	-----	$150_{7/2} - 5917_{5/2}$	0	5
12	1952.00	51229.5	-----	$0_{5/2} - 5122_{7/2}$	-1	--	10	2268.803	44062.49	-----	$142_{7/2} - 5827_{9/2}$	+0.04	--
(5R)	1953.77	51185.1	-----	$0_{5/2} - 5118_{3/2}$	+2.2	1	2	2269.793	44043.26	-----	$142_{7/2} - 5826_{7/2}$	+0.09	5
(15R)	1953.38	50932.4	-----	$0_{5/2} - 5093_{5/2}$	-1.8	1	40r	2271.300	44014.05	-----	$157_{5/2} - 5978_{7/2}$	-0.20	--
(5)	1965.83	50869.1	-----	$0_{5/2} - 5086_{7/2}$	+0.1	1	4	2274.016	43961.47	-----	$151_{1/2} - 5913_{3/2}$	+0.06	--
0	1969.87	50764.8	-----	$115_{5/2} - 6235_{7/2}$	-1.4	--	300R	2274.618	43949.84	(2.259, 2.804, 3.352, .530, 1.100, 1.671, 2.242, 2.812)	$0_{5/2} - 4394_{3/2}$	-0.14	--
2s	1976.80	50740.8	-----	$117_{9/2} - 6249_{7/2}$	+1.2	--							
2	1977.48	50569.4	-----	$0_{5/2} - 5057_{3/2}$	-1.6	--							
(5)	1981.62	50463.8	-----	$0_{5/2} - 5046_{5/2}$	0.0	1							
(20R)	1995.61	50110.0	-----	$0_{5/2} - 5011_{5/2}$	-3	1							
50R	2003.532	49895.70	-----	$0_{5/2} - 4989_{3/2}$	+13	2	10	2278.73	43870.6	-----	$115_{5/2} - 5545_{7/2}$	+0.1	--
(10)	2004.84	49863.2	-----	$0_{5/2} - 4986_{3/2}$	0	3	10	2281.29	43821.4	-----	$146_{5/2} - 5844_{3/2}$	+0.3	--
20r	2012.74	49667.5	-----	$0_{5/2} - 4966_{7/2}$	+3	4	200R	2281.620	43814.99	(.297, .898, 1.500)	$0_{5/2} - 4381_{7/2}$	-0.02	--
20r	2016.56	49573.4	-----	$0_{5/2} - 4957_{3/2}$	+3	--	400R	2287.506	43702.24	(.000) 1.940	$0_{5/2} - 4370_{3/2}$	+0.04	--
200R	2017.866	49541.32	-----	$0_{5/2} - 4954_{5/2}$	+36	--	400R	2284.486	43569.32	(.206, .664, 1.121, .832, 1.275, 1.717, 2.160, 2.600)	$0_{5/2} - 4356_{5/2}$	-0.04	--
5	2019.70	49522.6	-----	$115_{5/2} - 6083_{5/2}$	-5	--							
20r	2033.78	49153.8	-----	$115_{5/2} - 6073_{3/2}$	+1	--							
30r	2038.99	49028.0	-----	$0_{5/2} - 4903_{7/2}$	+1	--							
30r	2039.204	49022.99	-----	$0_{5/2} - 4902_{7/2}$	+22	--	40r	2296.926	43523.03	-----	$157_{5/2} - 5929_{3/2}$	0.00	--
(7)	2046.09	48848.0	-----	$0_{5/2} - 4885_{3/2}$	+4	5	7	2297.81	43506.3	-----	$173_{7/2} - 6083_{3/2}$	-0	--
400R	2049.079	48786.77	-----	$0_{5/2} - 4878_{7/2}$	+42	--	20	2299.769	43469.25	-----	$142_{9/2} - 5621_{11/2}$	-0.08	--
20r	2067.89	48343.0	-----	$115_{5/2} - 5992_{7/2}$	0	--	8	2301.318	43439.98	-----	$142_{7/2} - 5765_{9/2}$	-0.01	--
20r	2074.70	48184.4	-----	$0_{5/2} - 4818_{7/2}$	+2	--	4	2301.884	43429.30	-----	$146_{5/2} - 5805_{5/2}$	+0.18	--
5	2075.20	48172.8	-----	$117_{9/2} - 5992_{7/2}$	+4	--	150R	2302.992	43408.41	-----	$0_{5/2} - 4341_{3/2}$	-0.70	6
7	2081.35	48030.5	-----	$117_{9/2} - 5978_{7/2}$	+4	--	3	2303.370	43401.29	-----	$0_{5/2} - 4340_{7/2}$	+0.54	--
40r	2083.925	47971.11	-----	$0_{5/2} - 4797_{7/2}$	+29	--	10	2304.714	43375.99	-----	$157_{5/2} - 5917_{5/2}$	-0.02	--
200R	2085.594	47932.71	-----	$0_{5/2} - 4793_{5/2}$	+16	--	10	2305.726	43356.96	-----	$151_{1/2} - 5854_{1/2}$	0.00	--
3h	2088.23	47872.3	-----	$146_{5/2} - 6249_{7/2}$	+2	--	60r	2306.540	43341.64	(.495, 1.456, 2.615, 3.568)	$0_{5/2} - 4334_{3/2}$	+0.21	--
50r	2092.24	47780.4	-----	$0_{5/2} - 4777_{7/2}$	+5	--							
5	2094.50	47728.8	-----	$146_{5/2} - 6235_{7/2}$	+1	--							
2	2095.33	47709.9	-----	$115_{5/2} - 5929_{7/2}$	+4	--							
100R	2097.122	47669.26	-----	$0_{5/2} - 4766_{3/2}$	+25	--	20	2308.354	43307.59	-----	$166_{9/2} - 5992_{7/2}$	-0.04	--
4	2097.603	47658.33	-----	$117_{9/2} - 5941_{11/2}$	+39	5							
4	2098.41	47639.9	-----	$117_{9/2} - 5939_{9/2}$	+1	--	3	2310.00	43276.7	-----	$142_{7/2} - 5752_{5/2}$	+0.14	--
3	2102.67	47543.4	-----	$115_{5/2} - 5512_{9/2}$	+1	--	10	2310.134	43274.21	-----	$151_{5/2} - 5844_{3/2}$	+0.1	--
4	2106.13	47465.4	-----	$163_{11/2} - 6377_{13/2}$	+1	--	8	2311.576	43247.23	-----	$150_{7/2} - 5835_{3/2}$	-0.02	--
60r	2107.452	47435.63	-----	$150_{7/2} - 6249_{7/2}$	+31	--	7	2312.011	43239.09	-----	$138_{9/2} - 5707_{11/2}$	+0.04	--
30r	2113.87	47291.6	-----	$150_{7/2} - 6235_{7/2}$	-3	--	10r	2312.971	43221.15	-----	$115_{5/2} - 5482_{5/2}$	+0.03	--
2	2128.773	46960.59	-----	$163_{11/2} - 6326_{11/2}$	+11	--	30r	2315.956	43165.44	-----	$150_{7/2} - 5827_{9/2}$	+0.03	--
2	2131.01	46911.4	-----	$138_{3/2} - 6073_{5/2}$	+2	--	30	2316.523	43154.88	-----	$166_{9/2} - 5978_{7/2}$	-0.05	--
2	2133.122	46864.86	-----	$117_{9/2} - 5861_{11/2}$	+0.6	5	30r	2319.19	43105.3	-----	$142_{7/2} - 5737_{7/2}$	+0.01	--
5	2133.41	46858.6	-----	$115_{5/2} - 5844_{3/2}$	+4	--	50r	2320.162	43087.20	-----	$163_{11/2} - 5841_{11/2}$	0	--
5h	2138.44	46748.4	-----	$115_{5/2} - 5833_{5/2}$	-1	--	10	2321.41	43064.1	-----	$163_{11/2} - 5839_{9/2}$	+0.06	--
6	2141.745	46676.19	-----	$115_{5/2} - 5826_{7/2}$	+12	--	10	2321.70	43058.7	-----	$142_{7/2} - 5728_{9/2}$	+0.1	--
20r	2142.97	46649.4	-----	$0_{5/2} - 4664_{3/2}$	0	--	50R	2322.490	43044.02	(.255, .764, 1.273, .687, 1.194, 1.703, 2.210, 2.714)	$117_{9/2} - 5481_{9/2}$	+0.00	--
3	2148.92	46520.3	-----	$142_{7/2} - 6073_{5/2}$	-1	--							
5	2149.43	46509.3	-----	$0_{5/2} - 4650_{5/2}$	-1	--							
1	2149.59	46505.8	-----	$117_{9/2} - 5826_{7/2}$	+3	5							
4	2151.40	46466.7	-----	$115_{5/2} - 5805_{3/2}$	+1	--	4	2322.700	43040.13	-----	$146_{5/2} - 5805_{5/2}$	+0.03	--
100R	2156.673	46353.14	-----	$0_{5/2} - 4635_{7/2}$	+15	--	10	2322.945	43035.59	-----	$138_{3/2} - 5683_{5/2}$	+0.09	--
10	2163.10	46215.4	-----	$146_{5/2} - 6083_{5/2}$	-2	--	20	2325.045	42996.72	-----	$115_{5/2} - 5451_{7/2}$	+0.03	--
200R	2167.938	46112.32	-----	$0_{5/2} - 4611_{5/2}$	+0.8	--	30r	2328.664	42929.90	(.000) 1.216	$194_{5/2} - 6235_{7/2}$	+0.06	--
200R	2176.206	45937.13	-----	$0_{5/2} - 4593_{7/2}$	-0.5	--	4	2330.706	42892.30	-----	$172_{1/2} - 5805_{3/2}$	-0.28	--
2	2177.851	45902.45	-----	$117_{9/2} - 5765_{9/2}$	+12	5	20	2331.135	42884.41	-----	$115_{5/2} - 5446_{3/2}$	-0.1	4
(5)	2179.09	45876.4	-----	$0_{5/2} - 4587_{3/2}$	+1	4	(3)	2331.19	42883.3	-----	$142_{7/2} - 5760_{7/2}$	0	--
8	2179.18	45874.5	-----	$166_{9/2} - 6249_{7/2}$	+3	--	20	2331.73	42873.4	-----	$164_{3/2} - 5917_{5/2}$	0	--
2													

TABLE 2. *Classified lines of Re I*—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
30r	2353.95	42468.8	-----	146 _{5/2} —5709 _{7/2}	.0	--	5	2447.656	40843.04	-----	150 _{7/2} —5589 _{7/2}	+ .03	--
30r	2354.08	42466.5	-----	150 _{7/2} —5752 _{5/2}	+ .4	--	1	2448.26	40833.0	-----	146 _{5/2} —5545 _{7/2}	.0	--
15	2354.773	42453.96	-----	173 _{7/2} —5978 _{7/2}	+ .11	--	60r	2449.710	40808.79	(000) 2.850	0 _{5/2} —4680 _{3/2}	-.06	10, 26
10	2355.868	42434.21	-----	115 _{5/2} —5401 _{7/2}	-.02	--	30	2450.895	40789.07	(0w)?	115 _{5/2} —5237 _{7/2}	-.09	--
30r	2356.496	42422.91	-----	117 _{9/2} —5417 _{7/2}	+ .18	--	8	2451.910	40772.19	-----	166 _{9/2} —5732 _{11/2}	+ .03	--
20	2362.64	42312.6	-----	163 _{11/2} —5861 _{11/2}	+ .4	--	10	2453.493	40745.87	(.387)	164 _{3/2} —5707 _{1/2}	+ .07	--
3	2364.44	42280.4	-----	157 _{5/2} —5805 _{3/2}	+ .2	--	13	2454.082	40736.10	-----	151 _{1/2} —5590 _{3/2}	-.02	--
20r	2365.666	42258.47	-----	115 _{5/2} —5384 _{3/2}	-.10	--	2	2458.577	40661.62	-----	166 _{9/2} —5728 _{9/2}	+ .04	--
150R	2365.90	42254.4	(.184, .556) ... 1.747, 2.121, 2.496.	0 _{5/2} —4225 _{3/2}	+ .2	--	4	2459.81	40641.3	-----	138 _{3/2} —5446 _{3/2}	.0	--
50r	2367.683	42222.49	(.000) 1.171	150 _{7/2} —5728 _{9/2}	-.18	--	20	2460.24	40634.2	(.160) 1.231h	115 _{5/2} —5221 _{5/2}	.0	--
4	2368.12	42214.8	-----	164 _{3/2} —5854 _{1/2}	+ .3	--	200R	2461.196	40618.35	(0h) 1.503h D	117 _{9/2} —5237 _{7/2}	-.25	--
15	2368.88	42201.2	-----	146 _{5/2} —5682 _{5/2}	-.1	--	10	2462.539	40596.21	(.194, .574, .952).	142 _{7/2} —5481 _{9/2}	-.05	--
50r	2369.27	42194.3	(.167, .500, .832) .163, .493, .823 (0w) 1.000B	142 _{7/2} —5641 _{9/2}	-.1	--	15	2463.307	40583.55	(.213, .628) .445, .860, 1.274.	138 _{3/2} —5440 _{5/2}	+ .06	--
30r	2371.500	42154.53	-----	115 _{5/2} —5373 _{7/2}	+ .03	--	5	2463.84	40574.7	-----	217 _{7/2} —6235 _{7/2}	.0	--
15	2373.747	42114.62	-----	150 _{7/2} —5717 _{7/2}	+ .11	--	30	2465.13	40553.5	(000) 1.111	166 _{9/2} —5717 _{7/2}	+ .1	--
100r	2375.073	42091.12	-----	142 _{7/2} —5630 _{9/2}	+ .01	--	5	2466.042	40538.54	-----	164 _{3/2} —5683 _{3/2}	-.01	--
15r	2375.815	42077.97	(0w) 1.412hD	146 _{5/2} —5669 _{7/2}	+ .02	--	4	2470.164	40470.90	-----	166 _{9/2} —5709 _{7/2}	-.20	--
10	2375.93	42075.9	-----	138 _{3/2} —5590 _{3/2}	.0	--	3	2470.275	40469.08	-----	194 _{5/2} —5997 _{7/2}	+ .06	--
10	2376.629	42063.57	-----	173 _{7/2} —5939 _{9/2}	+ .10	--	2	2471.93	40441.9	-----	138 _{3/2} —5426 _{5/2}	-.2	--
10	2377.104	42055.15	-----	172 _{7/2} —5929 _{3/2}	.00	--	15	2474.725	40396.32	(000) 1.154	150 _{7/2} —5545 _{7/2}	+ .03	--
3	2378.40	42032.2	-----	150 _{7/2} —5709 _{7/2}	+ .1	--	5	2476.275	40371.04	-----	115 _{5/2} —5195 _{7/2}	-.02	--
5	2379.950	42004.87	-----	164 _{3/2} —5833 _{3/2}	-.04	--	2h	2478.58	40333.5	-----	221 _{9/2} —6249 _{7/2}	.0	--
20	2380.225	42000.02	(.000) 1.124	166 _{9/2} —5861 _{11/2}	-.02	--	20	2479.02	40326.3	-----	194 _{5/2} —5978 _{7/2}	-.5	--
40	2381.136	41983.96	(.159, .488, .817)	117 _{9/2} —5373 _{7/2}	+ .02	--	20	2480.820	40297.08	(.471, .792, 1.114).	173 _{7/2} —5765 _{9/2}	+ .3	--
6	2381.81	41972.0	-----	163 _{11/2} —5827 _{9/2}	-.2	--	5	2481.226	40290.49	-----	142 _{7/2} —5451 _{7/2}	+ .1	--
15	2385.48	41907.5	-----	151 _{1/2} —5707 _{1/2}	+ .1	--	4	2483.38	40255.5	-----	115 _{5/2} —5187 _{3/2}	+ .02	--
10	2386.536	41888.95	-----	172 _{7/2} —5912 _{3/2}	-.05	--	5	2483.92	40255.5	-----	204 _{3/2} —6073 _{3/2}	-.1	--
20r	2389.110	41843.84	(.376, 1.118)	0 _{5/2} —4184 _{7/2}	+ .01	--	200R	2483.920	40246.79	(.875) 1.452A	117 _{9/2} —5200 _{9/2}	-.06	--
5	2389.270	41841.03	-----	173 _{7/2} —5917 _{5/2}	+ .08	--	20	2485.805	40216.28	-----	163 _{11/2} —5652 _{3/2}	+ .02	--
30r	2391.278	41805.89	-----	115 _{5/2} —5338 _{5/2}	+ .12	--	30	2486.779	40200.53	(.171, .490, .809).	117 _{9/2} —5195 _{7/2}	+ .03	--
50r	2393.645	41764.56	-----	150 _{7/2} —5682 _{5/2}	.00	--	5	2487.21	40193.6	-----	173 _{7/2} —5752 _{5/2}	+ .1	--
4	2394.252	41753.98	-----	157 _{5/2} —5752 _{5/2}	+ .09	--	200R	2487.331	40191.60	-----	117 _{9/2} —5194 _{11/2}	+ .18	--
30r	2394.37	41751.9	(.000) 1.311	115 _{5/2} —5333 _{7/2}	-.1	--	9	2491.07	40131.3	-----	157 _{5/2} —5590 _{3/2}	-.3	--
7	2396.03	41723.0	-----	164 _{3/2} —5805 _{3/2}	-.1	--	8	2491.497	40124.40	-----	157 _{5/2} —5589 _{7/2}	+ .5	--
(10)	2396.60	41713.1	-----	117 _{9/2} —5346 _{11/2}	.0	7	8	2492.751	40104.22	-----	164 _{3/2} —5645 _{1/2}	+ .04	--
40r	2396.791	41709.74	(.000) 1.245	115 _{5/2} —5329 _{3/2}	-.02	--	8	2492.751	40104.22	-----	163 _{11/2} —5641 _{9/2}	+ .15	--
50	2397.31	41700.7	(.626) .465	151 _{1/2} —5686 _{3/2}	+ .5	8	3	2492.838	40102.82	(.192) 1.738	138 _{3/2} —5392 _{1/2}	+ .04	--
4	2397.605	41695.59	-----	142 _{7/2} —5591 _{9/2}	+ .03	--	3	2494.250	40080.12	-----	166 _{9/2} —5669 _{7/2}	-.01	--
10	2398.25	41684.4	-----	142 _{7/2} —5589 _{7/2}	+ .1	--	8	2495.263	40063.84	-----	115 _{5/2} —5164 _{7/2}	-.02	--
6	2398.648	41660.10	-----	166 _{9/2} —5827 _{9/2}	+ .07	--	30	2496.039	40051.39	(.142, .419, .697) .835†.	142 _{7/2} —5426 _{5/2}	+ .07	11
20	2400.72	41641.5	-----	150 _{7/2} —5669 _{7/2}	+ .3	--	10	2496.692	40040.92	-----	173 _{7/2} —5737 _{7/2}	-.01	--
30	2401.680	41624.85	(.705, 1.178, 1.650, 2.125), .388, .847, 1.306, 1.765.	117 _{9/2} —5337 _{9/2}	+ .02	--	20	2498.215	40016.51	(.479) 1.010, 1.345, 1.678†.	138 _{3/2} —5384 _{3/2}	+ .10	--
10	2403.036	41601.36	(.730) 1.547wA	157 _{5/2} —5737 _{7/2}	+ .03	5	20	2498.861	40006.17	(.394, .661) 1.386.	115 _{5/2} —5159 _{5/2}	+ .05	12
300R	2405.056	41566.42	(.152, .444)	117 _{9/2} —5332 _{9/2}	-.01	--	1	2499.19	40001.0	-----	163 _{11/2} —5630 _{9/2}	+ .2	--
200r	2405.602	41556.99	1.789, 2.086, 2.386.	0 _{5/2} —4155 _{3/2}	-.09	--	2	2499.608	39994.22	-----	115 _{5/2} —5157 _{3/2}	+ .13	--
30r	2410.37	41474.8	(.210) 1.235h	115 _{5/2} —5305 _{5/2}	.0	--	10	2500.312	39982.95	-----	221 _{9/2} —6214 _{11/2}	+ .02	--
30r	2414.587	41402.36	(0w) .965hC	157 _{5/2} —5717 _{7/2}	+ .08	--	10	2500.568	39978.85	(0w) D	239 _{11/2} —6395 _{13/2}	+ .09	--
4h	2415.93	41379.4	-----	194 _{5/2} —6083 _{5/2}	+ .2	--	50r	2501.721	39960.43	(.453, .759, 1.062) .529, .819, 1.113, 1.417, 1.707, 1.992.	142 _{7/2} —5417 _{7/2}	+ .04	--
10	2416.441	41370.60	-----	115 _{5/2} —5266 _{3/2}	+ .10	--	30	2505.945	39893.08	(.485, .805) 1.146.	115 _{5/2} —5147 _{5/2}	-.11	--
15	2417.661	41349.72	(0w) 1.438D	163 _{11/2} —5765 _{9/2}	+ .02	--	30	2507.403	39869.89	(.566, .907, 1.251).	142 _{7/2} —5408 _{7/2}	+ .08	12
60r	2419.404	41319.94	(.335, 1.004, 1.673) .287, .956, 1.616, 2.279, 2.948.	157 _{5/2} —5709 _{7/2}	+ .07	--	200R	2508.991	39844.65	(.366, 1.094, 1.821).	0 _{5/2} —3984 _{7/2}	+ .10	12
100r	2419.807	41313.06	-----	0 _{5/2} —4131 _{3/2}	+ .04	--	5	2509.562	39835.59	-----	194 _{5/2} —5929 _{3/2}	+ .03	--
5	2420.35	41303.7	-----	172 _{7/2} —5854 _{1/2}	+ .1	--	(5)	2510.771	39816.41	-----	239 _{11/2} —6377 _{13/2}	+ .01	7
5	2420.72	41297.4	-----	115 _{5/2} —5288 _{5/2}	.0	--	5	2511.616	39803.02	-----	151 _{1/2} —5490 _{1/2}	-.06	--
30	2421.38	41286.1	-----	151 _{1/2} —5645 _{1/2}	+ .1	--	2	2511.720	39801.37	-----	142 _{7/2} —5401 _{7/2}	+ .04	--
40r	2421.730	41280.26	((0w) 1.198	146 _{5/2} —5590 _{3/2}	-.29	6	4	2512.317	39791.92	-----	166 _{9/2} —5641 _{9/2}	-.02	--
2	2422.11	41273.7	-----	146 _{5/2} —5589 _{7/2}	+ .52	--	15	2512.550	39788.23	(.210) 1.051A	146 _{5/2} —5440 _{9/2}	+ .08	--
30	2423.50	41250.0	-----	115 _{5/2} —5285 _{7/2}	+ .2	--	2h	2514.35	39759.7	(.566, .857, 1.209, 1.558)	173 _{7/2} —5709 _{7/2}	+ .2	--
10	2426.195	41204.28	-----	156 _{7/2} —5630 _{9/2}	+ .2	--	5	2514.651	39754.98	000, .341, .682, 1.023, 1.368, 1.708, 2.043, 2.384, 2.729.	150 _{7/2} —5481 _{9/2}	+ .05	--
30	2426.635	41196.81	(.000) .994	172 _{7/2} —5844 _{3/2}	+ .07	--	150r	2516.120	39731.77	(.417, 1.266, 2.112) —.146, .684, 1.526, 2.369, 3.211.	117 _{9/2} —5122 _{7/2}	.0	--
300R	2428.576	41163.90	(.319, .972, 1.625) .319, .965, 1.611, 2.255.	164 _{3/2} —5752 _{3/2}	+ .01	11	10	2521.50	39647.0	-----	146 _{5/2} —5426 _{3/2}	+ .3	--
10	2429.648	41145.74	-----	0 _{5/2} —4116 _{7/2}	-.01	--	5	2521.59	39645.6	-----	115 _{5/2} —5122 _{7/2}	-.1	--
80	2432.18	41102.9	(.125, .412, .696).	163 _{11/2} —5745 _{13/2}	+ .06	--	5	2522.719	39627.84	-----	172 _{7/2} —5686 _{3/2}	+ .08	--
5	2432.617	41095.52	-----	117 _{9/2} —5285 _{7/2}	.0	--	5	2524.155	39605.30	-----	163 _{11/2} —5591 _{9/2}	+ .03	--
20	2433.28	41084.3	(.172) 1.256h	163 _{11/2} —5739 _{11/2}	-.0	--	6	2524.546	39599.17	-----	115 _{5/2} —5118 _{3/2}	+ .13	--
10	2436.046	41037.67	(.000) 1.182	166 _{9/2} —5765 _{9/2}	+ .10	--	10	2526.809	39563.70	-----	138 _{3/2} —5338 _{3/2}	+ .09	--
(10)	2436.74	41026.0	(.000) 1.095	115 _{5/2} —5261 _{7/2}	-.1	7	5	2527.311	39555.85	-----	14		

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
4	2532.963	39467.59	-----	138 _{3/2} —5329 _{3/2}	— .01	—	5	2611.702	38277.77	-----	150 _{7/2} —5333 _{7/2}	+ .02	--
15r	2533.119	39465.16	-----	146 _{5/2} —5408 _{7/2}	— .05	—	10	2612.730	38262.71	-----	150 _{7/2} —5332 _{9/2}	— .05	--
3	2533.310	39465.19	-----	138 _{3/2} —5328 _{1/2}	+ .03	—	5	2612.929	38259.80	-----	146 _{5/2} —5288 _{5/2}	— .08	--
1	2533.74	39455.5	-----	150 _{7/2} —5451 _{7/2}	— .2	—	10	2613.235	38255.32	-----	142 _{7/2} —5247 _{5/2}	— .13	--
30	2534.805	39438.91	(260, .775, 1.288)	117 _{9/2} —5119 _{9/2}	— .06	12	15	2613.744	38247.87	(.293) A	157 _{5/2} —5401 _{7/2}	+ .10	--
4	2537.517	39396.77	-----	146 _{5/2} —5401 _{7/2}	+ .04	—	50R	2614.558	38235.96	(0w) 1.662 B	146 _{5/2} —5285 _{7/2}	— .02	--
20	2539.326	39368.69	-----	173 _{7/2} —5669 _{7/2}	+ .10	—	10	2617.442	38193.84	-----	166 _{9/2} —5481 _{9/2}	— .00	--
3	2540.45	39351.3	-----	150 _{7/2} —5440 _{5/2}	— .1	—	40R	2620.026	38156.17	(.341) 1.485 A	142 _{7/2} —5237 _{7/2}	— .09	--
40r	2540.513	39350.31	(.252) 1.342 A	115 _{5/2} —5093 _{3/2}	+ .09	—	30R	2620.344	38151.54	(.118) 1.816	217 _{7/2} —5992 _{7/2}	+ .03	11
20h	2541.27	39338.6	-----	231 _{5/2} —6249 _{7/2}	— .1	—	10	2621.144	38139.90	-----	164 _{3/2} —5446 _{3/2}	+ .01	--
2	2543.022	39311.48	-----	239 _{11/2} —6326 _{11/2}	— .15	—	15	2621.975	38127.81	(.510)	151 _{1/2} —5329 _{3/2}	— .02	--
10	2543.671	39301.45	(.495) .866	151 _{1/2} —5446 _{3/2}	— .06	5	20	2623.285	38108.76	(.185, .554, .919)	117 _{9/2} —4986 _{7/2}	+ .06	--
8	2543.835	39298.92	-----	138 _{3/2} —5312 _{3/2}	— .15	—	8	2625.041	38083.28	-----	115 _{5/2} —4966 _{3/2}	+ .09	--
10	2544.215	39293.05	(.736) A	166 _{9/2} —5591 _{9/2}	— .09	—	3	2625.128	38082.02	-----	164 _{3/2} —5440 _{5/2}	— .08	--
100r	2544.739	39284.96	(0w) 1.169 D	115 _{5/2} —5086 _{7/2}	— .08	—	7	2625.806	38072.19	-----	157 _{5/2} —5384 _{3/2}	+ .08	--
8	2544.952	39281.67	(0w) 1.047	166 _{9/2} —5589 _{7/2}	— .25	—	1	2626.200	38066.48	-----	194 _{5/2} —5752 _{5/2}	+ .06	--
30r	2545.485	39273.45	(.993) 1.447, 1.898)	117 _{9/2} —5102 _{9/2}	+ .01	—	5	2626.636	38060.16	-----	204 _{3/2} —5854 _{3/2}	+ .01	--
10	2548.136	39232.59	(.151) 1.457, .762, 1.068,	138 _{3/2} —5305 _{5/2}	— .03	—	1	2627.450	38048.36	-----	138 _{3/2} —5187 _{3/2}	+ .05	--
20	2548.885	39221.06	(000) 1.143	146 _{5/2} —5384 _{3/2}	— .01	—	8	2630.150	38009.31	-----	217 _{7/2} —5978 _{7/2}	+ .04	--
6	2549.372	39213.57	-----	172 _{7/2} —5645 _{7/2}	— .00	—	7	2630.754	38000.59	-----	150 _{7/2} —5305 _{5/2}	+ .04	--
40r	2552.021	39172.87	(.189, .575, .961) 1.018, 1.396, 1.774, 2.152, 2.526,	142 _{7/2} —5338 _{5/2}	— .00	—	20	2631.569	37988.81	-----	115 _{5/2} —4937 _{3/2}	— .36	--
6	2554.929	39128.29	-----	138 _{3/2} —5296 _{3/2}	— .05	—	10	2633.006	37968.08	-----	157 _{5/2} —5375 _{3/2}	+ .04	--
2	2555.116	39125.42	-----	138 _{3/2} —5295 _{3/2}	— .05	—	20	2633.614	37959.32	(.611) .555	151 _{1/2} —5312 _{3/2}	+ .02	--
4	2555.531	39119.06	-----	140 _{7/2} —5333 _{7/2}	— .02	—	(2h)	2633.775	37957.00	-----	115 _{5/2} —4954 _{3/2}	— .00	7
5	2555.666	39117.00	-----	150 _{7/2} —5417 _{7/2}	— .00	—	2	2634.908	37940.68	-----	164 _{3/2} —5426 _{3/2}	+ .01	--
80R	2556.512	39104.06	(.101, .302, .502, .803, .697, .893, 1.090, 1.286, 1.483, 1.679,	146 _{5/2} —5373 _{7/2}	— .00	—	(1)	2635.29	37935.2	-----	166 _{9/2} —5455 _{11/2}	— .01	13
10	2558.062	39080.37	-----	142 _{7/2} —5332 _{9/2}	— .03	—	2	2636.019	37924.68	-----	244 _{5/2} —6235 _{7/2}	— .05	--
20R	2559.076	39064.88	(.291, .916, 1.540) .406, 1.031, 1.656, 2.280, 2.903,	173 _{7/2} —5641 _{9/2}	— .03	—	100R	2636.637	37915.79	(.227, .691) .726, 1.164	0 _{5/2} —3791 _{3/2}	— .08	--
6	2559.707	39055.25	-----	138 _{3/2} —5288 _{5/2}	+ .03	—	10	2641.173	37850.68	-----	f146 _{5/2} —5247 _{7/2}	— .17	--
6	2559.882	39052.58	-----	157 _{5/2} —5482 _{5/2}	— .02	—	60R	2642.752	37828.07	(.754, 1.217, 1.679, 2.144) .349, .821, 1.293, 1.765, 2.237	204 _{3/2} —5833 _{3/2}	— .01	--
8	2561.462	39028.50	(.159) 1.162 A	150 _{7/2} —5408 _{7/2}	+ .02	—	3	2643.092	37823.21	-----	150 _{7/2} —5288 _{5/2}	+ .06	--
50R	2564.186	38987.03	(.167, .505) .781, 1.113, 1.446, 1.778,	115 _{5/2} —5057 _{3/2}	— .03	—	5	2644.768	37799.23	-----	150 _{7/2} —5285 _{7/2}	— .02	--
10	2564.347	38984.59	-----	194 _{5/2} —5844 _{3/2}	+ .03	—	10	2645.804	37784.44	-----	142 _{7/2} —5200 _{9/2}	— .07	--
6	2565.839	38961.92	-----	217 _{7/2} —6073 _{7/2}	— .04	—	30R	2647.128	37765.54	(.302, .905, 1.508)	0 _{5/2} —3776 _{7/2}	— .11	--
3	2565.967	38959.98	-----	150 _{7/2} —5401 _{7/2}	— .02	—	2	2647.240	37763.95	-----	138 _{3/2} —5159 _{5/2}	— .01	--
2	2568.817	38916.75	-----	117 _{9/2} —5522 _{11/2}	+ .05	—	7	2648.100	37751.67	-----	146 _{5/2} —5237 _{7/2}	+ .01	--
4	2569.327	38909.03	-----	161 _{7/2} —5066 _{11/2}	+ .04	—	50R	2649.050	37738.14	(.564, .934, 1.305) .640, 1.009, 1.379, 1.749, 2.118	142 _{7/2} —5195 _{7/2}	— .02	--
10	2571.255	38879.87	(.332) A	115 _{5/2} —5045 _{5/2}	+ .03	—	10	2649.584	37730.53	-----	172 _{1/2} —5496 _{1/2}	— .02	--
1	2571.605	38874.58	-----	157 _{5/2} —5045 _{5/2}	+ .05	—	100R	2651.903	37697.55	(.375, 1.105, 1.833) .128, .858, 1.581, 2.311, 3.040	0 _{5/2} —3769 _{5/2}	— .11	--
20	2573.760	38842.02	(.192, .570, .947) .633, 1.012, 1.389, 1.767, 2.144, 2.521,	142 _{7/2} —5305 _{5/2}	+ .14	—	20	2652.911	37683.22	-----	150 _{7/2} —5274 _{3/2}	+ .11	--
6	2574.211	38835.22	-----	166 _{9/2} —5545 _{7/2}	+ .06	—	40R	2654.120	37666.06	(000) 1.137	115 _{5/2} —4925 _{3/2}	— .00	--
4	2576.408	38802.10	-----	194 _{5/2} —5826 _{7/2}	— .04	—	10	2654.773	37656.79	-----	146 _{5/2} —5227 _{3/2}	— .03	--
6	2577.614	38783.95	-----	197 _{7/2} —5854 _{1/2}	— .02	—	10	2655.178	37651.05	-----	138 _{3/2} —5147 _{5/2}	+ .02	--
10	2579.005	38763.04	(.619) 1.732	151 _{1/2} —5392 _{1/2}	+ .03	—	15	2655.844	37641.61	(0w) 1.186h	163 _{11/2} —5394 _{11/2}	+ .03	10
7	2580.311	38743.42	-----	157 _{5/2} —5451 _{7/2}	— .24	5	2h	2656.486	37632.50	-----	194 _{5/2} —5709 _{7/2}	+ .10	--
9h1	2581.438	38726.50	-----	115 _{5/2} —5031 _{7/2}	— .00	—	5	2656.950	37625.93	-----	247 _{7/2} —6235 _{7/2}	+ .02	--
2	2582.240	38714.47	-----	146 _{5/2} —5333 _{7/2}	— .01	—	10	2657.449	37618.87	-----	217 _{7/2} —5939 _{9/2}	— .02	--
3	2583.406	38697.00	-----	157 _{5/2} —5446 _{3/2}	+ .02	—	7	2658.688	37601.34	(.318)	164 _{3/2} —5392 _{9/2}	— .05	--
4	2583.873	38690.01	-----	204 _{3/2} —5917 _{3/2}	+ .01	—	20	2659.024	37596.59	(.135) 1.058h, 1.341h (.120)	146 _{5/2} —5221 _{5/2}	— .06	11
6	2584.523	38680.29	-----	150 _{7/2} —5373 _{7/2}	+ .02	—	10	2659.792	37585.74	-----	263 _{13/2} —6393 _{13/2}	— .06	--
10	2584.768	38676.62	(.594) .594, 1.3041?	151 _{1/2} —5384 _{3/2}	— .02	12	2	2660.040	37582.22	-----	231 _{5/2} —6073 _{5/2}	— .25	--
6	2585.061	38672.22	-----	146 _{5/2} —5329 _{3/2}	— .04	—	2	2661.223	37565.52	-----	157 _{5/2} —5333 _{7/2}	— .00	--
8	2585.580	38664.46	-----	142 _{7/2} —5288 _{5/2}	— .02	—	5	2661.760	37557.95	-----	166 _{9/2} —5417 _{7/2}	— .02	--
50R	2586.788	38646.41	(.704, 1.195, 1.686, 2.178),	117 _{9/2} —5049 _{9/2}	— .08	—	4	2662.196	37551.80	(.235, .702, 1.168, 1.635, 2.103)	150 _{7/2} —5261 _{7/2}	— .02	12
7	2586.998	38643.28	-----	138 _{3/2} —5246 _{1/2}	— .05	—	50	2663.633	37531.54	(000) 1.307	157 _{5/2} —5329 _{3/2}	+ .05	--
6	2589.594	38604.53	(000) 1.082	166 _{9/2} —5522 _{11/2}	— .04	—	10	2664.215	37523.35	(.272, .818)	164 _{3/2} —5384 _{3/2}	— .00	--
6	2591.133	38581.61	-----	173 _{7/2} —5591 _{9/2}	+ .01	—	1	2664.807	37515.02	-----	173 _{7/2} —5482 _{5/2}	+ .10	--
30r	2591.582	38574.93	(.373) A	115 _{5/2} —5015 _{5/2}	+ .02	—	20	2666.421	37492.30	-----	173 _{7/2} —5481 _{3/2}	+ .04	--
10	2591.889	38570.36	-----	173 _{7/2} —5589 _{7/2}	— .02	—	2	2667.130	37482.34	(0w) 1.465 wC	166 _{9/2} —5408 _{7/2}	— .00	--
10	2592.843	38556.17	-----	117 _{9/2} —5031 _{7/2}	— .01	—	5	2668.194	37467.39	-----	115 _{5/2} —4903 _{3/2}	— .00	--
30R	2594.854	38526.29	-----	115 _{5/2} —5011 _{5/2}	— .03	—	20	2669.868	37443.89	(.316, .542)	115 _{5/2} —4902 _{3/2}	— .07	--
5	2594.982	38524.39	-----	142 _{7/2} —5274 _{9/2}	— .05	—	30	2670.236	37438.74	(.672, 1.092, 1.513) .919, 1.344, 1.769	142 _{7/2} —5164 _{7/2}	+ .01	--
60R	2595.234	38520.65	-----	0 _{5/2} —3852 _{7/2}	— .09	—	3	2670.790	37430.97	-----	263 _{13/2} —6377 _{13/2}	— .02	--
10r	2596.780	38497.72	(000) 1.300	157 _{5/2} —5426 _{5/2}	— .04	—	40	2671.329	37423.42	(.619, 1.022, 1.424, 1.826)	117 _{9/2} —4917 _{9/2}	— .00	--
50R	2599.856	38452.17	(000) 1.457	138 _{3/2} —5227 _{3/2}	+ .01	—	5	2671.842	37416.24	(.527, .927, 1.328, 1.728, 2.129)	194 _{5/2} —5686 _{5/2}	— .02	--
5	2600.518												

TABLE 2. *Classified lines of Re I*—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
30	2679.914	37303.55	(.524) 1.834	151 _{1/2} —5246 _{1/2}	— .01		30	2753.046	36312.66	-----	146 _{5/2} —5093 _{5/2}	— .06	--
9	2681.010	37288.29	(.331) -----	157 _{5/2} —5305 _{5/2}	— .03		20	2755.212	36284.12	-----	138 _{3/2} —5011 _{3/2}	— .04	--
(2)	2682.667	37273.60	-----	115 _{5/2} —4885 _{5/2}	— .04	7	40r	2757.996	36247.49	(0w) 1.401h _f	146 _{5/2} —5086 _{5/2}	— .05	--
5	2682.368	37269.41	-----	142 _{7/2} —5148 _{9/2}	— .02		10h	2758.05	36246.7	-----	142 _{7/2} —5046 _{5/2}	— .2	--
40	2683.030	37260.22	-----	142 _{7/2} —5147 _{5/2}	— .07		10	2758.706	36238.17	-----	166 _{9/2} —5285 _{5/2}	+ .01	--
3	2683.558	37252.89	(0w) .959 D	146 _{5/2} —5187 _{3/2}	— .08		20	2761.926	36195.92	(0w) 1.156C	115 _{5/2} —4777 _{3/2}	— .03	--
3	2684.382	37241.46	-----	194 _{5/2} —5669 _{1/2}	— .06		4	2762.786	36184.66	-----	157 _{5/2} —5195 _{7/2}	+ .06	--
3	2684.905	37234.21	-----	221 _{9/2} —5939 _{9/2}	— .04		40	2763.295	36177.99	(.118, .342, .563)	117 _{9/2} —4793 _{7/2}	— .04	--
100	2688.528	37160.03	(0w) 1.456 B	157 _{5/2} —5296 _{3/2}	— .15		40	2763.792	36171.49	(.246h) 1.166h	150 _{7/2} —5122 _{7/2}	+ .04	--
20H	2690.247	37160.27	-----	163 _{11/2} —5346 _{11/2}	— .01		9	2766.051	36141.94	-----	164 _{3/2} —5246 _{1/2}	— .00	--
4	2693.224	37119.20	-----	166 _{9/2} —5373 _{7/2}	+ .02		30	2766.396	36137.52	-----	270 _{13/2} —6326 _{11/2}	+ .03	--
8	2693.719	37112.38	-----	151 _{5/2} —5227 _{3/2}	— .01		7	2766.548	36135.45	(000) 1.256	150 _{7/2} —5119 _{9/2}	+ .15	--
8	2693.822	37110.97	-----	157 _{5/2} —5285 _{5/2}	+ .05		5	2767.576	36122.03	-----	166 _{9/2} —5274 _{9/2}	+ .01	--
3	2694.034	37108.03	-----	138 _{3/2} —5093 _{5/2}	— .03		20	2767.744	36119.84	(.095, .283) 1.023, 1.212, 1.400	115 _{5/2} —4770 _{3/2}	+ .02	--
20	2694.394	37103.08	(.434, .726, 1.018, 1.309) 202, .498, .793, 1.092 (000) 1.268	157 _{5/2} —5285 _{7/2}	— .02		6H	2768.282	36112.81	-----	247 _{7/2} —6083 _{5/2}	— .07	--
15	2695.562	37087.00	-----	173 _{7/2} —5440 _{5/2}	— .00		15	2768.851	36105.39	(.176, .515, .853, 1.192), .337, .000, .357, .675, 1.014	117 _{9/2} —4785 _{11/2}	— .02	--
2	2696.159	37078.79	-----	163 _{11/2} —5337 _{9/2}	— .06								
7	2696.640	37072.18	-----	0 _{5/2} —3706 _{3/2}	— .06								
20	2697.265	37063.59	(.664) 1.284, 2.616	164 _{3/2} —5338 _{5/2}	— .04		3	2768.954	36104.05	-----	157 _{5/2} —5187 _{3/2}	+ .04	--
3	2697.368	37062.18	-----	204 _{3/2} —5752 _{5/2}	+ .01		4	2769.735	36093.87	-----	142 _{7/2} —5021 _{7/2}	+ .03	--
15h	2698.794	37042.59	(.131, .402) 1.598	117 _{9/2} —4878 _{7/2}	— .02		70R	2770.417	36084.99	(0w) 1.021C	115 _{5/2} —4989 _{3/2}	— .06	--
15	2699.580	37031.81	-----	146 _{5/2} —5164 _{7/2}	— .01		15	2771.609	36069.47	-----	138 _{3/2} —4989 _{3/2}	— .01	--
3	2699.978	37026.35	-----	163 _{11/2} —5332 _{9/2}	+ .04		8	2772.421	36058.90	-----	173 _{7/2} —5338 _{3/2}	— .02	--
8	2700.891	37013.84	-----	142 _{7/2} —5122 _{7/2}	— .12		3	2772.687	36055.44	-----	172 _{1/2} —5329 _{3/2}	+ .02	--
2	2700.977	37012.66	-----	146 _{5/2} —5159 _{5/2}	+ .21		20	2773.109	36049.96	(.578) 1.950	172 _{1/2} —5328 _{3/2}	— .02	--
3	2704.179	36968.83	-----	164 _{3/2} —5329 _{5/2}	+ .02		2	2773.214	36048.59	(.530) +	173 _{7/2} —5337 _{9/2}	+ .06	--
20	2704.369	36966.23	(.191, .572) 1.147, 1.522, 1.896†	164 _{3/2} —5328 _{3/2}	— .00		10	2774.383	36033.41	-----	138 _{3/2} —4985 _{3/2}	+ .01	--
6	2704.769	36960.77	-----	146 _{5/2} —5157 _{3/2}	— .01		10	2775.126	36023.76	-----	273 _{11/2} —6326 _{11/2}	+ .01	--
6	2705.076	36956.58	-----	150 _{7/2} —5200 _{9/2}	— .00		10	2775.126	36023.76	-----	231 _{11/2} —6326 _{11/2}	+ .21	--
15	2706.056	36943.18	(.101, .307, .506, .705)	173 _{7/2} —5426 _{3/2}	+ .04		2	2775.457	36019.47	-----	224 _{3/2} —5844 _{1/2}	— .01	--
5	2706.480	36937.40	-----	263 _{13/2} —6326 _{11/2}	+ .02		15	2775.639	36017.11	(.457) 1.010	151 _{5/2} —5118 _{3/2}	+ .00	--
10	2707.852	36918.69	(0w) .901h	224 _{3/2} —5929 _{3/2}	— .00		10	2775.948	36013.10	-----	247 _{7/2} —6073 _{3/2}	+ .04	--
2	2711.382	36870.62	-----	146 _{5/2} —5147 _{5/2}	+ .07		1	2776.560	36005.15	-----	173 _{7/2} —5333 _{3/2}	+ .03	--
20	2712.476	36855.76	-----	166 _{9/2} —5346 _{11/2}	+ .02		8	2777.223	35996.56	-----	194 _{5/2} —5545 _{7/2}	— .03	--
15	2713.024	36848.31	-----	173 _{7/2} —5417 _{7/2}	+ .04		15	2777.71	35990.3	-----	173 _{7/2} —5332 _{3/2}	+ .2	--
10	2713.160	36846.47	-----	157 _{5/2} —5261 _{7/2}	+ .04		10	2778.498	35980.04	(.111, .331, .550) .537, .756, .976	142 _{7/2} —5019 _{9/2}	— .04	--
8	2713.664	36839.63	-----	117 _{9/2} —4856 _{11/2}	— .05								
300R	2715.474	36815.06	(.131, .397, .659, .925, 1.197) .070, .336, .603, .869, 1.133	142 _{7/2} —5102 _{9/2}	— .05		7	2783.141	35920.03	-----	163 _{11/2} —5222 _{13/2}	— .02	--
			-----	270 _{13/2} —6393 _{13/2}	— .02		60	2783.570	35914.49	(.164, .504, .844, 1.184), 2.614	117 _{9/2} —4766 _{7/2}	— .00	--
30r	2715.770	36811.05	(.280, .859) -----	164 _{3/2} —5312 _{3/2}	+ .04		50r	2785.206	35893.39	(.085, .256, .427) 1.179	142 _{7/2} —5011 _{5/2}	— .03	--
20r	2716.246	36804.60	-----	231 _{3/2} —5992 _{7/2}	— .15	7	10	2785.424	35890.58	-----	164 _{3/2} —5221 _{5/2}	— .02	--
15	2716.754	36797.72	-----	166 _{9/2} —5337 _{9/2}	+ .01		9	2785.714	35886.85	(.689) -----	172 _{1/2} —5312 _{3/2}	— .04	--
(3)	2718.659	36771.95	(.442) A	173 _{7/2} —5408 _{7/2}	+ .01		15	2786.138	35881.39	(0w) 1.300h	217 _{7/2} —5765 _{7/2}	— .06	--
9	2719.536	36760.08	-----	224 _{3/2} —5917 _{3/2}	— .01		3	2786.450	35877.37	-----	157 _{5/2} —5164 _{7/2}	— .03	--
15	2719.848	36755.86	-----	138 _{3/2} —5057 _{3/2}	+ .01		20r	2786.558	35875.98	(.114, .350, .575) .580, .810, 1.040, 1.270	150 _{7/2} —5093 _{5/2}	— .01	--
2	2720.364	36748.89	-----	164 _{3/2} —5305 _{5/2}	— .03								
10	2720.659	36744.91	-----	142 _{7/2} —5093 _{5/2}	+ .03								
7	2721.675	36731.20	(.100, .286, .470)	151 _{5/2} —5187 _{3/2}	— .02		7	2789.173	35842.34	-----	146 _{3/2} —5046 _{5/2}	— .00	--
80	2722.702	36717.35	-----	157 _{5/2} —5247 _{5/2}	+ .16		15	2789.268	35841.12	(.334h) -----	138 _{3/2} —4966 _{3/2}	+ .09	--
			-----	197 _{1/2} —5645 _{5/2}	— .00		30	2790.939	35819.67	(.457, .755) .566, .867, 1.168, 1.468, 1.771	157 _{5/2} —5159 _{5/2}	+ .01	--
10	2723.356	36708.52	-----	172 _{1/2} —5392 _{1/2}	— .00								
30	2723.836	36702.05	-----	173 _{7/2} —5401 _{7/2}	— .10								
5h	2724.437	36693.96	-----	142 _{7/2} —5086 _{1/2}	— .04								
9	2724.686	36690.60	-----	270 _{13/2} —6377 _{13/2}	— .07								
3	2724.934	36687.27	(.456, .808, 1.159)	138 _{3/2} —5046 _{3/2}	— .08		10	2791.626	35810.85	(.398) .734C	163 _{11/2} —5212 _{13/2}	— .04	--
20	2727.548	36652.10	(.172, .496)	231 _{3/2} —5978 _{7/2}	— .06		2	2792.940	35794.01	-----	150 _{7/2} —5086 _{7/2}	+ .04	--
3h	2728.286	36642.19	-----	164 _{3/2} —5296 _{3/2}	— .07		3	2794.472	35774.38	-----	263 _{13/2} —6214 _{11/2}	— .00	--
10	2728.628	36637.60	-----	164 _{3/2} —5295 _{3/2}	+ .01		101	2796.078	35753.84	-----	115 _{5/2} —4735 _{7/2}	— .02	--
2	2729.209	36629.80	-----	146 _{5/2} —5122 _{7/2}	— .06		2	2796.467	35748.87	-----	166 _{9/2} —5237 _{7/2}	— .00	--
4	2729.427	36626.88	-----	157 _{5/2} —5237 _{7/2}	+ .03		9	2796.616	35746.96	-----	217 _{7/2} —5752 _{7/2}	— .04	--
10	2729.635	36624.09	-----	115 _{5/2} —4818 _{7/2}	— .04		10	2798.104	35727.95	(0w) 1.385B	138 _{3/2} —4967 _{3/2}	— .03	--
10	2730.826	36608.12	-----	150 _{7/2} —5164 _{7/2}	— .01		3	2799.245	35713.39	(.434) 2.198	173 _{7/2} —5395 _{5/2}	+ .03	--
3h	2731.228	36602.73	-----	146 _{5/2} —5118 _{3/2}	— .0		4	2800.746	35694.25	-----	172 _{1/2} —5295 _{3/2}	+ .10	--
2	2731.416	36600.20	-----	164 _{3/2} —5288 _{5/2}	— .05		3	2801.184	35688.66	-----	163 _{11/2} —5200 _{9/2}	+ .03	--
50R	2732.206	36589.62	-----	150 _{7/2} —5159 _{5/2}	+ .03		4	2805.105	35638.78	-----	266 _{9/2} —5235 _{5/2}	— .04	--
10	2734.31	36561.5	-----	273 _{11/2} —6377 _{13/2}	+ .13		5	2804.506	35646.40	-----	142 _{7/2} —4986 _{7/2}	+ .04	--
6	2736.522	36531.92	(0w) 1.148C	157 _{5/2} —5227 _{3/2}	+ .04		4	2805.977	35627.71	(.496) .987? -----	163 _{11/2} —5194 _{11/2}	— .01	--
10	2736.767	36528.65	-----	217 _{7/2} —5827 _{9/2}	— .04		20	2807.86	35603.8	(.198, .579, .960) -----	224 _{3/2} —5805 _{5/2}	— .04	--
4	2738.625	36503.87	-----	217 _{7/2} —5826 _{1/2}	— .07		4h	2808.456	35596.27	-----	117 _{9/2} —4735 _{7/2}	— .0	--
4	2740.074	36484.56	-----	221 _{9/2} —5861 _{11/2}	+ .10		3	2809.109	35587.98	-----	217 _{7/2} —5737 _{7/2}	— .08	--
15	2741.967	36459.38	-----	157 _{5/2} —5221									

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
30	2816.319	35496.89	(.115) 1.191	221 _{9/2} —5765 _{9/2}	+ .08	--	4	2888.456	34610.42		166 _{9/2} —5122 _{7/2}	+ .06	--
30	2816.954	35488.89	(.294, .879, 1.463, .274, .858, 1.441, 2.025, 2.609	146 _{3/2} —5011 _{5/2}	+ .07	--	20	2889.448	34598.54	(.132, .390, .678).	117 _{9/2} —4633 _{7/2}	+ .07	--
4	2819.528	35456.49		239 _{11/2} —5941 _{11/2}	+ .03	--	20	2891.481	34574.21		166 _{9/2} —5119 _{9/2}	.00	--
50	2819.951	35451.17	(.699, 1.089, 1.528, 1.968) .000, .441, .881, 1.313, 1.745, 2.177, 2.610	117 _{9/2} —4720 _{9/2}	— .04	--	30	2891.878	34569.46	(.137) 1.550h	142 _{7/2} —4873 _{7/2}	— .03	--
							20	2892.634	34560.43	(0w)	194 _{5/2} —5401 _{7/2}	+ .13	--
							10	2894.322	34540.28	(.081, .245, .411, .754, .915, 1.076, 1.237.	157 _{5/2} —5031 _{7/2}	+ .02	--
4	2820.976	35438.29		239 _{11/2} —5939 _{9/2}	.00	--	4H	2894.969	34532.56		217 _{7/2} —5630 _{9/2}	— .01	--
15	2822.123	35423.88	(.108, .321)	138 _{3/2} —4925 _{3/2}	— .02	--	2	2895.328	34528.27		115 _{5/2} —4611 _{5/2}	— .01	--
			1.167, 1.376				15	2895.650	34524.43		150 _{7/2} —4958 _{9/2}	+ .01	--
9	2822.407	35420.32		111 _{5/2} —4700 _{3/2}	— .06	--	60R	2896.012	34520.12	(.251, .747, 1.240, .220, .715, 1.211, 1.696, 2.191.	0 _{5/2} —3452 _{7/2}	— .13	--
15	2823.193	35410.46		174 _{3/2} —5590 _{9/2}	+ .04	--							
2	2823.592	35405.46		173 _{7/2} —5274 _{9/2}	— .02	--	8	2896.446	34514.95		150 _{7/2} —4957 _{5/2}	+ .03	--
20	2824.245	35397.27	(.163) 1.202h	150 _{7/2} —5015 _{9/2}	— .15	--	10	2897.585	34501.38	(.550) .707?z	151 _{7/2} —4966 _{3/2}	+ .12	--
20	2825.458	35382.07	(.483, .672, .861)	217 _{7/2} —5717 _{7/2}	— .03	--	10	2898.785	34487.11	(.071) 1.506	204 _{3/2} —5496 _{3/2}	— .01	--
				169 _{9/2} —5200 _{9/2}	— .02	--	3	2902.112	34447.57		247 _{7/2} —5917 _{5/2}	+ .06	--
3	2826.759	35365.79		142 _{7/2} —4958 _{9/2}	+ .04	--	100	2902.48	34443.2	(0w) 1.186B	224 _{3/2} —5686 _{3/2}	.0	15
4	2826.812	35365.13		194 _{5/2} —5482 _{5/2}	.00	--	10	2905.393	34408.67		166 _{9/2} —5102 _{9/2}	— .01	--
7	2827.284	35359.22		244 _{5/2} —5978 _{7/2}	— .05	--	30	2905.584	34406.41	(.173, .515, .858)†	146 _{5/2} —4903 _{7/2}	+ .02	--
30	2827.523	35356.24	(.111, .333, .553) 2.161	142 _{7/2} —4957 _{5/2}	— .01	--	15	2906.016	34401.29	(.881, .596, .956, 1.312, 1.665, 2.018)†	146 _{5/2} —4902 _{5/2}	— .02	--
7	2827.834	35352.35		271 _{7/2} —6249 _{7/2}	— .03	--							
4	2829.164	35335.73	(0w) 1.160h	166 _{9/2} —5195 _{7/2}	— .01	--	(2h)	2906.11	34400.2		224 _{3/2} —5688 _{5/2}	+ .3	7
10	2829.887	35326.71		166 _{9/2} —5194 _{11/2}	+ .05	--	10	2907.100	34388.46	(.266) A	157 _{5/2} —5015 _{5/2}	+ .01	--
6	2830.096	35324.09		142 _{7/2} —4954 _{5/2}	— .01	--	2h	2907.434	34384.51		194 _{5/2} —5384 _{3/2}	— .00	--
9	2830.833	35314.89		217 _{7/2} —5709 _{7/2}	.00	--	2	2908.704	34369.50		231 _{7/2} —5752 _{7/2}	.00	--
2	2833.02	35287.7		231 _{5/2} —5844 _{5/2}	.0	--	60R	2909.820	34356.32	(.139) 1.234 A	163 _{1/2} —5066 _{11/2}	— .04	--
40	2834.077	35274.47	(.424, 1.270) .124, 725, 1.572	146 _{5/2} —4989 _{3/2}	+ .36	12, 14	9	2910.084	34353.21	(000) 1.334	115 _{5/2} —4593 _{7/2}	— .01	--
				0 _{5/2} —3526 _{5/2}	+ .07	--	2	2911.094	34341.28		204 _{3/2} —5482 _{5/2}	— .01	--
15	2834.608	35267.87		164 _{3/2} —5159 _{3/2}	.00	11	8	2911.232	34339.65		172 _{7/2} —5157 _{3/2}	— .10	--
5	2835.034	35262.57		150 _{7/2} —5031 _{7/2}	— .01	--	3	2912.915	34319.82		280 _{3/2} —6235 _{7/2}	+ .01	--
3	2835.844	35252.50		164 _{3/2} —5157 _{7/2}	— .04	--	10	2913.154	34317.00	(.392) A	173 _{7/2} —5164 _{7/2}	.00	--
6	2836.005	35250.50		146 _{5/2} —4986 _{7/2}	+ .15	--	3	2915.246	34292.37		115 _{5/2} —4587 _{3/2}	— .01	--
7hs	2836.696	35241.91		221 _{9/2} —5739 _{11/2}	— .05	--	3	2916.256	34280.50		194 _{5/2} —5373 _{7/2}	— .07	--
30	2837.547	35231.35	(000) 1.190	197 _{1/2} —5496 _{11/2}	— .02	--	2	2918.052	34259.41		173 _{7/2} —5159 _{5/2}	+ .15	--
8	2839.193	35210.92	(.168) 1.148†?	138 _{3/2} —4902 _{5/2}	— .05	--	1	2918.760	34251.10		221 _{9/2} —5641 _{9/2}	— .08	--
50r	2840.348	35196.60	(000) 1.505	272 _{9/2} —6235 _{7/2}	+ .01	--	7	2918.877	34249.73		166 _{9/2} —5086 _{7/2}	+ .01	--
3	2840.979	35188.79		157 _{5/2} —6093 _{3/2}	+ .01	--	20	2919.407	34243.50	(.372, 1.146) .559, 1.307, 2.057†?	164 _{3/2} —5057 _{3/2}	— .01	--
60r	2843.000	35163.77	(.159) 1.354A	115 _{5/2} —4673 _{3/2}	— .02	--							
20	2844.162	35149.40	(.293, .879) .406, .992, 1.578				3	2921.676	34216.91		231 _{5/2} —5737 _{7/2}	— .03	--
				221 _{9/2} —5728 _{9/2}	— .02	--	20	2924.60	34182.7		117 _{9/2} —4593 _{7/2}	.0	--
8	2846.478	35120.89		231 _{5/2} —5826 _{7/2}	— .03	--	20	2925.195	34175.75	(.214h) 1.242h	266 _{5/2} —6083 _{5/2}	+ .08	--
5	2847.744	35105.10		150 _{7/2} —5015 _{5/2}	— .02	--	2d	2925.606	34170.95		197 _{1/2} —5392 _{9/2}	— .04	--
2h	2848.112	35100.66		157 _{5/2} —6086 _{7/2}	+ .01	--	1	2926.124	34164.90		146 _{5/2} —4878 _{7/2}	+ .01	--
3	2848.280	35098.59		151 _{5/2} —4964 _{5/2}	— .22	--	9	2926.934	34155.45		173 _{7/2} —5148 _{9/2}	— .02	--
3	2848.400	35097.11		115 _{5/2} —4964 _{5/2}	— .05	--	40	2927.42	34149.7	(.184, .549, .912, 1.111, 1.302).	117 _{9/2} —4590 _{11/2}	.0	--
60r	2850.075	35065.41	(.122) 1.302	150 _{7/2} —5011 _{5/2}	+ .06	--							
2	2851.744	35055.95		173 _{7/2} —5237 _{7/2}	+ .18	--	5	2927.714	34146.34		173 _{7/2} —5147 _{5/2}	+ .01	--
10	2852.054	35052.15		194 _{5/2} —5445 _{5/2}	— .01	--	2	2927.852	34144.73		138 _{3/2} —4797 _{5/2}	+ .03	--
20	2852.841	35042.48		272 _{9/2} —6214 _{11/2}	— .04	--	7	2928.576	34136.29	(.282, .854)	164 _{3/2} —5045 _{5/2}	.00	--
10	2855.528	35009.50	(000) 1.352	275 _{9/2} —6249 _{7/2}	+ .21	7	10	2929.48	34125.7		217 _{7/2} —5589 _{7/2}	.1	--
4	2857.808	34981.58		142 _{7/2} —4917 _{9/2}	— .04	--	20	2929.530	34125.18	(0w) 1.110B	157 _{5/2} —4989 _{3/2}	+ .03	--
(4)	2857.985	34979.41		194 _{5/2} —5445 _{5/2}	— .06	--	20	2930.610	34112.61		150 _{7/2} —4917 _{9/2}	+ .04	--
20	2860.074	34953.86		114 _{5/2} —4957 _{5/2}	+ .01	--	7	2932.223	34093.84		163 _{1/2} —5049 _{9/2}	— .02	--
15	2860.254	34951.66		221 _{9/2} —5709 _{7/2}	— .03	--	7	2932.317	34092.74		138 _{3/2} —4789 _{7/2}	.02	--
2	2862.009	34930.22		146 _{5/2} —4954 _{5/2}	— .02	--	5	2934.010	34073.08	(0w) 1.408B	166 _{9/2} —5096 _{11/2}	— .05	--
15	2862.890	34919.48		273 _{11/2} —6214 _{11/2}	— .02	--	15	2936.500	34044.18		224 _{3/2} —5645 _{7/2}	— .03	--
15	2864.563	34899.09		231 _{5/2} —5805 _{5/2}	+ .05	--	8	2937.810	34017.87	(.253) .518	231 _{5/2} —5717 _{7/2}	— .02	--
10	2864.831	34895.82		173 _{7/2} —5221 _{5/2}	+ .08	--	5	2938.772	34017.07		244 _{3/2} —5844 _{3/2}	— .04	--
3	2865.526	34887.37		163 _{1/2} —5119 _{9/2}	— .02	--	2	2938.841	34017.07		204 _{3/2} —5446 _{3/2}	— .01	--
2	2865.612	34886.32		166 _{9/2} —5148 _{9/2}	+ .06	--	9	2941.557	33985.66	(.127) 1.383h	142 _{7/2} —4818 _{7/2}	— .02	--
30	2867.193	34867.07	(000) 1.166 C	164 _{3/2} —5118 _{9/2}	— .06	3	50r	2943.145	33967.32	(.160, .475, .800, 1.125) .456, .775, 1.094, 1.411, 1.730, 2.049, 2.368.			
(5)	2868.151	34855.43	(.375)	275 _{9/2} —6235 _{7/2}	+ .02	--							
3	2869.764	34835.84		142 _{7/2} —4903 _{7/2}	— .1	--	10	2943.382	33964.58		150 _{7/2} —4902 _{5/2}	.00	--
30	2871.82	34810.9	(.233) 1.543h†	150 _{7/2} —4986 _{7/2}	+ .01	--	8	2944.320	33953.77	(.168)	138 _{3/2} —4777 _{3/2}	.00	--
10	2872.304	34805.04	(000) 1.169	157 _{5/2} —6057 _{3/2}	+ .03	--	3	2945.106	33944.71	(.709)	172 _{7/2} —5118 _{3/2}	+ .01	--
10	2872.668	34800.63		115 _{5/2} —4635 _{7/2}	— .04	--	5	2945.886	33935.72	(.192, .567) .447, .865, 1.250.	164 _{3/2} —5026 _{3/2}	+ .01	--
30	2875.282	34768.99	(000) 1.260	151 _{5/2} —4989 _{9/2}	— .02	--	9	2946.572	33927.82		204 _{3/2} —5440 _{5/2}	— .06	--
1	2878.538	34729.66		163 _{1/2} —5102 _{9/2}	+ .01	--							
20	2879.271	34720.82		194 _{5/2} —5445 _{5/2}	— .01	--							
3	2879.391	34719.37		197 _{1/2} —5446 _{3/2}	— .01	--							
1	2880.212	34709.48		244 _{5/2} —5912 _{5/2}	+ .01	--							
6	2880.840	34701.91	(0w) .865 C	157 _{5/2} —6046 _{5/2}	+ .03	--							
10	2881.546	34693.41		173 _{7/2} —5200 _{9/2}	+ .02	--							
30	2883.444	34670.57		239 _{11/2} —5981 _{11/2}	+ .03	--	2h	2948.384	339				

TABLE 2. *Classified lines of Re I—Continued*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
30r	<i>A</i> 2962.266	<i>K</i> 33748.08	(.099, .294, .490) .787, .983, 1.179, 1.374, 1.569, (000) 1.142h	115 _{5/2} —453 _{3/2}	+ .01	--	15	3021.881	33082.33	(.149, .444) .701, .999, 1.299, 1.598, (.101, .307, .514, .720).	146 _{5/2} —4770 _{3/2}	+ .01	--
15	2962.870	33741.20	(.474, .809, 1.142) 1.083, 1.408, 1.733, 2.057, 2.382†	221 _{9/2} —558 _{7/2}	+ .04	--	15	3022.989	33070.21	(.000) 1.109†	173 _{7/2} —5040 _{9/2}	+ .02	--
2	2964.01	33728.2	(.119, .358, .596, .834) 2.440†	150 _{7/2} —487 _{5/2}	.0	--	5	3023.573	33063.81	(.231, .697, 1.165, 1.631) — .562, — .086, 388, 869, 1.335, 1.807, (.343) 1.200A†?	221 _{9/2} —552 _{1/2}	.00	--
80R	2965.112	33715.69	(.000) 1.196 (.173, .521, .870) 1.048, 1.395, 1.742, 2.089, 2.436	142 _{7/2} —479 _{3/2}	.00	--	9	3025.058	33047.59	(.538) A	217 _{7/2} —548 _{5/2}	— .03	--
2	2965.502	33711.25	(.088, .263, .438) 1.273,	231 _{5/2} —568 _{3/2}	.00	--	1	3027.128	33024.99	(.085, .256, .427).	146 _{5/2} —476 _{6/2}	+ .04	--
150R	2965.756	33708.37	(.412, .816), .535, .930, 1.333.	117 _{9/2} —454 _{6/2}	+ .06	--	2	3027.958	33015.94	(.218, .659) 1.033, 1.447, 1.935.	172 _{7/2} —502 _{6/2}	+ .07	--
2	2966.416	33700.87	(.760) A	239 _{11/2} —576 _{5/2}	+ .02	--	2	3028.099	33014.40	(.194 _{5/2} —524 _{7/2})	157 _{5/2} —487 _{8/2}	+ .01	--
2	2966.746	33697.12	(.166 _{9/2} —503 _{1/2})	173 _{7/2} —510 _{9/2}	— .02	--	30	3030.446	32988.84	(.163 _{11/2} —492 _{8/2})	194 _{5/2} —524 _{7/2}	— .02	--
10	2967.246	33691.43	(.117 _{9/2} —453 _{4/2})	166 _{9/2} —503 _{1/2}	+ .01	--	6	3031.266	32979.90	(.189, .568) 1.292, 1.672, 2.054.	173 _{7/2} —503 _{1/2}	+ .02	--
20	2968.044	33682.38	(.164 _{3/2} —498 _{9/2})	142 _{7/2} —478 _{9/2}	+ .02	--	2	3031.358	32978.90	(.338, 1.017, 1.697) 1.226, 1.905, 2.584. (.550) A	163 _{11/2} —492 _{8/2}	— .02	--
3	2968.330	33679.13	(.117 _{9/2} —453 _{4/2})	217 _{7/2} —554 _{5/2}	+ .05	--	9	3032.792	32963.32	(.0w) 1.020 C	166 _{9/2} —495 _{8/2}	— .01	--
8	2975.023	33603.37	(.115 _{5/2} —451 _{3/2})	173 _{7/2} —508 _{5/2}	+ .01	--	20h	3034.552	32944.20	(.138 _{5/2} —522 _{7/2})	2044 _{7/2} —533 _{9/2}	.0	--
10	2975.250	33600.80	(.164 _{3/2} —498 _{9/2})	194 _{5/2} —530 _{5/2}	— .05	--	8	3035.622	32932.58	(.247 _{7/2} —576 _{5/2})	247 _{7/2} —576 _{5/2}	— .05	--
3	2975.658	33596.20	(.146 _{5/2} —481 _{8/2})	271 _{7/2} —607 _{3/2}	+ .05	--	9	3036.552	32922.50	(.164 _{3/2} —492 _{5/2})	164 _{3/2} —492 _{5/2}	— .01	--
40	2976.294	33589.02	(.231 _{5/2} —566 _{9/2})	0 _{5/2} —355 _{8/2}	— .10	--	1	3037.222	32915.24	(.150 _{7/2} —479 _{7/2})	194 _{5/2} —525 _{7/2}	+ .01	--
9	2977.300	33577.67	(.117 _{9/2} —453 _{4/2})	166 _{9/2} —501 _{9/2}	+ .01	--	4	3037.463	32912.63	(.138 _{5/2} —522 _{7/2})	150 _{7/2} —479 _{7/2}	.00	--
20	2978.152	33568.07	(.166 _{9/2} —501 _{9/2})	164 _{3/2} —498 _{9/2}	+ .01	--	15	3037.960	32907.25	(.189, .568) 1.292, 1.672, 2.054.	138 _{5/2} —467 _{3/2}	— .01	--
1	2978.622	33562.77	(.146 _{5/2} —481 _{8/2})	146 _{5/2} —481 _{8/2}	+ .03	--	20	3040.033	32884.80	(.338, 1.017, 1.697) 1.226, 1.905, 2.584. (.550) A	142 _{7/2} —471 _{5/2}	+ .05	--
2	2980.244	33544.50	(.231 _{5/2} —566 _{9/2})	231 _{5/2} —566 _{9/2}	— .10	--	10	3041.000	32874.35	(.150 _{7/2} —479 _{7/2})	150 _{7/2} —479 _{7/2}	— .01	--
20	2980.820	33538.02	(.117 _{9/2} —453 _{4/2})	173 _{7/2} —508 _{5/2}	+ .16	--	7	3041.760	32866.14	(.173 _{7/2} —501 _{9/2})	173 _{7/2} —501 _{9/2}	+ .02	--
7	2981.010	33535.89	(.115 _{5/2} —451 _{3/2})	115 _{5/2} —451 _{3/2}	+ .17	--	6	3041.993	32863.62	(.163 _{11/2} —491 _{7/2})	163 _{11/2} —491 _{7/2}	+ .01	+
2	2981.350	33532.06	(.197 _{1/2} —532 _{9/2})	197 _{1/2} —532 _{9/2}	+ .08	--	10	3044.084	32841.04	(.0w) 1.020 C	150 _{7/2} —478 _{9/2}	+ .01	--
3	2981.495	33530.43	(.247 _{7/2} —582 _{6/2})	247 _{7/2} —582 _{6/2}	+ .08	--	3	3045.286	32828.08	(.173 _{7/2} —501 _{5/2})	173 _{7/2} —501 _{5/2}	+ .03	--
4	2984.504	33496.62	(.164 _{3/2} —498 _{9/2})	164 _{3/2} —498 _{9/2}	+ .04	--	1	3045.732	32823.28	(.138 _{5/2} —522 _{7/2})	138 _{5/2} —522 _{7/2}	— .02	--
7	2984.750	33493.86	(.197 _{1/2} —532 _{9/2})	197 _{1/2} —532 _{9/2}	+ .06	--	5	3046.000	32820.39	(.194 _{5/2} —524 _{7/2})	194 _{5/2} —524 _{7/2}	.00	--
7d	2986.050	33479.29	(.146 _{5/2} —481 _{8/2})	146 _{5/2} —481 _{8/2}	+ .03	--	30	3047.252	32806.91	(.246) 1.180 A	280 _{5/2} —608 _{3/2}	+ .13	--
20	2988.471	33452.16	(.194 _{5/2} —529 _{5/2})	194 _{5/2} —529 _{5/2}	+ .16	--	8	3049.802	32779.48	(.239, 720, 1.200).	173 _{7/2} —501 _{5/2}	+ .02	--
4	2988.918	33447.16	(.224 _{3/2} —559 _{3/2})	224 _{3/2} —559 _{3/2}	+ .11	--	4	3051.590	32760.27	(.372) A	194 _{5/2} —522 _{5/2}	+ .05	--
150R	2992.363	33408.65	(.190, .564, .929, 1.294) .292, .643, 1.012, 1.377, 1.742, 2.108.	142 _{7/2} —476 _{6/2}	+ .01	--	3	3052.799	32747.29	(.244 _{3/2} —571 _{7/2})	244 _{3/2} —571 _{7/2}	— .01	--
8	2993.176	33399.58	(.223, .671, 1.120) .830, 1.277, 1.727, 2.174, 2.621.	204 _{3/2} —539 _{8/2}	— .01	--	3	3052.884	32746.38	(.362) A	231 _{5/2} —559 _{9/2}	+ .09	--
20	2995.395	33374.84	(.194 _{5/2} —528 _{5/2})	194 _{5/2} —528 _{5/2}	+ .03	--	10	3053.629	32738.40	(.217 _{7/2} —545 _{7/2})	217 _{7/2} —545 _{7/2}	— .04	--
2	2996.074	33367.27	(.305 _{11/2} —639 _{3/2})	305 _{11/2} —639 _{3/2}	— .01	--	3	3053.766	32736.93	(.146 _{5/2} —475 _{5/2})	146 _{5/2} —475 _{5/2}	+ .03	--
3	2996.533	33362.16	(.197 _{1/2} —531 _{3/2})	197 _{1/2} —531 _{3/2}	— .01	5	9	3054.899	32724.79	(.115 _{5/2} —443 _{9/2})	115 _{5/2} —443 _{9/2}	+ .02	--
9	2997.686	33349.34	(.146 _{5/2} —479 _{5/2})	146 _{5/2} —479 _{5/2}	— .02	--	2	3056.136	32711.54	(.197 _{1/2} —524 _{6/2})	197 _{1/2} —524 _{6/2}	.00	--
4	2997.902	33346.93	(.000) 1.149	138 _{3/2} —471 _{3/2}	+ .1	--	10	3057.660	32695.24	(.164 _{3/2} —490 _{5/2})	164 _{3/2} —490 _{5/2}	— .02	--
5	2997.980	33346.07	(.365) 1.093w†?	138 _{3/2} —471 _{3/2}	+ .1	--	6	3057.852	32693.18	(.110, .329, .548) 1.174, 1.393†.	298 _{5/2} —624 _{9/2}	+ .05	--
5	2998.550	33339.73	(.677)	183 _{3/2} —471 _{3/2}	+ .1	--	20	3058.780	32683.27	(.000) 1.174	138 _{3/2} —465 _{9/2}	— .01	--
200R	2999.599	33328.06	(.072, .219, .366, .513) .731, .882, 1.032, 1.182, 1.332, 1.482.	164 _{3/2} —496 _{3/2}	+ .09	--	3	3061.608	32653.08	(.0w) 1.288 C	166 _{9/2} —492 _{8/2}	+ .04	--
4	3000.581	33317.16	(.117 _{9/2} —450 _{8/2})	117 _{9/2} —450 _{8/2}	— .05	--	4	3061.618	32653.08	(.270)	172 _{7/2} —498 _{9/2}	— .03	--
20r	3001.137	33310.99	(.081, .243, .406) 1.368, 1.533, 1.698.	115 _{5/2} —449 _{7/2}	— .03	--	3	3062.500	32643.57	(.130) 1.184 h†	221 _{9/2} —548 _{1/2}	.00	--
3	3002.633	33294.40	(.117 _{9/2} —450 _{8/2})	115 _{5/2} —449 _{7/2}	— .03	--	3	3063.383	32634.15	(.271 _{7/2} —597 _{8/2})	271 _{7/2} —597 _{8/2}	+ .03	--
20	3004.136	33277.73	(.1032, 1.182, 1.332, 1.482.	146 _{5/2} —479 _{3/2}	+ .10	--	7	3063.499	32622.27	(.204 _{3/2} —531 _{3/2})	204 _{3/2} —531 _{3/2}	+ .11	--
9	3004.342	33275.45	(.081, .243, .406) 1.368, 1.533, 1.698.	146 _{5/2} —479 _{3/2}	+ .10	--	1	3064.499	32622.27	(.1063) 1.446 h.	217 _{7/2} —544 _{9/2}	— .06	--
4	3005.232	33265.60	(.170) 1.190 A	221 _{9/2} —554 _{5/2}	— .04	--	7	3064.597	32621.23	(.502)	172 _{7/2} —498 _{5/2}	— .05	--
10	3005.975	33257.38	(.289, .892) (.000, .590, 1.173).	146 _{5/2} —478 _{9/2}	— .03	--	5	3065.279	32613.97	(.151 _{5/2} —477 _{3/2})	151 _{5/2} —477 _{3/2}	+ .06	--
20	3006.425	33252.40	(.467), .967, 1.142, 1.318, 1.504, 1.693†	138 _{3/2} —471 _{3/2}	+ .1	--	200r	3067.398	32591.44	(.093, .280) 1.866, 2.044, 2.231, (.150, .446) .836, 1.134, 1.432, 1.726.	150 _{7/2} —476 _{6/2}	— .01	--
7	3007.04	33245.6	(.163 _{11/2} —495 _{8/2})	163 _{11/2} —495 _{8/2}	— .01	--	60r	3069.942	32564.44	(.150, .446) .836, 1.134, 1.432, 1.726.	0 _{5/2} —325 _{9/2}	— .19	--
4	3007.19	33243.9	(.266 _{5/2} —599 _{7/2})	266 _{5/2} —599 _{7/2}	+ .12	--	2	3070.679	32556.62	(.166) 1.149 h.	247 _{7/2} —572 _{8/2}	— .02	--
10	3007.975	33237.38	(.157 _{5/2} —490 _{3/2})	157 _{5/2} —490 _{3/2}	— .05	--	20	3071.164	32551.47	(.159 _{9/2} —491 _{7/2})	159 _{9/2} —491 _{7/2}	— .01	--
20	3008.425	33232.40	(.157 _{5/2} —490 _{3/2})	157 _{5/2} —490 _{3/2}	+ .05	--	3	3072.452	32537.83	(.151 _{5/2} —477 _{9/2})	151 _{5/2} —477 _{9/2}	— .06	--
7	3007.04	33245.6	(.163 _{11/2} —495 _{8/2})	163 _{11/2} —495 _{8/2}	— .01	--	20	3072.965	32532.40	(.284) 1.227 A	173 _{7/2} —498 _{6/2}	.00	--
4	3007.19	33243.9	(.266 _{5/2} —599 _{7/2})	266 _{5/2} —599 _{7/2}	+ .12	--	3	3074.102	32520.37	(.197 _{1/2} —522 _{3/2})	197 _{1/2} —522 _{3/2}	.00	--
10	3007.975	33237.38	(.157 _{5/2} —490 _{3/2})	157 _{5/2} —490 _{3/2}	— .05	--	8H	3075.02	32510.7	(.266 _{5/2} —591 _{7/2})	266 _{5/2} —591 _{7/2}	+ .3	--
20	3008.425	33232.40	(.157 _{5/2} —490 _{3/2})	157 _{5/2} —490 _{3/2}	+ .05	--	10	3076.142	32498.80	(.428) 1.936	217 _{7/2} —544 _{9/2}	— .06	--
7	3007.04	33245.6	(.163 _{11/2} —495 _{8/2})	163 _{11/2} —495 _{8/2}	— .01	--	5	3076.304	32497.09	(.151 _{5/2} —476 _{5/2})	151 _{5/2} —476 _{5/2}	— .05	--
4	3007.19	33243.9	(.266 _{5/2} —599 _{7/2})	266 _{5/2} —599 _{7/2}	+ .12	--	3						

TABLE 2. *Classified lines of Re I—Continued*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
10	3089.932	32353.77	(000) 1.157	221 _{9/2} —5451 _{1/2}	— .03	--	7	3164.864	31587.79		157 _{5/2} —4735 _{1/2}	— .15	--
20	3093.636	32315.04	(.384) 1.099, 1.869.	138 _{3/2} —461 _{4/2}	+ .05	--	7	3165.802	31578.43	(0w) 1.278w.	221 _{9/2} —5373 _{1/2}	+ .01	--
4	3093.994	32311.30		217 _{7/2} —5408 _{1/2}	+ .03	--	7	3166.476	31571.71		164 _{3/2} —4789 _{3/2}	— .00	--
10	3095.060	32300.16	(000) 1.152.	150 _{7/2} —4735 _{1/2}	— .01	--	7	3166.904	31567.45		151 _{1/2} —4673 _{3/2}	— .04	--
20	3095.788	32292.57		142 _{7/2} —4650 _{5/2}	+ .03	--	10	3167.155	31564.93	(.544) A.	166 _{9/2} —4818 _{1/2}	+ .01	--
7	3096.414	32286.04		138 _{3/2} —461 _{1/2}	— .08	--	5	3167.594	31560.56	(.248) 1.259A.	217 _{7/2} —5333 _{1/2}	+ .02	--
4	3097.922	32270.33		279 _{3/2} —5978 _{1/2}	— .03	--	50	3168.374	31552.79		163 _{11/2} —4785 _{11/2}	+ .01	--
2	3098.674	32262.50		263 _{13/2} —5861 _{11/2}	— .03	--	2	3169.097	31545.60		217 _{7/2} —5332 _{9/2}	+ .05	--
(1H)	3099.69	32251.9		163 _{11/2} —4856 _{11/2}	+ .02	--	10	3170.992	31526.75	(000)	173 _{7/2} —4885 _{7/2}	— .03	--
3	3099.765	32251.14		173 _{7/2} —4958 _{9/2}	+ .1	13	9	3173.094	31505.86	(.198, .597)	138 _{3/2} —4535 _{3/2}	— .05	--
40R	3100.672	32241.71	(.136, .407, .677, .948, 1.219) .047, .317, .589, .862, 1.133, 1.404, 1.676, 1.936.	272 _{9/2} —5941 _{11/2}	+ .03	--	20	3174.610	31490.82	(.495, .890, 1.289, 1.690, .369, .639, .743, 1.014, 1.284, 1.552, 1.810) †?	146 _{5/2} —4611 _{5/2}	+ .04	--
7	3100.998	32238.32		166 _{9/2} —4885 _{7/2}	— .00	--	20	3174.776	31489.18		270 _{13/2} —5861 _{11/2}	— .00	--
3	3101.700	32231.03		115 _{5/2} —4381 _{7/2}	— .02	--	2	3176.084	31476.20		194 _{5/2} —5093 _{5/2}	— .09	--
2	3103.709	32210.16		173 _{7/2} —4954 _{5/2}	+ .02	--	30R	3177.714	31460.06	(.085, .256, .425) 1.029, 1.196, 1.362, 1.529, 1.696.	115 _{5/2} —4304 _{5/2}	— .00	--
10	3104.647	32200.43		157 _{5/2} —4797 _{5/2}	+ .03	--	2	3177.934	31457.88		272 _{9/2} —5861 _{11/2}	— .09	--
-2	3105.660	32189.93		194 _{5/2} —5164 _{7/2}	— .00	--	2	3178.176	31455.49		173 _{7/2} —4878 _{7/2}	— .04	--
5	3107.864	32167.10		166 _{9/2} —4878 _{7/2}	+ .03	--	6	3178.488	31452.40	(.495)	164 _{3/2} —4777 _{3/2}	— .00	--
100R	3108.808	32157.33	(.142, .378, .613, .849) .468, .715, .972, 1.218, 1.461, 1.707, 1.953 †.	142 _{7/2} —4637 _{9/2}	— .06	--	15	3178.612	31451.17	(.111, .334, .556) .593, .817 . . .	150 _{7/2} —4650 _{5/2}	— .04	--
4	3109.478	32150.41		273 _{11/2} —5939 _{9/2}	— .00	--	3h	3181.258	31425.01		197 _{1/2} —5118 _{3/2}	— .08	--
8	3109.756	32147.53		150 _{7/2} —4720 _{9/2}	— .01	--	1	3181.792	31419.74		224 _{3/2} —5384 _{3/2}	+ .04	--
40r	3110.860	32136.13	(.447, .611, 1.049) .526, .821, 1.116, 1.413, 1.710, 2.002, 2.301 †.	142 _{7/2} —4635 _{7/2}	— .00	--	7	3182.664	31411.13	(.623)	194 _{5/2} —5087 _{5/2}	+ .02	10
2	3111.236	32132.24		194 _{5/2} —5159 _{5/2}	+ .05	--	100R	3182.869	31409.11	(.466, .925) .632, 1.110, 1.588 †?	1895 _{5/2} —5035 _{7/2}	— .0	--
9	3111.564	32128.85	(.256) A.	157 _{5/2} —4789 _{5/2}	+ .05	--	200R	3184.760	31390.46		1895 _{5/2} —5034 _{5/2}	— .0	--
2	3112.404	32120.18		194 _{5/2} —5157 _{3/2}	+ .02	--	250R	3185.574	31382.44		1895 _{5/2} —5033 _{3/2}	— .1	--
1	3112.594	32118.22		115 _{5/2} —4370 _{3/2}	— .02	--	1	3186.198	31376.29		164 _{3/2} —4770 _{3/2}	+ .02	--
7	3113.205	32111.92	(.352, 1.057)	146 _{5/2} —4673 _{3/2}	— .00	--	10	3186.292	31375.37	(0w) 1.155.	273 _{11/2} —5861 _{11/2}	— .07	--
40	3118.192	32060.57	(0w) 2.195 B.	117 _{9/2} —4381 _{7/2}	+ .08	--	3	3187.956	31358.99	(.104) 1.819	231 _{5/2} —5451 _{7/2}	— .04	--
4	3119.192	32050.28		138 _{3/2} —4587 _{3/2}	+ .06	--	20	3190.170	31337.23	(.211, .634, 1.057) .263, .684, 1.105.	164 _{3/2} —4765 _{1/2}	— .00	--
2	3119.744	32044.61		224 _{3/2} —5446 _{3/2}	+ .04	--	20	3190.782	31331.22	(.526, 1.948, .083, .249) 1.668.	157 _{5/2} —4710 _{5/2}	+ .03	--
3	3119.854	32043.48		150 _{7/2} —4710 _{5/2}	+ .06	--					146 _{5/2} —4593 _{7/2}	— .01	--
30	3121.360	32028.03	(.478) A.	146 _{5/2} —4664 _{3/2}	+ .07	--	(3)	3192.608	31313.30		166 _{9/2} —4793 _{7/2}	+ .03	7
3	3122.206	32019.35		194 _{5/2} —5147 _{5/2}	+ .09	--	4	3192.682	31312.57		231 _{5/2} —5446 _{3/2}	— .02	--
1h	3122.411	32017.25		221 _{9/2} —5417 _{7/2}	+ .04	--	10	3193.199	31307.50	(000) 1.165.	221 _{9/2} —5346 _{11/2}	— .03	--
9	3123.161	32009.55	(0w) 1.271.	157 _{5/2} —4777 _{3/2}	+ .06	--	1	3193.979	31299.86		311 _{5/2} —6249 _{7/2}	+ .07	16
3	3123.413	32006.97		151 _{1/2} —4718 _{1/2}	— .0	--	1	3193.979	31299.86		278 _{9/2} —5912 _{3/2}	+ .21	--
1	3124.956	31991.17		138 _{3/2} —4581 _{1/2}	+ .03	--	30	3194.497	31294.79	(.385) 1.212A.	150 _{7/2} —4635 _{7/2}	— .01	--
2	3125.288	31987.77		204 _{3/2} —5246 _{1/2}	+ .05	--	3	3195.666	31283.33		217 _{7/2} —5305 _{5/2}	— .01	--
1	3125.384	31986.79		224 _{3/2} —5440 _{3/2}	+ .01	--	3	3197.248	31267.86	(.537, .692, .846) A †?	239 _{11/2} —5522 _{11/2}	+ .01	--
10	3125.518	31985.42	(.337, .559) .932, 1.157, 1.383.	115 _{5/2} —4355 _{3/2}	+ .02	12					146 _{5/2} —4587 _{3/2}	— .02	--
3	3128.353	31956.43		239 _{11/2} —5591 _{9/2}	+ .01	--	15	3198.578	31254.86		231 _{5/2} —5440 _{3/2}	+ .06	--
40	3128.944	31950.40	(0w) 1.700B †?	166 _{9/2} —4856 _{11/2}	+ .05	--	8	3199.486	31245.98		142 _{7/2} —4546 _{7/2}	+ .01	--
1	3130.608	31933.42		157 _{5/2} —4770 _{3/2}	+ .06	--	20	3200.035	31240.62	(0w) 1.185C.	166 _{9/2} —4785 _{11/2}	— .03	--
3	3131.270	31926.66		221 _{9/2} —5408 _{1/2}	+ .03	--	10	3200.725	31233.89	(000) 1.344.	157 _{5/2} —4700 _{3/2}	— .03	--
2	3132.013	31919.09		261 _{3/2} —5805 _{5/2}	+ .08	--	6	3202.224	31219.27		221 _{9/2} —5337 _{9/2}	— .04	--
10	3134.022	31898.63	(0w) .883C.	157 _{5/2} —4766 _{7/2}	+ .04	--	100	3204.245	31199.58	(0w) 1.292B.	163 _{11/2} —4750 _{11/2}	— .06	--
2	3134.344	31895.23		142 _{7/2} —4611 _{5/2}	— .02	--	15	3205.420	31188.15	(0w) .959D.	247 _{7/2} —5591 _{9/2}	— .05	--
10	3135.068	31887.98		146 _{5/2} —4650 _{5/2}	+ .04	--	9	3208.222	31160.90	(.237, .400, .563, .727).	221 _{9/2} —5332 _{9/2}	— .01	--
3	3138.026	31857.93		221 _{9/2} —5401 _{7/2}	— .22	--					273 _{1/2} —5854 _{1/2}	— .07	--
5	3139.263	31845.37		224 _{3/2} —5426 _{3/2}	+ .02	--	1	3208.582	31157.41		273 _{1/2} —5854 _{1/2}	— .05	--
10	3139.792	31840.01		173 _{7/2} —4917 _{5/2}	+ .07	--	1	3208.662	31156.63		217 _{7/2} —5827 _{9/2}	— .01	--
9	3139.945	31838.46	(.545) .741.	151 _{1/2} —4700 _{3/2}	+ .01	--	2	3210.564	31138.17		142 _{7/2} —4534 _{9/2}	— .05	--
4	3141.254	31825.20		115 _{5/2} —4341 _{5/2}	+ .05	--	20	3211.752	31126.66	(.221, .650, 1.083) .000, .436, .870, 1.302.			
10	3141.381	31823.91	(000) 1.522B.	115 _{5/2} —4340 _{7/2}	— .00	--							
3	3141.718	31820.50		239 _{11/2} —5577 _{13/2}	— .01	--							
1	3144.86	31788.7		266 _{5/2} —5394 _{11/2}	— .0	--							
4	3145.616	31781.07		194 _{5/2} —5122 _{7/2}	+ .03	--	15	3212.938	31115.17	(.242, .713, 1.171, 1.637).	142 _{7/2} —4533 _{5/2}	— .00	--
10	3146.536	31771.78	(0w) .935 D.	115 _{5/2} —4334 _{3/2}	+ .00	--							
3	3147.911	31757.89		204 _{3/2} —5221 _{3/2}	— .02	--	2	3213.152	31113.10		194 _{5/2} —5057 _{3/2}	— .03	--
4	3150.047	31736.36		146 _{5/2} —4635 _{7/2}	— .02	--	3	3213.646	31108.32		204 _{3/2} —5159 _{5/2}	— .03	--
6	3150.529	31731.51		194 _{5/2} —5118 _{5/2}	+ .02	--	3	3213.890	31105.95		217 _{7/2} —5888 _{5/2}	+ .01	--
10	3151.162	31725.13		142 _{7/2} —4593 _{7/2}	+ .04	--	9	3214.110	31103.82	(0w) 1.099.	263 _{13/2} —5714 _{13/2}	— .05	--
40	3151.636	31720.36	(.610, .890) .603, .887, 1.167, 1.420, 1.701, 1.994 †?				2	3214.646	31098.63		272 _{9/2} —5826 _{7/2}	— .01	--
40r	3153.79	31698.7	(.253, .462, .672, .881) .660, .856, 1.051, 1.247, 1.441 †?	117 _{9/2} —4345 _{9/2}	— .1	--	4	3214.818	31096.97		280 _{9/2} —5912 _{3/2}	— .03	--
2	3156.552	31670.96		266 _{5/2} —5833 _{5/2}	— .03	--	2	3219.712	31049.70		166 _{9/2} —4766 _{7/2}	— .04	--
4	3156.827	31668.20		231 _{5/2} —5482 _{5/2}	— .01	--	2	3220.466	31042.44		263 _{13/2} —5827 _{11/2}	— .01	--
50	3158.306	31653.38		117 _{9/2} —4340 _{7/2}	+ .03	--	2	3221.194	31035.42		273 _{11/2} —5827 _{9/2}	— .07	--
6	3159.312	31643.29	(.275 . . .)	164 _{3/2} —4797 _{5/2}	— .02	--	2	3221.860	31029.01		231 _{5/2} —5417 _{7/2}	— .07	--
2	3162.208	31614.32		217 _{7/2} —5338 _{5/2}	— .01	--	1	3222.549	31022.37		194 _{5/2} —5014 _{5/2}	— .00	--
4	3163.243	31603.97		217 _{7/2} —5337 _{9/2}	+ .02	--	2	3224.260	31005.91	(.807) 1.541.	151 _{1/2}		

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	
30	<i>A</i> 3235.944	<i>K</i> 30893.96	(.077, .239) 1.235, 1.407, 1.571	$138_{3/2} - 447_{23/2}$	-.01	--	9	<i>A</i> 3322.196	<i>K</i> 30091.91	(.167, .500), .832, 1.164, 1.707, 1.041, 1.376, 1.712, 2.048, 2.389, 2.729,†	$142_{7/2} - 4430_{3/2}$ $117_{9/2} - 4184_{7/2}$	+ .04 + .02	--	
10	3237.513	30878.99	{(000) 1.325 (.216, .368, .520)	$157_{5/2} - 406_{45/2}$ $150_{7/2} - 459_{57/2}$ $224_{3/2} - 532_{53/2}$ $231_{5/2} - 540_{51/2}$	-.01 -.00 -.01 -.05	--	50	3322.478	30089.35		$204_{3/2} - 6057_{3/2}$ $163_{11/2} - 4637_{9/2}$ $224_{3/2} - 6247_{5/2}$ $224_{3/2} - 6246_{5/2}$ $244_{3/2} - 6446_{5/2}$ $266_{9/2} - 6669_{5/2}$ $271_{7/2} - 6717_{5/2}$ $173_{7/2} - 4735_{5/2}$ $280_{9/2} - 6805_{5/2}$ $142_{7/2} - 4422_{9/2}$	+ .06 + .10 -.08 -.00 +.03 -.10 -.02 -.01 +.08 -.03	22	
4	3238.363	30870.88	(.000) 1.1922h	$239_{11/2} - 548_{51/2}$ $285_{7/2} - 593_{59/2}$ $164_{3/2} - 471_{81/2}$ $164_{3/2} - 471_{73/2}$ $146_{5/2} - 454_{67/2}$	+.01 -.02 +.2 +.1 -.03	--	10	3324.930	30067.17					
2	3238.938	30865.40					5	3326.896	30049.40					
4	3239.156	30863.33					5	3327.204	30046.62	(.276) .521				
1	3239.807	30857.13					9	3327.712	30042.03					
4	3240.331	30852.14					4	3328.172	30037.88					
1	3241.023	30845.55					3	3328.874	30031.55					
1	3241.112	30844.71					2	3329.319	30027.53					
10	3241.466	30841.34	(.077, .232, .382) (.1371, 1.526, 1.681				2	3330.116	30020.34					
2	3242.174	30834.60					15	3331.520	30007.69	(.157, .471, .786, 1.100) (.188, .565) 1.105, 1.408, .699, 1.081, 1.466, 1.853†				
10	3248.547	30774.11	(.408, 1.221)	$217_{7/2} - 526_{51/2}$ $164_{3/2} - 471_{103/2}$ $279_{9/2} - 682_{57/2}$ $169_{9/2} - 473_{57/2}$ $157_{5/2} - 465_{103/2}$ $261_{3/2} - 568_{53/2}$ $247_{7/2} - 551_{57/2}$ $278_{5/2} - 685_{41/2}$ $146_{5/2} - 453_{33/2}$ $151_{1/2} - 458_{73/2}$ $266_{5/2} - 673_{71/2}$ $194_{5/2} - 501_{53/2}$ $194_{5/2} - 528_{55/2}$ $142_{7/2} - 449_{67/2}$ $164_{3/2} - 470_{81/2}$	-.01 +.01 +.01 -.09 +.01 -.01 -.03 +.01 -.16 -.04 +.09 -.00 -.01 +.01 +.01	--	20	3335.364	29973.11		$115_{5/2} - 4155_{3/2}$	-.01	--	
2	3252.259	30738.99	(.137) 1.343				2	3337.250	29956.17					
3	3255.292	30710.41	(.218, .651) (.149, .450), 1.928				300R	3338.178	29947.84	(.104, .323, .548, .772) .920, 1.135† (.155) 2.361				
8	3256.286	30700.98					15	3339.685	29934.33					
2	3256.666	30697.39					3	3340.304	29928.78					
7	3258.055	30684.30					250R	3342.245	29911.40	(.376) 1.877h†				
40r	3258.848	30676.84	(.218, .651) (.149, .450), 1.928				1	3343.092	29903.83					
50r	3259.550	30670.23	(.828, 1.127, 1.426, 1.726	$115_{5/2} - 4225_{3/2}$.00	--	100	3344.322	29892.82	(.156, .484) 1.572† (.239, .722) 1.252, 1.727, 2.199	$151_{1/2} - 451_{23/2}$ $204_{47/2} - 5039_{9/2}$	+ .25 -.1	--	
1	3260.052	30665.51					4	3346.606	29872.43					
20	3261.559	30651.35	(0w) 2.276	$151_{1/2} - 458_{113/2}$ $173_{7/2} - 479_{53/2}$ $285_{7/2} - 591_{53/2}$ $173_{7/2} - 479_{37/2}$ $138_{5/2} - 444_{113/2}$ $166_{9/2} - 472_{99/2}$ $231_{5/2} - 537_{37/2}$ $157_{5/2} - 463_{57/2}$ $221_{9/2} - 527_{49/2}$ $173_{7/2} - 478_{93/2}$ $204_{47/2} - 509_{99/2}$ $172_{1/2} - 477_{73/2}$ $224_{3/2} - 529_{63/2}$ $224_{3/2} - 529_{53/2}$ $271_{7/2} - 576_{59/2}$ $266_{5/2} - 571_{77/2}$ $197_{1/2} - 502_{63/2}$ $146_{5/2} - 451_{23/2}$ $172_{1/2} - 477_{103/2}$ $204_{3/2} - 509_{33/2}$ $221_{9/2} - 526_{113/2}$ $217_{7/2} - 522_{153/2}$ $194_{5/2} - 498_{99/2}$ $172_{1/2} - 476_{51/2}$ $273_{11/2} - 576_{59/2}$ $164_{3/2} - 467_{33/2}$ $117_{9/2} - 421_{49/2}$ $319_{7/2} - 623_{57/2}$ $288_{7/2} - 591_{73/2}$ $157_{5/2} - 461_{113/2}$ $146_{5/2} - 449_{47/2}$ $164_{3/2} - 466_{43/2}$ $280_{5/2} - 583_{33/2}$ $150_{7/2} - 453_{49/2}$ $146_{5/2} - 449_{67/2}$ $150_{7/2} - 453_{33/2}$ $270_{13/2} - 573_{91/2}$ $115_{5/2} - 418_{47/2}$ $231_{5/2} - 533_{83/2}$ $272_{9/2} - 573_{91/2}$	+.13 -.02 -.02 -.03 -.04 -.00 -.03 -.00 +.01 -.1 -.04 -.01 -.04 -.03 -.05 -.10 -.1 -.04 -.00 +.05 +.05 +.01 +.27 -.03 -.3 -.02 -.03 0 -.02 +.01 +.03 +.07 +.01 -.03 +.04 -.01 -.02 +.03 +.03	--	4	3346.606	29872.43					
2	3262.768	30639.98	(0w) 1.453B				2	3348.292	29857.38					
1	3263.877	30629.57					1	3348.508	29855.46					
15	3266.851	30601.69	(.154) 1.247A				8	3349.916	29842.91					
15	3268.077	30590.21					4	3350.094	29841.33					
10	3268.480	30586.44	(.305) 1.154A				20	3353.208	29813.61	(.497) 1.203, 2.200				
1	3268.782	30583.62					30	3355.288	29795.14					
15	3268.894	30582.57					4	3355.626	29792.14					
15	3269.033	30581.27					10	3355.903	29789.68					
(1)	3270.42	30568.3					10	3356.328	29785.90					
2	3272.780	30546.26					9	3356.462	29784.71	(.149, .452)				
4	3273.282	30541.57					10	3356.821	29781.52					
1	3274.354	30531.57					10	3358.021	29770.88	(.180, .539, .897) 1.077, 1.437, 1.796, 2.159				
3	3274.658	30528.73					6	3358.56	29766.1					
8	3276.060	30515.67					10h	3359.22	29760.2					
4	3276.544	30511.17					10	3359.818	29754.97					
4	3277.18	30505.2					4	3360.177	29751.78					
20	3277.710	30500.31					10	3361.145	29743.21	(.000) 1.524				
2	3281.457	30465.48					3	3361.828	29737.17					
4	3282.863	30452.44					2	3362.284	29733.14					
4	3283.124	30450.02					15	3362.745	29729.07	(.000) 1.280				
5	3283.907	30442.76					6	3363.025	29726.59					
3	3284.454	30437.69					9	3363.732	29702.68					
8	3285.638	30426.71	(.513) 2.039				8	3366.180	29698.73					
10	3287.127	30412.94	(.000) 1.150B				2	3366.418	29696.63					
3	3287.92	30405.6					3	3366.892	29692.45					
6	3290.093	30385.52					1	3367.298	29688.87					
3	3292.088	30367.11					1	3367.384	29688.11					
2	3292.65	30361.9					6	3367.482	29687.25					
10	3294.834	30341.80	(.229) 1.353A				5	3367.677	29685.53	(.000) 1.023				
15	3296.696	30324.67					2h	3368.132	29681.51					
10	3296.992	30321.94					8	3368.605	29677.35					
2	3299.143	30302.17					2	3370.764	29658.34					
10	3300.972	30285.39					8	3377.619	29598.15	(.391) 1.251A				
15	3301.595	30279.66	(.000) 1.502B				10	3377.743	29597.06					
10	3302.230	30273.84					20	3379.700	29579.93					
6	3303.595	30261.34					9	3381.424	29564.84					
15	3303.754	30259.88	(.000) 1.033C				5	3381.794	29561.61					
3	3306.484	30234.90					3	3382.646	29554.17					
10	3307.007	30230.12	(.064, .192, .320, .447, .575)				2	3383.259	29548.81					
1	3307.454	30226.03					1	3383.814	29543.96	(.214, .644)				
8	3308.872	30213.08					30	3384.452	29538.39					
1	3309.164	30210.41					40	3385.757	29527.01					
7	3309.324	30208.95					2	3386.264	29522.59					
1	3309.795	30204.65	(.166, .498) .875, 1.210, 1.545				2	3387.053	29515.71					
9	3312.288	30181.92					20	3389.428	29495.03	(.333) 1.528, 2.195				
2	3313.105	30174.47					8	3389.767	29492.08	(.141) 1.407				
15	3313.948	30166.80	(.000) 1.274				4	3390.032	29489.78					
2h	3314.52	30161.6					30	3390.254	29487.85	(0w) 1.396w				
6	3316.062	30147.57					1	3390.970	29481.62					
1	3316.612	30142.58					1	3391.052	29480.90					
5	3317.013	30138.92					5h	3391.256	29479.13					
2	3317.152	30137.66					8	3392.376	29469.40	(.068, .200, .332, .464)				
10	3318.671	30123.87					8	3394.122	29454.24	(.296) 1.223A†				
1h	3319.146	30119.56					1	3394.430	29451.57					
1	3319.622	30115.24												
2	3320.647	30105.95												
1	3321.124	30101.62												
6	3321.450	30098.66	(.089, .265)											

TABLE 2. *Classified lines of Re I—Continued*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes																											
400R	<i>A</i>		<i>K</i>				(10h)	<i>A</i>		<i>K</i>																														
	9	3397.210	29427.47	(.277) 1.076A	263 _{13/2} —5577 _{13/2}	— .08		6	3471.923	28794.23	164 _{3/2} —4512 _{3/2}	— .07	3																											
	5	3397.686	29423.35	(0w) D	239 _{11/2} —5357 _{9/2}	.00		3471.994	28793.65	275 _{9/2} —5630 _{9/2}	— .01																													
	3	3398.404	29417.13		244 _{5/2} —5384 _{3/2}	.00		8	3472.071	28793.01	266 _{5/2} —5545 _{7/2}	— .04																												
	8	3398.793	29413.77		204 _{3/2} —4989 _{3/2}	— .07		30	3472.723	28787.60	146 _{5/2} —4341 _{3/2}	— .05																												
3399.302	29409.36	(.108, .324, .539, .769)	117 _{9/2} —4116 _{7/2}	— .03	7	3472.875	28786.34	146 _{5/2} —4340 _{7/2}	— .07																															
80R	3402.97	29377.6	1.218, 1.429, 1.641, 1.853, 2.066, 2.280.	(117, .384, .635) .826, 1.119, 1.400, 1.667, 1.933, 2.171.	204 _{3/2} —4985 _{1/2}	— .2	2	3473.000	28785.30	239 _{11/2} —5274 _{9/2}	239 _{11/2} —5274 _{9/2}	.00																												
														3404.438	29364.99	239 _{11/2} —5332 _{9/2}	+ .04	6	3473.467	28781.43	173 _{7/2} —4611 _{5/2}	+ .01																		
																							3404.724	29362.53	239 _{11/2} —5332 _{9/2}	+ .04	10	3474.183	28775.50	163 _{11/2} —4508 _{11/2}	+ .02									
																																3405.888	29352.49	239 _{11/2} —5332 _{9/2}	+ .04	5	3474.700	28771.22	271 _{7/2} —5591 _{9/2}	— .07
3409.831	29318.55	239 _{11/2} —5332 _{9/2}	+ .04	4	3476.031	28760.21	224 _{3/2} —5118 _{3/2}	+ .04																																
									3417.767	29250.48	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	271 _{7/2} —5589 _{7/2}	+ .14																							
																		3418.330	29245.66	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3418.933	29240.50	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3419.242	29237.85	239 _{11/2} —5332 _{9/2}	+ .04	30
3419.410	29236.42	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3420.754	29224.93	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3421.582	29217.86	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3422.923	29206.42	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3424.620	29191.94	239 _{11/2} —5332 _{9/2}	+ .04	30
3425.412	29185.20	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3426.189	29178.57	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3426.527	29175.69	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3427.61	29166.5	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3428.513	29158.80	239 _{11/2} —5332 _{9/2}	+ .04	30
3430.44	29142.5	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3430.80	29139.4	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3431.818	29130.72	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3432.668	29123.51	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3433.728	29114.52	239 _{11/2} —5332 _{9/2}	+ .04	30
3436.193	29093.63	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3437.714	29080.76	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3438.589	29073.35	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3439.027	29069.65	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3439.168	29068.46	239 _{11/2} —5332 _{9/2}	+ .04	30
3439.67	29064.2	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3439.776	29063.32	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3440.173	29059.97	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3440.776	29054.31	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3442.13	29043.4	239 _{11/2} —5332 _{9/2}	+ .04	30
3442.722	29038.45	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3442.967	29036.39	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3446.743	29004.58	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3447.801	28995.68	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3449.333	28982.81	239 _{11/2} —5332 _{9/2}	+ .04	30
3449.407	28982.18	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3451.880	28961.42	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3453.280	28949.68	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3453.495	28947.88	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3457.956	28910.54	239 _{11/2} —5332 _{9/2}	+ .04	30
3458.881	28902.80	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3460.465	28889.57	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3463.053	28867.98	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3464.726	28854.04	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3465.988	28843.53	239 _{11/2} —5332 _{9/2}	+ .04	30
3467.093	28834.34	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3467.656	28829.66	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3467.960	28827.14	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3463.053	28867.98	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3464.726	28854.04	239 _{11/2} —5332 _{9/2}	+ .04	30
3465.988	28843.53	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3467.093	28834.34	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3467.656	28829.66	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3467.960	28827.14	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3463.053	28867.98	239 _{11/2} —5332 _{9/2}	+ .04	30
3464.726	28854.04	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																																
									3465.988	28843.53	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01																							
																		3467.093	28834.34	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01														
																											3467.656	28829.66	239 _{11/2} —5332 _{9/2}	+ .04	30	3476.442	28756.81	150 _{7/2} —4381 _{7/2}	— .01					
																																				3467.90				

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
3	3553.50	28133.2		247 _{7/2} —5285 _{7/2}	.0	--	15	3642.986	27442.19	(.068, .201, .335)	117 _{9/2} —3919 _{11/2}	-.03	--
20	3553.650	28132.04		173 _{7/2} —4546 _{7/2}	+ .03	--							
30	3558.935	28096.27	(.161, .477, .788, 1.104)	117 _{9/2} —3984 _{7/2}	+ .04	--	4	3643.712	27436.72	(.185) .948	224 _{3/2} —495 _{3/2}	+ .02	--
1	3559.239	28087.86		217 _{7/2} —4986 _{7/2}	+ .04	--	5	3645.33	27424.5		270 _{11/2} —5455 _{11/2}	.0	--
6	3559.407	28086.54		115 _{5/2} —3967 _{5/2}	-.02	--	8	3645.590	27422.58		221 _{9/2} —4958 _{9/2}	+ .01	--
10	3562.454	28062.52		272 _{9/2} —5522 _{11/2}	+ .02	--	5	3646.636	27414.72	(.617) 1.602	197 _{7/2} —4718 _{7/2}	- .3	--
20	3564.732	28044.59	(000) 1.403	157 _{5/2} —4381 _{5/2}	.00	--	1	3646.69	27414.3		197 _{7/2} —4717 _{7/2}	+ .02	--
5	3565.195	28040.94		224 _{3/2} —5046 _{3/2}	-.03	--	2	3649.210	27395.38		217 _{7/2} —4917 _{9/2}	+ .1	--
1	3565.706	28036.93		221 _{9/2} —5019 _{9/2}	+ .03	--	6	3649.47	27393.4		272 _{9/2} —5455 _{11/2}	+ .01	--
4	3566.816	28028.20		231 _{5/2} —5118 _{5/2}	+ .01	--	20	3651.656	27377.03		166 _{9/2} —4399 _{11/2}	+ .1	--
1	3567.600	28022.04		197 _{7/2} —4777 _{7/2}	+ .04	--	80	3651.972	27374.67	(.127, .384) 1.585, 1.835, 2.093	164 _{3/2} —4370 _{3/2}	-.02	--
30	3568.234	28017.06	(.071, .227, .382)	247 _{7/2} —5274 _{7/2}	-.02	--							
2	3568.780	28012.78		288 _{7/2} —5682 _{5/2}	-.10	--	2	3652.29	27372.3		298 _{5/2} —5717 _{7/2}	.0	--
30	3570.255	28001.20	(.087, .259, .431, .997, 1.169, 1.338, 1.506, 1.675)	173 _{7/2} —4534 _{9/2}	+ .03	--	2	3652.563	27370.23		285 _{7/2} —5591 _{9/2}	-.06	--
				173 _{7/2} —4533 _{5/2}	-.01	--	15	3653.621	27362.31		236 _{3/2} —5099 _{9/2}	-.02	--
							4	3654.366	27356.73		266 _{9/2} —5401 _{7/2}	-.03	--
							8	3654.935	27352.47	(.084, .248, .410)	272 _{9/2} —5451 _{7/2}	-.02	--
2	3571.052	27994.95		313 _{9/2} —5939 _{9/2}	-.04	--	20	3660.515	27310.77	(0w) 1.193?	273 _{11/2} —5455 _{11/2}	+ .04	--
8	3571.694	27989.92		239 _{11/2} —5194 _{11/2}	+ .01	--	10	3662.126	27298.76	(.200) 1.171A	275 _{9/2} —5481 _{9/2}	-.05	--
2	3572.213	27985.86		150 _{7/2} —4304 _{5/2}	+ .03	--	2	3665.251	27275.49		194 _{7/2} —4673 _{7/2}	.00	--
8	3572.804	27981.23		164 _{3/2} —4470 _{3/2}	+ .01	--	2	3665.522	27273.47		157 _{7/2} —4304 _{3/2}	-.13	--
2	3572.961	27980.00		273 _{11/2} —5522 _{11/2}	+ .01	--	3	3669.159	27246.44		197 _{7/2} —4700 _{3/2}	+ .01	--
3	3573.730	27973.98		306 _{9/2} —5861 _{11/2}	-.01	--	8	3669.436	27244.38	(.748)	224 _{3/2} —4966 _{3/2}	-.04	--
1	3577.09	27947.7		244 _{3/2} —5237 _{7/2}	.0	--	40	3669.778	27241.81	(.103, .309) 1.190, 1.396	164 _{3/2} —4356 _{3/2}	-.01	--
6	3577.325	27945.87	(.233)	197 _{7/2} —4770 _{3/2}	.00	--							
1	3577.923	27941.20		311 _{5/2} —5912 _{3/2}	-.02	--	7	3669.993	27240.25		117 _{7/2} —3899 _{9/2}	+ .04	--
2	3578.054	27940.17		275 _{9/2} —5457 _{7/2}	.00	--	10	3670.358	27237.54		230 _{11/2} —5119 _{9/2}	+ .05	--
60	3579.125	27931.81	(.322, .973) .330, .990, 1.643	157 _{5/2} —4370 _{3/2}	+ .03	--	50	3670.528	27236.28	(.108, .314, .521, .728) .635, .842, 1.049, 1.258	142 _{7/2} —4145 _{9/2}	-.04	--
50	3580.970	27917.42	(0w) 1.226	163 _{11/2} —4122 _{9/2}	-.01	--							
80	3583.02	27901.5	(.303) 1.488A	117 _{9/2} —3965 _{9/2}	.0	--	(1)	3671.24	27231.0		247 _{7/2} —5195 _{7/2}	+ .2	13
7	3583.146	27900.47	(0w) .609, .825, 1.041	194 _{5/2} —4735 _{7/2}	.00	--	20	3672.407	27222.34	(0w) 1.314B	244 _{7/2} —5164 _{5/2}	-.08	--
15	3585.030	27885.81		247 _{7/2} —5261 _{7/2}	+ .02	--	15	3676.000	27195.73	(.088, .265, .443, .620) .555, .733, (.053) 1.359h	166 _{9/2} —4381 _{7/2}	.00	--
10d	3585.329	27883.48	(.927) .252, .565	172 _{7/2} —4512 _{3/2}	-.03	--							
1	3586.842	27871.72		280 _{3/2} —5590 _{3/2}	+ .03	--	4	3676.570	27191.52		194 _{3/2} —4664 _{3/2}	-.01	--
2	3589.264	27852.91		244 _{3/2} —5227 _{3/2}	+ .03	--	2	3677.722	27183.00		204 _{3/2} —4765 _{3/2}	-.01	--
10	3590.878	27840.39	(.240) .532, 1.010	224 _{3/2} —5026 _{3/2}	.00	19	6	3678.392	27178.05		172 _{7/2} —4441 _{7/2}	+ .02	--
1	3591.86	27832.7		314 _{3/2} —5929 _{3/2}	-.1	--	10	3680.206	27164.65	(.117) 1.114A	244 _{7/2} —5159 _{3/2}	-.03	--
10	3593.888	27820.95		164 _{3/2} —4414 _{3/2}	+ .01	--	8	3681.284	27156.70	(.360) .290	261 _{7/2} —5328 _{7/2}	-.01	--
15	3595.164	27807.20	(0w) 1.507C	217 _{7/2} —4958 _{9/2}	-.01	--	2	3681.407	27155.79		231 _{7/2} —5031 _{7/2}	-.10	--
2h	3595.32	27806.0		266 _{3/2} —5446 _{3/2}	.0	--	4	3681.834	27152.64		244 _{7/2} —5157 _{7/2}	-.01	--
2	3595.887	27801.61		304 _{3/2} —5833 _{3/2}	+ .2	--	5	3682.155	27150.28		224 _{3/2} —4967 _{3/2}	.00	--
2	3595.887	27801.61		319 _{7/2} —5978 _{7/2}	-.07	--	8	3682.714	27146.16		163 _{11/2} —4345 _{9/2}	+ .01	--
10	3596.230	27798.96		157 _{5/2} —4356 _{3/2}	+ .02	--	1	3685.303	27127.08		271 _{7/2} —5426 _{3/2}	+ .03	--
20	3596.392	27797.71	(.106, .315, .531) .621, .831, 1.041, 1.245	217 _{7/2} —4967 _{3/2}	.00	--	2	3685.444	27126.05		271 _{7/2} —4928 _{11/2}	+ .02	--
3	3597.039	27792.71		244 _{3/2} —5221 _{3/2}	.00	--	3	3686.452	27118.63		263 _{3/2} —5346 _{11/2}	+ .02	--
15	3598.767	27779.36	(.313, .517) .877, 1.081, 1.286, 1.490, 1.694	231 _{5/2} —5093 _{5/2}	-.01	--	6	3688.646	27102.50	(.147, .439, .732) 1.144, 1.429, 1.715, 1.991	288 _{7/2} —5591 _{9/2}	-.1	--
15	3604.394	27736.00	(.826, .978) 1.101, 1.752, 2.404	224 _{3/2} —5015 _{5/2}	-.04	--	(1)	3690.16	27091.4		288 _{7/2} —5589 _{7/2}	+ .1	13
2	3605.971	27723.87		298 _{5/2} —5752 _{5/2}	-.06	--	1	3690.547	27088.54		151 _{7/2} —4225 _{3/2}	+ .24	--
4	3606.558	27719.35		305 _{11/2} —5827 _{9/2}	-.05	--	20	3691.385	27082.39		273 _{11/2} —5446 _{3/2}	+ .19	--
10	3607.232	27714.18	(0w) 1.325	231 _{5/2} —5086 _{7/2}	-.01	--					217 _{7/2} —4885 _{7/2}	+ .19	--
2	3607.833	27709.56		194 _{5/2} —4717 _{3/2}	.0	--	200	3691.48	27081.7		150 _{7/2} —4214 _{9/2}	-.2	--
2	3607.833	27709.56		275 _{9/2} —5522 _{11/2}	+ .02	--	10	3692.115	27077.03		164 _{3/2} —4341 _{3/2}	+ .1	--
10	3608.661	27703.20		221 _{9/2} —4986 _{7/2}	+ .02	--	2	3692.808	27071.95		206 _{3/2} —5373 _{7/2}	.00	--
30	3610.492	27689.15	(0w) 1.234A	163 _{11/2} —4399 _{11/2}	.00	--	2	3693.664	27065.68		239 _{11/2} —5102 _{9/2}	-.01	--
2	3611.437	27681.91		217 _{7/2} —5482 _{3/2}	+ .02	--	3	3695.600	27051.50		208 _{3/2} —5066 _{3/2}	.00	--
(2H)	3613.41	27666.8		314 _{3/2} —5912 _{3/2}	+ .1	7	2	3697.124	27040.35		194 _{5/2} —4650 _{3/2}	+ .01	--
8	3615.372	27651.78		272 _{9/2} —5481 _{9/2}	+ .01	--	20	3697.710	27036.07		275 _{9/2} —5455 _{11/2}	+ .05	--
3	3616.427	27643.72		194 _{5/2} —4710 _{3/2}	.00	--	2d	3700.684	27014.34		271 _{7/2} —5417 _{7/2}	-.05	--
80	3617.085	27638.68	(.777) 1.103, 1.315, 1.526†	157 _{5/2} —4341 _{3/2}	-.01	19	4	3701.184	27010.69	(000) 1.188	164 _{3/2} —4334 _{3/2}	.00	--
20	3617.252	27637.41		157 _{5/2} —4340 _{7/2}	-.04	--	5	3702.098	27004.02	(.370, .613)	221 _{9/2} —4917 _{9/2}	-.03	--
20	3617.859	27632.77	(.209, .621)	146 _{5/2} —4225 _{3/2}	+ .04	--	100	3703.243	26995.67	(.180, .540) .588, .947, 1.306, 1.665	231 _{5/2} —5015 _{5/2}	-.04	--
1	3619.203	27622.51		164 _{3/2} —4394 _{3/2}	+ .04	--					275 _{9/2} —5451 _{7/2}	-.1	7
2	3620.145	27615.33		173 _{7/2} —4494 _{7/2}	+ .03	--	1	3703.53	26993.6		138 _{3/2} —4082 _{3/2}	-.04	--
2	3620.230	27614.68		306 _{9/2} —5826 _{7/2}	-.02	--	10	3704.842	26984.02		261 _{3/2} —5312 _{3/2}	.0	--
30	3621.460	27605.29	(.328, 1.205) A	166 _{9/2} —4422 _{9/2}	-.01	--	20	3705.02	26982.8		138 _{3/2} —4080 _{3/2}	+ .1	--
10	3622.183	27599.78		263 _{3/2} —5394 _{11/2}	+ .01	--	8	3705.686	26977.88		173 _{7/2} —4430 _{3/2}	-.03	--
2	3622.265	27599.16		270 _{11/2} —5472 _{13/2}	-.22	--	6h	3708.774	26955.42	(.382, .629, .875) .698, .948, 1.198, 1.447, 1.697, 1.947, 2.196	231 _{5/2} —5011 _{5/2}	-.05	--
			(.167, .509) 1.154, 1.489, 1.823†	157 _{5/2} —4334 _{3/2}	-.00	--	60	3709.930	26947.02		142 _{7/2} —4116 _{7/2}	-.03	--
20	3625.908	27571.43		298 _{5/2} —5737 _{7/2}	+ .06	--							
8	3626.053	27570.33	(000) 1.242	173 _{7/2} —4490 _{7/2}	-.03	--	2	3710.64	26941.8		301 _{11/2} —5707 _{7/2}	+ .1	--
20	3629.200	27546.42	(0w) 1.455B	194 _{5/2} —4700 _{3/2}	.00	--	5	3711.46	26935.9	(.258)	146 _{5/2} —4155 _{3/2}	+ .3	--
2	3632.154	27524.02		304 _{3/2} —5805 _{3/2}	+ .04								

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
2000R	<i>A</i> 3725.760	<i>K</i> 26832.52	(.073, .218, .373, .413, .653) .981 . . .	2363 _{9/2} —5047 _{11/2}	.00	--		<i>A</i> 3829.80	26103.6	(.776) .196	172 _{1/2} —433 _{4/2}	.0	--
8	3726.502	26827.18		224 _{3/2} —492 _{5/2}	-.01	--	20	3829.83	26103.4		338 _{7/2} —599 _{7/2}	+ .1	--
4	3726.68	26825.9		151 _{1/2} —419 _{9/2}	+ .2	--	10	3829.83	26103.4		298 _{5/2} —559 _{9/2}	-.05	--
7	3727.498	26820.01	(.056) .704	261 _{1/2} —529 _{5/2}	-.01	--	3	3830.098	26101.58		231 _{5/2} —492 _{9/2}	+ .04	--
1h	3729.684	26804.29		244 _{3/2} —512 _{7/2}	+ .05	--	70	3833.702	26077.04	(.343) 1.033, 1.183, 1.333, 1.488, 1.652?	273 _{11/2} —533 _{9/2}	-.03	--
20	3731.870	26788.60	(.118, .557) .809†	166 _{9/2} —434 _{9/2}	+ .01	19	100	3834.235	26073.42	(.059, .177, .296) .894, 1.024, 1.145, 1.264, (.607) 1.587	173 _{7/2} —434 _{9/2}	-.01	--
(5H)	3732.058	26787.25		272 _{9/2} —539 _{41/2}	-.13	7				157 _{5/2} —418 _{47/2}	-.01	--	
40	3732.278	26785.67	(.152w) 1.176A	150 _{7/2} —418 _{47/2}	+ .01	--							
20	3735.01	26766.1		117 _{9/2} —385 _{7/2}	-.1	--							
1000	3735.314	26763.90	(.413) 1.712A	2363 _{9/2} —5039 _{9/2}	.00	--	70	3836.305	26059.35		197 _{1/2} —458 _{11/2}	.00	--
4h	3736.193	26757.60		244 _{3/2} —511 _{8/2}	.00	--	1h	3837.088	26054.03		306 _{9/2} —566 _{9/2}	-.05	--
10	3736.838	26752.98		247 _{7/2} —514 _{7/2}	+ .05	--	10	3841.498	26024.12	(0w) 1.123h	221 _{9/2} —481 _{8/2}	-.04	--
1	3737.806	26746.05		306 _{9/2} —573 _{9/2}	-.06	--	60	3843.415	26011.15	(.097, .292 . . .)	117 _{9/2} —377 _{6/2}	+ .02	--
1	3738.538	26740.82		231 _{1/2} —498 _{9/2}	+ .06	--	(3)	3844.35	26004.8		194 _{5/2} —454 _{9/2}	-.1	13
200	3740.10	26729.7	(0w) 1.485C	142 _{7/2} —409 _{47/2}	.0	19	7	3846.857	25987.87		280 _{5/2} —540 _{17/2}	.00	--
30	3740.414	26727.41		2363 _{9/2} —5035 _{7/2}	.00	--	15	3851.988	25953.26	(0w) 1.459B	275 _{9/2} —534 _{9/2}	.00	--
2	3743.072	26708.43		231 _{1/2} —498 _{67/2}	+ .02	--	5	3852.689	25948.53		266 _{5/2} —526 _{17/2}	-.05	--
1	3743.194	26707.56		239 _{11/2} —506 _{61/2}	+ .05	--	30	3855.936	25926.69	(.202) 1.512, 1.643,	164 _{3/2} —422 _{9/2}	+ .01	--
2	3743.572	26704.86		273 _{11/2} —539 _{41/2}	+ .01	--							
80	3745.436	26691.57	(000) 1.065, 1.206, 1.341, 1.472.	146 _{3/2} —413 _{15/2}	+ .01	--	1	3858.584	25908.89		273 _{11/2} —532 _{9/2}	-.43	--
				194 _{5/2} —461 _{15/2}	.00	--	2	3859.328	25903.90		273 _{11/2} —532 _{9/2}	+ .37	--
5	3750.666	26654.35		278 _{3/2} —544 _{6/2}	+ .02	--	2	3859.450	25903.08		273 _{11/2} —532 _{9/2}	+ .02	--
2	3752.718	26639.77		306 _{9/2} —572 _{8/2}	.00	--	9	3860.862	25893.60		217 _{7/2} —476 _{67/2}	-.01	--
1	3753.316	26635.53		266 _{5/2} —532 _{9/2}	+ .02	--	6	3861.647	25888.34		150 _{7/2} —409 _{47/2}	.00	--
2	3753.770	26632.31		173 _{7/2} —439 _{45/2}	+ .01	--	5	3862.103	25885.28		244 _{5/2} —503 _{17/2}	-.02	--
15	3755.624	26619.17	(.063, .188, .313) .945, 1.069, 1.194, (.223, .668)	142 _{7/2} —408 _{25/2}	+ .04	--	15	3863.153	25878.25		263 _{13/2} —522 _{23/2}	+ .01	--
				314 _{3/2} —580 _{5/2}	.00	--	4	3863.768	25874.13		194 _{5/2} —453 _{5/2}	-.01	--
15	3757.622	26605.01		304 _{3/2} —570 _{7/2}	-.03	--	4	3863.932	25873.04		231 _{5/2} —490 _{37/2}	.00	--
2	3759.749	26589.96		146 _{5/2} —411 _{67/2}	-.01	--	4	3864.766	25867.45		285 _{7/2} —544 _{9/2}	-.03	--
2	3765.878	26546.68	(.082, .247, .413) 1.424, 1.576, 1.740, (.249)	204 _{4/2} —4700 _{3/2}	-.01	--	1	3865.126	25865.04		275 _{9/2} —533 _{9/2}	-.03	--
5d	3769.297	26522.60		231 _{1/2} —496 _{63/2}	+ .03	--	2h	3865.875	25860.03		334 _{9/2} —592 _{9/2}	-.03	--
2h	3770.738	26512.47		244 _{3/2} —509 _{3/2}	+ .08	--	100	3867.21	25851.1		305 _{11/2} —564 _{9/2}	-.07	--
2	3771.252	26508.86		157 _{5/2} —422 _{5/2}	.0	--	3	3867.213	25848.33		138 _{3/2} —397 _{5/2}	-.07	--
3	3774.83	26483.8		194 _{5/2} —459 _{3/2}	+ .02	--	4	3868.213	25843.33		163 _{11/2} —421 _{49/2}	-.07	--
3	3775.460	26479.31		172 _{7/2} —437 _{9/2}	-.2	--	3	3869.944	25832.84	(0w) 1.306C	280 _{5/2} —538 _{43/2}	.00	--
30	3777.69	26463.7	(.284) 1.241, 1.680†	273 _{11/2} —539 _{41/2}	+ .01	--	100	3873.037	25812.21		275 _{9/2} —533 _{9/2}	+ .02	--
				273 _{11/2} —538 _{43/2}	-.36	--	4	3873.870	25806.66		115 _{3/2} —373 _{8/2}	-.1	--
2	3778.535	26457.77		273 _{11/2} —538 _{43/2}	+ .44	--	150	3875.26	25797.4	(.436, .723) .852, 1.134, 1.413, (.71, .512) .797, 1.139, 1.480.	157 _{3/2} —415 _{5/2}	+ .09	--
15	3780.357	26445.01		239 _{11/2} —504 _{9/2}	.00	--	20	3878.868	25773.41		313 _{9/2} —571 _{7/2}	+ .01	--
2	3780.54	26443.8		306 _{9/2} —570 _{9/2}	+ .05	--	10	3879.016	25772.42		263 _{13/2} —521 _{23/2}	+ .02	--
4	3781.864	26434.48		244 _{3/2} —508 _{67/2}	+ .2	--	2	3880.336	25763.66		221 _{9/2} —479 _{7/2}	+ .02	--
				275 _{9/2} —539 _{41/2}	+ .06	--	40	3881.89	25753.3		150 _{7/2} —408 _{5/2}	+ .02	--
15	3784.179	26418.30	(.254, .423) 1.256.	194 _{5/2} —458 _{3/2}	-.15	--	5	3883.958	25739.63		189 _{5/2} —447 _{9/2}	+ .05	--
				231 _{1/2} —496 _{7/2}	.00	--	2h	3884.888	25733.47		247 _{7/2} —504 _{9/2}	+ .05	--
(6)	3785.40	26409.8		221 _{9/2} —485 _{61/2}	+ .2	13	40	3887.488	25716.26		244 _{5/2} —501 _{5/2}	.00	--
2	3785.535	26408.84		217 _{7/2} —481 _{87/2}	+ .04	--	40	3887.950	25713.20	(.095, 285, .476).	271 _{7/2} —528 _{7/2}	-.05	--
10	3787.192	26397.28		266 _{5/2} —530 _{5/2}	-.03	--					173 _{7/2} —430 _{45/2}	.00	--
150	3787.520	26395.05	(.102, .308, .514, .720) .638, .844, 1.050, 1.254, 1.459, 1.666, 1.872, 2.084.	150 _{7/2} —414 _{59/2}	+ .01	--	2	3889.36	25703.9		288 _{7/2} —545 _{15/2}	-.1	--
				197 _{1/2} —461 _{41/2}	+ .01	--	40	3889.962	25699.91	(000) 1.123w	221 _{9/2} —478 _{11/2}	+ .02	--
4	3789.212	26383.21		280 _{5/2} —544 _{9/2}	+ .03	--	1	3890.54	25696.1		272 _{9/2} —528 _{57/2}	.0	--
4	3789.771	26379.32		304 _{3/2} —568 _{63/2}	+ .01	--	5	3893.48	25676.7		247 _{7/2} —504 _{9/2}	-.04	--
3	3795.505	26339.47		270 _{3/2} —534 _{91/2}	-.01	--	5	3893.914	25673.82		319 _{7/2} —576 _{54/2}	-.1	--
10	3795.800	26337.42	(0w) D	115 _{3/2} —379 _{13/2}	+ .03	--	4	3895.41	25664.0		164 _{3/2} —419 _{9/2}	+ .1	--
50	3796.590	26331.94	(.108, .319) (.192, .574, .955) 2.103.	146 _{5/2} —409 _{47/2}	-.03	--	30	3896.110	25659.35	(.366) 1.080, 1.811.	194 _{5/2} —451 _{23/2}	+ .03	--
50	3797.586	26325.04		301 _{1/2} —564 _{51/2}	+ .11	--					204 _{3/2} —461 _{41/2}	-.03	--
3	3798.252	26320.42		319 _{7/2} —582 _{7/2}	-.06	--	20	3901.092	25626.58		151 _{1/2} —408 _{11/2}	-.1	--
3	3801.742	26296.26		304 _{3/2} —568 _{25/2}	+ .11	--	5	3902.580	25616.81		231 _{5/2} —487 _{87/2}	.0	--
2	3802.21	26293.0		266 _{5/2} —529 _{5/2}	.0	--	3	3902.82	25615.2		204 _{3/2} —461 _{15/2}	-.09	--
2	3804.527	26277.01		319 _{7/2} —582 _{9/2}	-.03	--	10	3905.12	25600.1	(000) 1.190B	142 _{7/2} —398 _{47/2}	-.09	--
5	3805.41	26270.9		285 _{7/2} —548 _{19/2}	-.1	--	(5)	3905.56	25597.3		239 _{11/2} —495 _{89/2}	-.03	--
40	3807.742	26254.82	(.064, .192, .318) .830, .957, 1.084.	150 _{7/2} —413 _{15/2}	-.01	--	3	3907.20	25586.5		266 _{5/2} —522 _{9/2}	-.04	--
				204 _{3/2} —467 _{3/2}	+ .02	--	40	3908.210	25579.91	(.155, .257, .360, .453) 1.152.	217 _{7/2} —473 _{57/2}	-.04	--
10d	3808.200	26251.67		271 _{7/2} —538 _{5/2}	+ .04	--					272 _{9/2} —527 _{49/2}	-.04	--
2	3808.640	26248.64		239 _{11/2} —501 _{9/2}	+ .04	--	1	3909.84	25569.23		273 _{11/2} —529 _{9/2}	-.03	--
3	3809.752	26240.98		173 _{7/2} —435 _{6/2}	+ .05	--	2	3910.157	25567.18		273 _{11/2} —529 _{9/2}	-.01	--
20	3810.098	26238.59	(.160) 1.192A	273 _{11/2} —534 _{91/2}	+ .03	--	2	3910.272	25566.42		273 _{11/2} —529 _{9/2}	+ .03	--
20	3812.259	26233.72		266 _{5/2} —528 _{5/2}	-.01	--	2	3911.76	25556.7		266 _{5/2} —522 _{13/2}	.0	--
(1H)	3812.812	26219.92		206 _{5/2} —509 _{5/2}	+ .01	7	60	3913.924	25542.57	(.089) 1.291A	157 _{5/2} —413 _{13/2}	-.03	--
4h	3814.24	26210.1		146 _{5/2} —408 _{7/2}	-.02	19	200	3917.270	25520.75	(.141w) 1.142C	166 _{9/2} —421 _{49/2}	-.03	--
40	3815.655	26200.38	(0w) 1.107C	266 _{5/2} —528 _{7/2}	-.02	--	10	3919.076	25508.99		221 _{9/2} —476 _{67/2}	+ .02	--
2	3816.294	26195.99		146 _{5/2} —408 _{7/2}	+ .06	--	20	3920.85	25497.5	(0w) 1.189B	273 _{11/2} —527 _{49/2}	+ .1	--
30	3817.539	26187.45	(.183, .549)	271 _{7/2} —538 _{5/2}	-.03	--	10	3922.274	25488.19	(.226, .682) .226, .682.	194 _{5/2}		

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	
2	3928.364	25448.68		272 _{9/2} —5661 _{7/2}	+ .02	--	10	4040.178	24744.39	(.080) 1.211h...	231 _{5/2} —4789 _{5/2}	— .02	--	
15	3928.704	25446.48	(.130, .395)	261 _{3/2} —5157 _{3/2}	— .00	--	3	4041.305	24737.49		324 _{5/2} —5717 _{7/2}	— .07	--	
6	3929.198	25443.27		194 _{5/2} —4490 _{7/2}	+ .01	--	3	4044.798	24716.12		311 _{5/2} —5590 _{3/2}	+ .19	--	
200	3929.847	25439.07	(.067, .202, .338, .474), .968, 1.103, 1.239, 1.374.	142 _{7/2} —3965 _{9/2}	— .06	--	4	4045.237	24713.44		298 _{5/2} —5451 _{7/2}	— .02	--	
6	3930.53	25434.7		247 _{7/2} —5015 _{5/2}	— .0	--	2	4047.106	24702.03		273 _{11/2} —5191 _{11/2}	— .03	--	
20	3931.201	25430.31	(0w) .972C	217 _{7/2} —4720 _{9/2}	— .02	--	80	4048.99	24690.6	(.106, .322), 1.036, 1.249, 1.462, 1.676, (.058, .174), 1.073.	194 _{5/2} —4414 _{3/2}	— .0	--	
2	3936.70	25394.8		204 _{3/2} —4587 _{3/2}	+ .2	--	10	4050.926	24678.74		224 _{3/2} —4716 _{3/2}	— .04	--	
100	3936.899	25393.51	(000) 1.321	157 _{5/2} —4116 _{7/2}	+ .02	--	3	4052.852	24667.01		298 _{5/2} —5446 _{3/2}	— .01	--	
2h	3937.628	25388.81		319 _{7/2} —5737 _{7/2}	+ .05	--	3	4053.36	24663.9		305 _{11/2} —5522 _{11/2}	— .0	--	
6	3941.468	25364.07	(.156) .520, .828.	197 _{7/2} —4512 _{3/2}	+ .17	--	15	4054.265	24658.41		197 _{1/2} —4441 _{1/2}	— .01	--	
(2)	3942.22	25359.2		280 _{5/2} —5338 _{5/2}	— .2	13	20H	4055.330	24651.93	(.213) .668.	3340 _{5/2} —5806 _{7/2}	+ .02	--	
10	3942.562	25357.03		224 _{3/2} —4777 _{3/2}	— .05	--	10	4057.001	24641.78		278 _{5/2} —5246 _{1/2}	— .02	--	
15	3944.344	25345.58		261 _{3/2} —5147 _{5/2}	— .00	--	2	4059.753	24625.08		231 _{5/2} —4777 _{3/2}	— .02	--	
50	3944.718	25343.17	(.075, .226)	275 _{9/2} —5285 _{7/2}	+ .04	--	3	4061.643	24613.62		239 _{11/2} —4856 _{11/2}	— .01	--	
150	3945.906	25335.55	(.374) 1.068, 1.815.	204 _{3/2} —4581 _{1/2}	+ .02	--	30	4061.856	24612.33	(0w) 1.241B	150 _{7/2} —3967 _{5/2}	— .00	--	
2	3946.75	25330.1		239 _{11/2} —4928 _{11/2}	— .0	--	(4h)	4062.40	24609.0		298 _{5/2} —5440 _{5/2}	— .2	7	
15	3950.570	25305.64	(.204, .611) 1.377.	280 _{5/2} —5337 _{7/2}	+ .02	--	15h	4064.328	24597.36		244 _{3/2} —4902 _{3/2}	— .01	--	
10	3950.64	25305.2		146 _{5/2} —3992 _{3/2}	— .1	--	2	4066.94	24581.6		224 _{3/2} —4700 _{3/2}	+ .1	--	
2	3951.45	25300.0		313 _{9/2} —5669 _{7/2}	— .1	--	2	4067.246	24579.71		288 _{7/2} —5338 _{5/2}	— .15	--	
2	3951.836	25297.53		278 _{3/2} —5312 _{3/2}	— .01	--	1	4067.44	24578.5		306 _{9/2} —5522 _{11/2}	— .0	--	
15	3954.428	25280.95	(.1017) .438, 1.104, 1.767.	224 _{3/2} —4770 _{3/2}	— .00	--	10	4069.16	24568.2		266 _{5/2} —5122 _{7/2}	— .0	--	
2	3956.60	25267.1		366 _{9/2} —5591 _{9/2}	— .0	--	1	4072.36	24548.9		231 _{5/2} —4770 _{3/2}	— .1	--	
3	3957.173	25263.41		280 _{5/2} —5329 _{3/2}	+ .01	--	4	4073.060	24544.63	(000) 1.231.	166 _{9/2} —4116 _{7/2}	— .00	--	
10	3957.363	25262.20	(000) 1.385.	194 _{5/2} —4472 _{3/2}	— .00	--	8	4078.120	24514.17	(.160)	231 _{5/2} —4766 _{7/2}	— .03	--	
7	3958.357	25255.86		306 _{9/2} —5589 _{7/2}	— .01	--	10	4079.364	24506.70	(.291, .874), .259, .831, 1.413.	271 _{7/2} —5164 _{7/2}	+ .01	--	
15	3960.552	25241.86	(.095)	224 _{3/2} —4765 _{1/2}	— .07	--	80	4081.432	24494.29		164 _{3/2} —4082 _{3/2}	— .03	--	
150	3961.036	25238.77	(.073, .220) 1.120, 1.267, 1.414, 1.562.	244 _{5/2} —4966 _{3/2}	+ .01	--	2	4082.65	24487.0	(.271) 1.970.	275 _{9/2} —5200 _{9/2}	— .1	--	
300	3962.484	25229.55	(0w) 1.781W	138 _{3/2} —3906 _{3/2}	— .03	--	20	4083.365	24482.69		164 _{3/2} —4981 _{1/2}	+ .03	17	
40	3963.267	25224.57	(0w) 1.099h	166 _{9/2} —4184 _{7/2}	— .00	--	20	4083.584	24481.38		164 _{3/2} —4980 _{3/2}	+ .04	17	
7	3963.707	25221.77		3244 _{1/2} —5766 _{3/2}	— .05	--	4	4087.89	24455.6		338 _{7/2} —5827 _{9/2}	— .1	--	
5	3964.279	25218.13		344 _{1/2} —5941 _{11/2}	— .06	--	4	4088.10	24454.4		2044 _{7/2} —4491 _{5/2}	— .4	--	
2	3964.53	25216.5		305 _{11/2} —5677 _{13/2}	— .1	--	1	4088.69	24450.8		278 _{3/2} —5227 _{3/2}	+ .2	5	
15	3964.810	25214.75	(.070, .209, .348, .487, .626) .365 . . .	239 _{11/2} —4917 _{9/2}	— .01	--	5	4089.01	24448.9		271 _{7/2} —5159 _{5/2}	— .1	--	
1	3965.27	25211.8		272 _{9/2} —5237 _{7/2}	— .0	--	30	4089.919	24443.46	(.442) 1.247, 1.435.	247 _{7/2} —4917 _{9/2}	— .02	--	
30	3967.39	25198.4	(0w) .140w	221 _{9/2} —4735 _{7/2}	+ .1	--	2	4090.59	24439.4		146 _{5/2} —3906 _{3/2}	— .00	--	
2	3967.707	25196.34		285 _{7/2} —5373 _{7/2}	+ .01	--	(5h)	4091.12	24436.3		261 _{3/2} —5057 _{3/2}	— .1	--	
(1h)	3970.93	25175.9		157 _{5/2} —4094 _{7/2}	— .2	7	4093.02	24424.9		338 _{7/2} —5826 _{7/2}	— .0	--		
3	3975.374	25147.75		244 _{5/2} —4957 _{5/2}	+ .03	--	2h	4099.31	24387.4		341 _{9/2} —5861 _{11/2}	— .2	13	
20	3975.648	25146.01		163 _{11/2} —4145 _{9/2}	— .02	--	3h	4103.763	24361.00		324 _{5/2} —5682 _{5/2}	— .2	--	
4	3976.759	25138.99		247 _{7/2} —4986 _{7/2}	— .01	--	70	4104.422	24357.09	(000) 1.330	244 _{3/2} —4787 _{7/2}	+ .05	--	
7	3982.286	25104.10		1895 _{5/2} —4405 _{5/2}	— .0	--	10	4106.440	24345.12	(000) 1.188h	194 _{5/2} —4381 _{7/2}	— .03	--	
10	3983.41	25097.0		270 _{3/2} —5222 _{3/2}	— .1	--	5h	4106.829	24342.81		271 _{7/2} —5148 _{9/2}	— .04	--	
1	3985.31	25085.0		273 _{1/2} —5246 _{1/2}	— .08	--	2h	4107.431	24339.25		280 _{5/2} —5237 _{7/2}	+ .01	--	
1	3985.42	25084.3		273 _{1/2} —5246 _{1/2}	— .08	--	1	4107.832	24336.87		333 _{11/2} —6765 _{9/2}	— .03	--	
5h	3987.086	25073.88		3259 _{3/2} —5766 _{3/2}	+ .0	--	1	4107.973	24336.03		285 _{7/2} —5288 _{5/2}	+ .04	--	
15	3990.660	25051.42		261 _{3/2} —5118 _{3/2}	— .01	--	10	4108.618	24332.22	(.241, .744), 1.408, 1.884.	217 _{7/2} —4611 _{5/2}	+ .03	--	
30	3991.033	25049.08	(.130) 1.012, 1.212, †	157 _{5/2} —4082 _{5/2}	+ .01	--	100	4109.451	24327.28	(.435) 1.219, 2.091.	271 _{7/2} —5147 _{5/2}	+ .01	--	
10	3991.571	25045.70		146 _{5/2} —3967 _{5/2}	+ .02	11	5	4111.598	24314.58		261 _{3/2} —5046 _{5/2}	— .01	--	
10	3992.72	25038.5		221 _{9/2} —4720 _{9/2}	+ .01	--	3	4112.275	24310.58		166 _{9/2} —4094 _{7/2}	+ .03	--	
4d	3994.154	25029.50		157 _{5/2} —4080 _{3/2}	+ .1	--	30	4113.402	24303.91	(.184, .545, .905, 1.266), .684, 1.034, 1.383, 1.727, (.129, .389).	172 _{1/2} —4155 _{3/2}	— .04	--	
3	3996.987	25011.77		313 _{9/2} —5641 _{9/2}	— .15	--	10	4114.676	24296.39		263 _{3/2} —5066 _{11/2}	+ .03	--	
3	4000.122	24992.17		270 _{3/2} —5212 _{3/2}	— .02	--	10	4121.548	24255.88	(.0w) 2.010B	224 _{3/2} —4673 _{3/2}	+ .03	--	
3	4001.19	24985.5		164 _{3/2} —4131 _{5/2}	— .0	--	30	4121.635	24255.37	(.132, .399)	142 _{7/2} —3852 _{7/2}	+ .03	--	
70	4004.930	24962.16	(.174) 1.157, 1.503.	197 _{1/2} —4472 _{3/2}	— .02	--	2	4122.896	24247.95		304 _{3/2} —5482 _{5/2}	— .03	--	
3	4010.322	24928.60		266 _{5/2} —5159 _{5/2}	— .05	--	2	4123.507	24244.36		288 _{7/2} —5305 _{5/2}	+ .01	--	
(35)	4011.514	24921.19		288 _{7/2} —5373 _{7/2}	+ .01	--	2	4123.82	24242.5		280 _{5/2} —5227 _{3/2}	— .01	--	
15	4012.26	24916.6		280 _{5/2} —5295 _{3/2}	— .08	3	2	4128.002	24217.95		194 _{5/2} —4370 _{3/2}	+ .05	--	
20	4018.40	24878.5	(000) 1.160.	266 _{5/2} —5157 _{3/2}	— .0	--	8	4130.458	24203.56		273 _{11/2} —5148 _{9/2}	+ .1	--	
6	4019.124	24874.01		273 _{11/2} —5212 _{3/2}	— .0	--	10	4132.277	24192.90	(0w) 1.084, (0w) 1.041C	298 _{5/2} —5401 _{7/2}	+ .14	--	
10	4022.86	24850.9		217 _{7/2} —4664 _{5/2}	— .01	--	100	4133.425	24186.18	(.061, .183, .305, .426, .548, .669), 1.151, . . . 2.049.	231 _{5/2} —4755 _{7/2}	+ .01	--	
60	4022.965	24850.26	(.176, .525), .553, .907, 1.260.	280 _{5/2} —5288 _{5/2}	— .1	--	200	4136.45	24168.5	(.464) 1.516A	221 _{9/2} —4635 _{7/2}	— .05	22	
40	4023.313	24848.11		194 _{5/2} —4430 _{5/2}	+ .1	--	3	4137.603	24161.76	(.235, .387, .545) 1.077, 1.223, 1.383.	273 _{1/2} —5157 _{3/2}	+ .05	--	
3d	4025.07	24837.3		204 _{3/2} —4535 _{3/2}	— .04	--	3	4138.532	24156.34		163 _{11/2} —4049 _{13/2}	— .01	--	
9	4025.614	24833.91		142 _{7/2} —3906 _{5/2}	+ .05	--	(1h)	4142.44	24133.6	(.061, .183, .306, .428), 1.195, 1.319, 1.442, 1.566, 1.689, 1.811, (.074, .223, .370).	157 _{5/2} —3992 _{3/2}	+ .01	--	
4	4026.707	24827.17		301 _{1/2} —5496 _{1/2}	— .0	--	4	4142.767	24131.65	(0w) 1.484A	275 _{9/2} —5164 _{7/2}	+ .1	23	
4	4027.124	24824.60	(.102, .304)	285 _{7/2} —5377 _{9/2}	+ .1	--	200	4144.363	24122.35		261 _{3/2} —5020 _{3/2}	— .00	--	
30	4028.53	24815.9	(0w) 1.168.	166 _{9/2} —4145 _{9/2}	+ .01	--					173 _{7/2} —4145 _{9/2}	— .01	--	
60	4029.63	24809.2	(0w) 1.212B	280 _{5/2} —5285 _{7/2}	+ .05	--								
8	4032.143	24793.70		244 _{5/2} —4925 _{3/2}	— .02	--								
1														

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
30	4152.632	24074.32	-----	157 _{5/2} —3984 _{7/2}	-.01	--	30	4291.654	23294.48	{	157 _{5/2} —3906 _{3/2}	-.02	--
3	4157.252	24047.57	-----	288 _{7/2} —5685 _{7/2}	.00	--				{	146 _{5/2} —3791 _{3/2}	+0.07	--
20	4159.925	24032.11	(0w) .746C	272 _{9/2} —5119 _{9/2}	-.03	19	2	4294.62	23278.4		244 _{5/2} —4770 _{3/2}	.0	--
5	4160.773	24027.22	-----	261 _{3/2} —5015 _{3/2}	-.08	--	20	4299.917	23249.72		239 _{11/2} —4720 _{9/2}	-.01	--
1	4164.32	24006.8	-----	150 _{7/2} —3906 _{3/2}	+1	--	4	4301.052	23243.58		244 _{5/2} —4766 _{7/2}	-.03	--
10	4166.408	23994.72	-----	305 _{11/2} —5455 _{11/2}	+0.02	--	4	4301.774	23239.68		272 _{9/2} —5040 _{9/2}	+0.02	--
15	4168.588	23982.17	(0w) 1.220h	173 _{7/2} —4131 _{3/2}	-.03	--	3d	4302.11	23237.9		138 _{3/2} —3706 _{3/2}	+4	--
100d	4170.395	23971.78	{.569} .915, 2.051.	275 _{9/2} —5148 _{9/2}	-.20	9	100	4304.404	23225.48	(0w) 1.110B	166 _{9/2} —3984 _{7/2}	+0.01	--
				138 _{3/2} —3779 _{1/2}	-.05	--	2	4304.78	23223.5		311 _{5/2} —5440 _{3/2}	.0	--
10	4173.978	23951.21	-----	194 _{5/2} —4341 _{3/2}	-.01	--	15	4305.334	23220.47	(.261, .783)	204 _{3/2} —4370 _{3/2}	.00	--
10	4175.186	23944.27	(.495)	197 _{1/2} —4370 _{3/2}	-.02	--	4	4308.802	23201.78		266 _{5/2} —4986 _{7/2}	-.01	--
10	4176.540	23936.51	-----	150 _{7/2} —3899 _{9/2}	-.03	--	9	4309.474	23198.16		231 _{5/2} —4635 _{7/2}	-.02	--
6	4176.867	23934.64	-----	204 _{3/2} —4441 _{1/2}	+0.04	--	2h	4313.31	23177.5		341 _{9/2} —5737 _{7/2}	.0	--
2	4177.419	23931.48	-----	288 _{7/2} —5674 _{9/2}	+0.05	--	15	4314.578	23170.72	(.121, .359, .596, .833), (.293)	217 _{7/2} —4494 _{7/2}	.00	--
3	4178.599	23924.72	-----	280 _{5/2} —5195 _{7/2}	+0.02	--	20	4315.71	23164.7		142 _{7/2} —3738 _{5/2}	+1	--
3	4179.73	23918.2	-----	319 _{7/2} —5589 _{7/2}	.0	--	4	4316.18	23162.1		301 _{1/2} —5329 _{3/2}	-.1	--
2	4181.29	23909.3	-----	306 _{9/2} —5455 _{11/2}	.0	--	5	4317.11	23157.2		273 _{11/2} —5040 _{9/2}	+1	--
(1)	4182.22	23904.0	-----	239 _{11/2} —4785 _{11/2}	+1	23	2h	4317.68	23154.1		298 _{5/2} —5296 _{3/2}	.0	--
100	4182.902	23900.11	(.106, .316, .522, .795, 1.002, 1.212, 1.410, 1.613, (0w) 1.304w	157 _{5/2} —3967 _{5/2}	+0.01	--	2h	4317.93	23152.8		280 _{5/2} —5118 _{3/2}	+1	--
				146 _{5/2} —3852 _{7/2}	-.05	--	10	4318.585	23149.21		272 _{9/2} —5031 _{7/2}	-.14	--
100	4183.056	23899.23	-----	332 _{5/2} —5717 _{7/2}	.0	--	15	4319.531	23144.15	(.093, .279, .464)	275 _{9/2} —5066 _{11/2}	+0.01	--
2h	4184.48	23891.1	-----	194 _{3/2} —4334 _{3/2}	.0	--	3	4324.33	23118.4		146 _{5/2} —3776 _{7/2}	-.04	--
2h	4185.72	23884.0	-----	138 _{3/2} —3769 _{3/2}	-.01	--	3	4329.076	23093.12		261 _{3/2} —4925 _{7/2}	-.1	--
5	4187.909	23871.53	-----	306 _{9/2} —5451 _{7/2}	-.01	--	2h	4331.14	23082.1		306 _{9/2} —5373 _{7/2}	-.01	--
2	4188.441	23868.50	-----	345 _{5/2} —5836 _{9/2}	.0	--	3	4331.365	23080.91		311 _{5/2} —5426 _{3/2}	.0	--
3HI	4191.92	23848.7	(.132) 1.258A (.108, .323)	173 _{7/2} —4116 _{7/2}	-.02	--	80	4332.25	23076.2	(.106) 1.208D (.037, .112, .187) 1.478B	298 _{5/2} —5288 _{3/2}	-.05	--
50	4194.668	23833.07	.885, 1.100, 1.315.	204 _{3/2} —4430 _{3/2}	-.03	--	9	4335.860	23056.99		146 _{5/2} —3769 _{7/2}	.0	19
10	4195.741	23826.97	-----	273 _{11/2} —5102 _{9/2}	.00	--	8	4339.68	23036.7		298 _{5/2} —5285 _{7/2}	-.07	--
7	4203.308	23784.08	(w) 1.058B	221 _{9/2} —4593 _{7/2}	+0.05	--	1	4345.32	23006.8		166 _{9/2} —3965 _{9/2}	.0	--
30	4204.525	23777.19	{(w) 1.293h	261 _{3/2} —4985 _{7/2}	-.09	9	2	4345.505	23005.81		314 _{3/2} —5446 _{3/2}	.0	--
30	4213.266	23727.87	-----	271 _{7/2} —5086 _{7/2}	.00	--	4	4352.46	22999.1		266 _{5/2} —4966 _{3/2}	-.01	--
2	4214.974	23718.25	-----	224 _{3/2} —4614 _{1/2}	-.03	--	10	4357.06	22944.8		271 _{7/2} —5011 _{3/2}	-.1	--
15	4215.500	23715.30	-----	275 _{9/2} —5122 _{7/2}	-.03	--	100	4358.69	22936.2	(.088, .262, .437) 1.188, 1.363, 1.533, 1.707, 1.880.	247 _{7/2} —4766 _{7/2}	.0	--
200	4221.079	23683.95	(.277) 1.130, 1.238, 1.344, 1.452, 1.560.	115 _{5/2} —3526 _{3/2}	-.03	--	7	4359.310	22932.96		115 _{5/2} —3452 _{7/2}	-.1	--
			(.133, .394, .657) 1.292, 1.596, 1.855, 2.114, 2.372, 2.626.	285 _{7/2} —5221 _{3/2}	.00	--	10	4360.375	22927.36		244 _{5/2} —4735 _{7/2}	.00	--
2	4222.500	23675.98	-----	204 _{3/2} —4414 _{3/2}	-.06	--	4	4361.26	22922.7		204 _{3/2} —4341 _{3/2}	-.02	--
15	4224.163	23666.66	-----	189 _{5/2} —4250 _{7/2}	.0	--	6	4363.37	22911.6		221 _{9/2} —4598 _{7/2}	+1	--
2000	4227.46	23648.2	(.054, .162, .270).	280 _{5/2} —5164 _{7/2}	.00	--	10	4364.13	22907.6	(.333w)	266 _{5/2} —4957 _{7/2}	-.1	--
				173 _{7/2} —4094 _{7/2}	+0.01	--	9	4364.851	22903.85	(.070, .209, .347.)	305 _{11/2} —5346 _{11/2}	.0	--
10	4233.275	23615.72	-----	163 _{11/2} —3991 _{11/2}	+1	--	1	4366.35	22896.0		280 _{5/2} —5093 _{3/2}	-.01	--
6	4234.43	23609.3	-----	204 _{4/2} —4405 _{3/2}	.0	--	100	4367.58	22889.5	(.621, .776, .929) .862, 1.014, 1.168, 1.323, 1.476.	341 _{9/2} —5709 _{7/2}	.0	--
20	4236.237	23599.20	(.1448) .252, 1.227.	164 _{3/2} —3992 _{3/2}	-.04	--	2	4369.64	22878.7	(.581w)	163 _{11/2} —3919 _{11/2}	-.1	--
7	4238.016	23589.30	(.074)	298 _{5/2} —5338 _{5/2}	-.05	--	4	4369.77	22878.1		273 _{1/2} —5096 _{3/2}	-.1	20
15	4238.586	23586.13	(.213)	194 _{5/2} —4304 _{5/2}	.00	--	5	4373.202	22860.11	(.720)	273 _{1/2} —5096 _{3/2}	+0.01	--
2	4239.956	23578.51	-----	231 _{5/2} —4673 _{3/2}	-.06	--	2	4377.056	22839.98		204 _{3/2} —4334 _{3/2}	-.05	--
40	4241.16	23571.8	(?) .964	172 _{1/2} —4081 _{1/2}	-.2	17	3	4377.44	22838.0		319 _{7/2} —5482 _{1/2}	.0	--
50	4241.42	23570.4	(?) .766	172 _{1/2} —4080 _{3/2}	-.2	17	1	4380.45	22822.3		288 _{7/2} —5164 _{7/2}	.0	--
2	4241.806	23568.23	-----	217 _{7/2} —4534 _{9/2}	+0.06	--	(10)	4381.00	22819.4		306 _{9/2} —5346 _{11/2}	+1	--
2	4243.85	23556.8	-----	217 _{7/2} —4533 _{3/2}	+2	--	10	4385.443	22796.30	{(.108, .324)	305 _{11/2} —5337 _{11/2}	.0	7
2	4244.12	23555.4	(.248)	138 _{3/2} —3738 _{3/2}	+1	--	2	4386.14	22792.7		275 _{9/2} —5051 _{7/2}	.00	--
40h1	4246.820	23540.40	(.418)	345 _{5/2} —5806 _{9/2}	+0.01	--	10	4387.404	22786.11	(.160, .428)	194 _{5/2} —4225 _{7/2}	.00	--
4h	4247.679	23535.64	-----	261 _{3/2} —4966 _{3/2}	-.04	--	(2)	4388.52	22780.3		352 _{5/2} —5806 _{9/2}	+0.03	--
2	4248.357	23531.88	-----	298 _{5/2} —5337 _{7/2}	+0.08	--	100	4391.342	22765.68	(.045, .134, .224) 1.747	221 _{9/2} —4494 _{7/2}	+1	13
2	4255.10	23494.6	-----	306 _{9/2} —5417 _{7/2}	-.04	--	3	4392.122	22761.64		288 _{7/2} —5159 _{7/2}	+.05	--
2	4255.33	23493.3	-----	231 _{5/2} —4664 _{5/2}	.0	--	40	4392.45	22760.0		304 _{3/2} —5328 _{3/2}	-.04	--
20	4255.749	23491.01	-----	298 _{5/2} —5329 _{3/2}	.00	--	80	4394.30	22750.3	{(.437) 1.053, .1928}	146 _{5/2} —3738 _{5/2}	.0	--
200	4257.60	23480.8	(.176, .526, .875) 1.043, 1.393, 1.745, 2.096, 2.447.	173 _{7/2} —4082 _{3/2}	.00	--	50	4394.46	22749.5		151 _{1/2} —3791 _{3/2}	{+3 -5}	24
				142 _{7/2} —3769 _{5/2}	.0	--	10	4396.089	22741.10		221 _{9/2} —4490 _{7/2}	-.01	--
(1)	4258.88	23473.8	-----	244 _{5/2} —4789 _{9/2}	.0	23	30	4396.802	22737.41	(.184, .550) .784, 1.151	164 _{5/2} —3906 _{3/2}	.00	--
3	4259.880	23468.23	-----	204 _{3/2} —4394 _{3/2}	-.02	--	8	4399.80	22721.9	(.662, .700, .881, 1.062, 1.243, 1.424.	271 _{7/2} —4986 _{7/2}	-.2	--
6	4260.91	23462.6	-----	341 _{9/2} —5765 _{7/2}	.0	--	40	4402.600	22707.47		150 _{7/2} —3776 _{7/2}	+0.01	--
3	4261.86	23457.3	-----	267 _{7/2} —5786 _{7/2}	+1	--	5	4403.683	22701.88		272 _{9/2} —4986 _{7/2}	+0.01	--
3	4263.35	23449.1	-----	280 _{5/2} —5115 _{5/2}	+2	--	1	4404.27	22698.8	(.883) .150	224 _{5/2} —4512 _{3/2}	-.2	--
3	4263.76	23446.9	-----	280 _{5/2} —5117 _{7/2}	+1	--	20	4406.30	22688.4	{(000) 1.251	172 _{1/2} —3992 _{3/2}	-.1	--
2h	4264.73	23441.5	-----	261 _{3/2} —4957 _{7/2}	.0	--	30	4406.47	22687.5		163 _{11/2} —3989 _{9/2}	-.1	--
5	4268.71	23419.7	-----	273 _{11/2} —5066 _{11/2}	+1	--					285 _{7/2} —5122 _{7/2}	.0	--
3	4269.79	23413.8	-----	319 _{7/2} —5597 _{7/2}	+1	--	3	4408.64	22676.4		288 _{7/2} —5148 _{9/2}	.0	--
20	4269.94	23413.0	-----	285 _{7/2} —5195 _{7/2}	+1	--	2h	4410.39	22667.4		244 _{5/2} —4710 _{3/2}	+2	--
10	4274.34	23388.9	-----	305 _{11/2} —5394 _{11/2}	+1	--	(1)	4412.52	22656.4		288 _{7/2} —5147 _{7/2}	+1	--
3	4279.185	23362.36	-----	231 _{5/2} —4658 _{3/2}	-.04	--	1	4413.500	22651.29		311 _{5/2} —5384 _{3/2}	-.1	23
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TABLE 2. *Classified lines of Re I—Continued*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
3	4436.614	22533.38		217 $\frac{1}{2}$ —4430 $\frac{1}{2}$	+ .05	--	200	4605.73	21706.0	(0w) 1.312B...	214 $\frac{1}{2}$ —4416 $\frac{1}{2}$.0	--
20	4440.44	22514.0	(?) 1.255	173 $\frac{1}{2}$ —3984 $\frac{1}{2}$	+ .1	--	3	4607.80	21696.3		272 $\frac{1}{2}$ —4885 $\frac{1}{2}$.0	--
2h	4445.97	22486.0		285 $\frac{1}{2}$ —5102 $\frac{1}{2}$	+ .2	--	4	4608.802	21691.53		304 $\frac{1}{2}$ —5221 $\frac{1}{2}$	+ .02	--
2	4448.115	22475.12		273 $\frac{1}{2}$ —4985 $\frac{1}{2}$	- .01	--	1h	4609.81	21686.8		244 $\frac{1}{2}$ —4611 $\frac{1}{2}$.0	--
2	4448.259	22474.39		273 $\frac{1}{2}$ —4985 $\frac{1}{2}$	+ .06	--	5	4613.95	21667.3		305 $\frac{1}{2}$ —5222 $\frac{1}{2}$.0	--
2	4453.26	22449.2		217 $\frac{1}{2}$ —4422 $\frac{1}{2}$.0	--	50	4614.66	21664.0	(.000) 1.248h...	173 $\frac{1}{2}$ —3899 $\frac{1}{2}$	+ .1	--
20	4453.92	22445.8		359 $\frac{1}{2}$ —5836 $\frac{1}{2}$	+ .1	--	30	4616.57	21655.1		221 $\frac{1}{2}$ —4381 $\frac{1}{2}$	+ .1	--
50	4464.62	22442.3	(.257) .893, 1.415, 1.933.	146 $\frac{1}{2}$ —3706 $\frac{1}{2}$	- .1	--	80	4621.38	21632.5	(.439, .724) 1.003, 1.274, 1.553†.	217 $\frac{1}{2}$ —4340 $\frac{1}{2}$.0	26
3	4456.370	22433.49		280 $\frac{1}{2}$ —5046 $\frac{1}{2}$	+ .01	--	(1h)	4624.73	21616.8		285 $\frac{1}{2}$ —5015 $\frac{1}{2}$	+ .1	23
6	4456.668	22431.99		271 $\frac{1}{2}$ —4957 $\frac{1}{2}$	+ .01	--	30	4625.96	21611.1		157 $\frac{1}{2}$ —3738 $\frac{1}{2}$	+ .1	--
2	4457.47	22428.0		304 $\frac{1}{2}$ —5296 $\frac{1}{2}$	+ .1	--	1	4628.76	21598.0		314 $\frac{1}{2}$ —5305 $\frac{1}{2}$	- .1	--
3	4459.405	22418.22		239 $\frac{1}{2}$ —4677 $\frac{1}{2}$	- .03	--	7	4630.24	21591.1		288 $\frac{1}{2}$ —5040 $\frac{1}{2}$.0	--
2	4464.627	22392.00		285 $\frac{1}{2}$ —5093 $\frac{1}{2}$	- .05	--	80	4630.82	21588.4	(?) 1.594...	164 $\frac{1}{2}$ —3791 $\frac{1}{2}$.0	--
5	4465.834	22385.95		194 $\frac{1}{2}$ —4184 $\frac{1}{2}$	- .01	--	3	4635.78	21565.3		231 $\frac{1}{2}$ —4472 $\frac{1}{2}$.0	--
15	4467.544	22377.38		247 $\frac{1}{2}$ —4710 $\frac{1}{2}$	- .01	--	1h	4640.63	21542.8		280 $\frac{1}{2}$ —4967 $\frac{1}{2}$.0	--
40	4467.924	22375.47		166 $\frac{1}{2}$ —3899 $\frac{1}{2}$	+ .02	--	1h	4640.94	21541.3		332 $\frac{1}{2}$ —5482 $\frac{1}{2}$	- .1	--
2	4472.06	22354.8		304 $\frac{1}{2}$ —5288 $\frac{1}{2}$	+ .1	--	2	4642.68	21533.3		261 $\frac{1}{2}$ —4765 $\frac{1}{2}$	+ .2	--
4	4473.23	22348.9		279 $\frac{1}{2}$ —4986 $\frac{1}{2}$.0	--	20	4644.95	21522.7		266 $\frac{1}{2}$ —4818 $\frac{1}{2}$	- .1	--
80	4475.082	22339.68	(.073, .217, .362) 1.328, 1.475, 1.621.	173 $\frac{1}{2}$ —3967 $\frac{1}{2}$	- .02	--	10	4647.46	21511.1		263 $\frac{1}{2}$ —4785 $\frac{1}{2}$	+ .1	--
6	4476.78	22331.2		278 $\frac{1}{2}$ —5015 $\frac{1}{2}$.0	--	4	4648.56	21506.0		288 $\frac{1}{2}$ —5039 $\frac{1}{2}$.0	--
3	4477.642	22326.92		285 $\frac{1}{2}$ —5086 $\frac{1}{2}$	+ .05	--	1h	4649.19	21503.1		377 $\frac{1}{2}$ —5926 $\frac{1}{2}$.0	--
30	4477.986	22325.20	(.091)	173 $\frac{1}{2}$ —3965 $\frac{1}{2}$	+ .03	--	3h	4649.70	21500.8		288 $\frac{1}{2}$ —5031 $\frac{1}{2}$.0	--
60	4478.386	22323.20	(.079, .242) 1.068, 1.232, 1.375, 1.557.	150 $\frac{1}{2}$ —3738 $\frac{1}{2}$	- .02	--	1h	4650.825	21495.54		333 $\frac{1}{2}$ —5481 $\frac{1}{2}$	- .01	--
10	4481.443	22307.98		231 $\frac{1}{2}$ —4546 $\frac{1}{2}$	- .04	--	4	4651.82	21491.0		314 $\frac{1}{2}$ —5296 $\frac{1}{2}$.0	--
3h	4486.58	22282.4		244 $\frac{1}{2}$ —4673 $\frac{1}{2}$.00	--	100	4652.33	21488.6	(.087, .254) 1.447, 1.630, 1.796, 1.963.	194 $\frac{1}{2}$ —4094 $\frac{1}{2}$.0	--
5	4486.991	22280.39		273 $\frac{1}{2}$ —5011 $\frac{1}{2}$	- .2	--	2	4652.77	21486.6		288 $\frac{1}{2}$ —5034 $\frac{1}{2}$	+ .2	--
15	4496.432	22233.62	(?) .796	280 $\frac{1}{2}$ —5031 $\frac{1}{2}$	+ .01	--	10	4654.53	21478.4		288 $\frac{1}{2}$ —5033 $\frac{1}{2}$.0	--
10	4498.378	22224.00		197 $\frac{1}{2}$ —4199 $\frac{1}{2}$	- .03	--	2h	4656.29	21470.3		164 $\frac{1}{2}$ —3779 $\frac{1}{2}$	- .1	--
3	4499.04	22220.7		245 $\frac{1}{2}$ —4664 $\frac{1}{2}$	- .02	--	10	4656.47	21469.5		288 $\frac{1}{2}$ —5035 $\frac{1}{2}$.0	--
4	4502.52	22203.6		263 $\frac{1}{2}$ —4856 $\frac{1}{2}$.0	--	10	4660.51	21450.8		288 $\frac{1}{2}$ —5034 $\frac{1}{2}$	- .1	--
4	4504.21	22194.3		311 $\frac{1}{2}$ —5335 $\frac{1}{2}$	- .1	--	9	4661.483	21446.39		244 $\frac{1}{2}$ —4587 $\frac{1}{2}$	- .1	--
100	4507.035	22181.31	(.814) .186†	319 $\frac{1}{2}$ —5417 $\frac{1}{2}$.0	--	60	4662.493	21439.4		301 $\frac{1}{2}$ —5157 $\frac{1}{2}$	- .09	5
60	4508.007	22176.52	(?) .121, .418†	288 $\frac{1}{2}$ —5104 $\frac{1}{2}$	- .07	21	8	4662.99	21439.4		138 $\frac{1}{2}$ —3526 $\frac{1}{2}$	- .07	--
1	4508.39	22174.6		305 $\frac{1}{2}$ —5274 $\frac{1}{2}$.00	25	5	4665.217	21429.23		270 $\frac{1}{2}$ —4856 $\frac{1}{2}$	- .1	--
500	4513.31	22150.5	(.350) 1.967A	217 $\frac{1}{2}$ —4394 $\frac{1}{2}$.0	--	6	4666.713	21422.36		298 $\frac{1}{2}$ —5122 $\frac{1}{2}$	- .03	--
20	4514.26	22145.8		204 $\frac{1}{2}$ —4259 $\frac{1}{2}$.0	--	2	4669.81	21408.1		278 $\frac{1}{2}$ —4925 $\frac{1}{2}$	- .01	--
200	4516.638	22134.15	(.151, .475, .800)†.	288 $\frac{1}{2}$ —5104 $\frac{1}{2}$.0	--	9	4674.304	21387.57		272 $\frac{1}{2}$ —4856 $\frac{1}{2}$	- .2	--
1	4517.774	22128.58		288 $\frac{1}{2}$ —5098 $\frac{1}{2}$	- .14	--	2	4675.38	21382.6		239 $\frac{1}{2}$ —4554 $\frac{1}{2}$.00	--
3	4518.570	22124.69		280 $\frac{1}{2}$ —5015 $\frac{1}{2}$	+ .03	--	15	4679.476	21363.93		298 $\frac{1}{2}$ —5118 $\frac{1}{2}$.0	--
80	4519.762	22118.85	(.975) .894, 1.291, 1.584 . . . †	272 $\frac{1}{2}$ —4928 $\frac{1}{2}$	- .03	--	31h	4681.89	21352.9		194 $\frac{1}{2}$ —4082 $\frac{1}{2}$	- .01	--
400	4522.73	22104.3	P-B	288 $\frac{1}{2}$ —5096 $\frac{1}{2}$	- .1	--	60	4682.319	21350.96		379 $\frac{1}{2}$ —5926 $\frac{1}{2}$.0	--
100	4523.878	22098.72	P-B	288 $\frac{1}{2}$ —5098 $\frac{1}{2}$	- .03	26	(5h)	4684.02	21343.2		194 $\frac{1}{2}$ —4080 $\frac{1}{2}$.00	--
80	4526.009	22088.32	P-B	289 $\frac{1}{2}$ —5105 $\frac{1}{2}$.00	--	1h	4685.20	21337.8		275 $\frac{1}{2}$ —4885 $\frac{1}{2}$	- .1	7
10	4526.98	22083.6		288 $\frac{1}{2}$ —5097 $\frac{1}{2}$	+ .1	--	31h	4687.858	21325.74		319 $\frac{1}{2}$ —5332 $\frac{1}{2}$	- .2	--
60	4528.966	22073.90	P-B	298 $\frac{1}{2}$ —5187 $\frac{1}{2}$	- .15	--	(15)	4688.87	21321.1		273 $\frac{1}{2}$ —4856 $\frac{1}{2}$	- .01	3
150	4529.950	22069.11	P-B	289 $\frac{1}{2}$ —5104 $\frac{1}{2}$	- .07	26	1h	4688.87	21321.1		285 $\frac{1}{2}$ —4986 $\frac{1}{2}$.0	--
30	4530.889	22064.53		289 $\frac{1}{2}$ —5103 $\frac{1}{2}$	- .07	--	4h	4691.45	21309.4		266 $\frac{1}{2}$ —4797 $\frac{1}{2}$.0	--
40	4536.014	22039.60	(.512, .713) 1.246, 1.452, 1.699.	221 $\frac{1}{2}$ —4422 $\frac{1}{2}$	- .01	--	8	4692.80	21303.3		324 $\frac{1}{2}$ —5373 $\frac{1}{2}$.0	--
				217 $\frac{1}{2}$ —4381 $\frac{1}{2}$	- .01	--	8	4693.38	21300.7		306 $\frac{1}{2}$ —5194 $\frac{1}{2}$	+ .1	--
3	4537.54	22032.2		324 $\frac{1}{2}$ —5446 $\frac{1}{2}$	- .1	--	30	4694.99	21293.6		221 $\frac{1}{2}$ —4345 $\frac{1}{2}$	+ .1	--
50	4541.80	22011.5		278 $\frac{1}{2}$ —4985 $\frac{1}{2}$	+ .3	--	2h	4698.08	21279.3		157 $\frac{1}{2}$ —3706 $\frac{1}{2}$	+ .2	--
100	4545.174	21995.19	(0w) 1.356	289 $\frac{1}{2}$ —5097 $\frac{1}{2}$	- .1	--	4	4699.69	21272.0		224 $\frac{1}{2}$ —4370 $\frac{1}{2}$.0	--
10	4545.53	21993.5		157 $\frac{1}{2}$ —3776 $\frac{1}{2}$	- .04	--	50	4700.440	21268.65		275 $\frac{1}{2}$ —4878 $\frac{1}{2}$.0	--
4	4551.502	21964.61		224 $\frac{1}{2}$ —4441 $\frac{1}{2}$.0	--	60	4705.04	21247.8		217 $\frac{1}{2}$ —4304 $\frac{1}{2}$	+ .03	--
3	4556.025	21942.80		306 $\frac{1}{2}$ —5261 $\frac{1}{2}$	- .07	--	20	4711.22	21220.0		221 $\frac{1}{2}$ —4340 $\frac{1}{2}$.0	--
4	4557.33	21936.5		304 $\frac{1}{2}$ —5245 $\frac{1}{2}$	- .05	--	40	4725.02	21158.0		247 $\frac{1}{2}$ —4593 $\frac{1}{2}$.0	--
50	4559.268	21927.19		313 $\frac{1}{2}$ —5333 $\frac{1}{2}$.0	--	80	4725.93	21153.9		263 $\frac{1}{2}$ —4750 $\frac{1}{2}$	+ .2	--
50	4559.682	21925.20	(.129) .616, .874.	157 $\frac{1}{2}$ —3769 $\frac{1}{2}$	- .05	--	20	4727.60	21146.5		231 $\frac{1}{2}$ —4430 $\frac{1}{2}$.0	--
7	4563.63	21906.2		247 $\frac{1}{2}$ —4694 $\frac{1}{2}$.00	--	2h	4730.43	21133.8		224 $\frac{1}{2}$ —4355 $\frac{1}{2}$.0	--
4	4564.633	21901.42		333 $\frac{1}{2}$ —5522 $\frac{1}{2}$	- .01	--	4	4733.87	21118.5		166 $\frac{1}{2}$ —3776 $\frac{1}{2}$	+ .1	--
50	4565.30	21898.2		166 $\frac{1}{2}$ —3852 $\frac{1}{2}$	- .04	--	4	4743.46	21075.7		298 $\frac{1}{2}$ —5093 $\frac{1}{2}$.0	--
60	4565.51	21897.2		151 $\frac{1}{2}$ —3706 $\frac{1}{2}$	+ .6	27	5	4746.24	21063.4		266 $\frac{1}{2}$ —4777 $\frac{1}{2}$.0	5
2h	4568.748	21881.70		271 $\frac{1}{2}$ —4902 $\frac{1}{2}$	+ .06	--	8	4748.06	21055.3		319 $\frac{1}{2}$ —5305 $\frac{1}{2}$	- .1	--
(1)	4571.91	21866.6		272 $\frac{1}{2}$ —4903 $\frac{1}{2}$	+ .1	23	40	4749.03	21051.0		304 $\frac{1}{2}$ —5159 $\frac{1}{2}$	- .1	--
4	4572.195	21865.20		280 $\frac{1}{2}$ —4989 $\frac{1}{2}$	- .05	--	5	4750.99	21042.4		275 $\frac{1}{2}$ —4856 $\frac{1}{2}$.0	--
2	4575.935	21847.33		298 $\frac{1}{2}$ —5164 $\frac{1}{2}$	- .11	--	1	4751.23	21041.3		142 $\frac{1}{2}$ —3526 $\frac{1}{2}$	- .1	--
3	4577.550	21839.62		278 $\frac{1}{2}$ —4966 $\frac{1}{2}$	+ .02	--	10	4751.345	21040.78		197 $\frac{1}{2}$ —4080 $\frac{1}{2}$	+ .1	--
4	4578.251	21836.28		221 $\frac{1}{2}$ —4399 $\frac{1}{2}$	+ .02	--	4	4752.10	21037.4		266 $\frac{1}{2}$ —4770 $\frac{1}{2}$.0	--
3h	4578.93	21833.1		314 $\frac{1}{2}$ —5428 $\frac{1}{2}$.0	--	40	4758.833	21007.67		261 $\frac{1}{2}$ —4718 $\frac{1}{2}$.0	--
100	4580.68	21824.7	(.341, .562) 1.177, 1.394, 1.611.										

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
(1)	4818.40	20748.0		3852 _{1/2} —5926 _{5/2}	-.1	23	6	5090.57	19638.7		280 _{5/2} —4766 _{1/2}	.0	--
20	4820.57	20738.6		247 _{1/2} —4546 _{7/2}	.0	--	3	5093.19	19628.6		313 _{9/2} —5102 _{9/2}	-.1	--
2	4822.65	20729.7		270 _{3/2} —4785 _{11/2}	-.1	--	150	5096.50	19615.8		163 _{11/2} —3592 _{9/2}	-.1	--
6	4829.87	20698.7		272 _{9/2} —4785 _{11/2}	+1	--	2	5098.782	19607.06		319 _{7/2} —5159 _{5/2}	-.03	--
9	4834.79	20677.6		172 _{1/2} —3791 _{3/2}	.0	--	2	5100.70	19599.7		332 _{5/2} —5285 _{5/2}	.0	--
(1)	4838.83	20660.4		231 _{1/2} —4381 _{7/2}	+2	23	20	5104.66	19584.5		247 _{7/2} —4430 _{5/2}	.0	--
3	4845.67	20631.2		333 _{11/2} —5394 _{11/2}	.0	--	10	5105.15	19582.6		138 _{3/2} —3340 _{5/2}	.0	--
3	4846.26	20628.7		285 _{7/2} —4917 _{9/2}	+1	--	10	5108.78	19568.7	(?) .585	224 _{3/2} —4199 _{1/2}	.0	19
20	4848.45	20619.4		247 _{1/2} —4534 _{9/2}	.0	--	15	5112.265	19555.35		263 _{13/2} —4590 _{11/2}	+ .06	--
1	4849.23	20616.0		273 _{11/2} —4785 _{11/2}	-.1	--	1	5113.25	19551.6		306 _{9/2} —5019 _{9/2}	.0	--
7	4852.57	20601.9		313 _{9/2} —5200 _{9/2}	-.2	--	1	5115.18	19544.2		341 _{9/2} —5373 _{7/2}	.0	--
1h	4856.70	20584.3		261 _{1/2} —4673 _{3/2}	+1	--	2	5116.90	19537.6		217 _{7/2} —4131 _{5/2}	.0	--
5	4862.539	20559.64		3706 _{3/2} —5766 _{3/2}	+1	--	2	5117.42	19535.6		301 _{1/2} —4966 _{3/2}	-.1	--
3	4870.03	20528.0		306 _{9/2} —5122 _{7/2}	.0	--	30	5120.32	19524.6		244 _{5/2} —4394 _{5/2}	.0	--
2	4872.43	20517.9		172 _{1/2} —3779 _{1/2}	-.01	--	9	5124.597	19508.29		271 _{7/2} —4664 _{5/2}	.60	--
2	4874.237	20510.30		271 _{1/2} —4766 _{7/2}	+1	--	20	5126.70	19500.3		247 _{7/2} —4422 _{9/2}	-.1	--
10	4874.85	20507.7		261 _{1/2} —4664 _{5/2}	.0	--	4	5140.058	19449.61		298 _{5/2} —4925 _{3/2}	-.03	--
3	4881.278	20480.71		298 _{5/2} —5031 _{7/2}	-.02	--	3	5141.288	19444.96		204 _{3/2} —3992 _{3/2}	-.06	--
3	4882.45	20475.8		272 _{9/2} —4766 _{7/2}	.0	--	6	5145.593	19428.69		285 _{7/2} —4791 _{5/2}	.00	--
3	4884.10	20468.9		285 _{7/2} —4902 _{5/2}	+ .07	--	15	5146.89	19423.8		3984 _{7/2} —5926 _{5/2}	-.2	--
2	4885.80	20461.8		244 _{5/2} —4490 _{7/2}	.0	--					333 _{11/2} —5274 _{9/2}	+1	--
3	4884.10	20468.9		194 _{5/2} —3992 _{3/2}	.0	--	15	5156.248	19388.54		217 _{7/2} —4116 _{7/2}	+ .03	--
200	4889.14	20447.8		311 _{1/2} —5164 _{7/2}	+1	--	30	5161.650	19368.25		271 _{7/2} —4655 _{5/2}	-.02	--
4	4892.222	20434.90		0 _{5/2} —2044 _{7/2}	.0	--	2	5167.860	19344.98		278 _{3/2} —4718 _{1/2}	-.2	--
10	4896.167	20418.43		173 _{1/2} —3776 _{7/2}	+ .07	--	2	5172.370	19328.11		280 _{5/2} —4735 _{7/2}	+ .07	--
6	4899.634	20403.99		275 _{9/2} —4793 _{7/2}	+ .19	--	80	5178.891	19303.77		166 _{9/2} —3592 _{9/2}	+ .03	--
15	4903.73	20386.9		311 _{1/2} —5159 _{5/2}	-.01	--	20	5181.741	19293.16		221 _{9/2} —4145 _{9/2}	+ .02	--
2	4904.75	20382.7		194 _{5/2} —3984 _{7/2}	.0	--	3	5185.896	19277.70		311 _{5/2} —5046 _{5/2}	-.02	--
1	4905.93	20377.8		306 _{9/2} —5102 _{9/2}	+1	--	2	5186.149	19276.76		244 _{5/2} —4370 _{3/2}	-.04	--
30	4906.208	20376.65		261 _{1/2} —4550 _{5/2}	.0	--	1	5186.423	19275.74		266 _{5/2} —4593 _{7/2}	-.01	--
20	4908.562	20366.88		270 _{13/2} —4750 _{13/2}	.00	--	8	5199.89	19225.8		247 _{7/2} —4394 _{5/2}	.0	--
4	4909.066	20364.78		173 _{1/2} —3769 _{5/2}	+ .04	--	4	5200.82	19222.4		298 _{5/2} —4902 _{5/2}	.0	--
4	4914.34	20342.9		217 _{1/2} —4214 _{9/2}	+ .12	--	1	5202.83	19215.0		266 _{5/2} —4587 _{5/2}	+1	--
100	4915.020	20340.11	(.160, .481) .645, .965, 1.285.	263 _{5/2} —4700 _{3/2}	.0	--	2	5203.46	19212.6		324 _{5/2} —5164 _{7/2}	-.1	--
				204 _{3/2} —4082 _{5/2}	+ .01	--	1h	5206.74	19200.5		261 _{3/2} —4553 _{3/2}	.0	--
							200	5209.08	19191.9		142 _{7/2} —3340 _{5/2}	.0	--
6	4917.84	20328.5		204 _{3/2} —4081 _{1/2}	+ .1	--	10	5209.927	19188.78		204 _{3/2} —3967 _{5/2}	-.01	--
(2)	4922.366	20309.76		298 _{5/2} —5011 _{5/2}	-.14	3	5210.93	19185.1		341 _{9/2} —5337 _{9/2}	.0	--	
200	4923.903	20303.42	(.183, .297, .409) 1.276, 1.390, 1.505.	142 _{7/2} —3452 _{7/2}	+ .03	--	51h	5214.43	19172.2		3919 _{11/2} —5836 _{9/2}	.0	--
							5	5214.716	19171.16		217 _{7/2} —4094 _{7/2}	+ .03	--
							2	5217.49	19161.0		285 _{7/2} —4791 _{5/2}	.0	--
							5	5222.124	19143.96		244 _{5/2} —4356 _{5/2}	.00	--
2h	4925.99	20294.8		244 _{5/2} —4472 _{3/2}	+1	--	1	5222.733	19141.73		280 _{5/2} —4717 _{3/2}	-.1	--
4	4926.893	20291.10		311 _{1/2} —5147 _{5/2}	+ .03	--	1	5223.022	19140.67		341 _{9/2} —5333 _{7/2}	.0	--
3	4928.585	20284.13		3738 _{5/2} —5766 _{3/2}	+ .11	--	10	5224.786	19134.21		304 _{3/2} —4966 _{3/2}	+ .02	--
2	4932.350	20268.65		239 _{11/2} —4422 _{9/2}	+ .07	--	2h	5226.805	19126.82		224 _{3/2} —4153 _{3/2}	-.04	--
30	4932.734	20262.96		338 _{7/2} —5408 _{7/2}	-.05	--	1	5229.087	19118.47		285 _{7/2} —4766 _{7/2}	-.05	--
15	4935.842	20254.31		273 _{11/2} —4750 _{13/2}	+ .05	--	1	5231.31	19110.3		301 _{1/2} —4925 _{3/2}	+ .02	--
2h	4940.53	20235.1		231 _{1/2} —4341 _{5/2}	+ .01	--	20	5234.306	19099.41		314 _{3/2} —5057 _{3/2}	-.1	--
8	4943.73	20222.0		319 _{7/2} —5221 _{5/2}	.0	--	10	5236.660	19090.82		231 _{5/2} —4225 _{3/2}	+ .03	--
7	4944.807	20217.34		247 _{1/2} —4494 _{7/2}	+1	--	2	5243.52	19065.8		247 _{7/2} —4381 _{7/2}	-.01	--
150	4946.72	20209.8		271 _{1/2} —4735 _{7/2}	+ .11	--	10	5244.334	19062.89		3899 _{9/2} —5806 _{7/2}	-.0	--
20	4949.82	20197.1		150 _{3/2} —3526 _{3/2}	.0	--	30	5248.856	19046.46		194 _{5/2} —3852 _{7/2}	+ .04	--
2	4952.270	20187.12		272 _{9/2} —4735 _{7/2}	+ .08	--					304 _{3/2} —4957 _{5/2}	-.05	--
3	4955.286	20174.83		231 _{1/2} —4334 _{3/2}	-.04	--	3	5250.085	19042.01		217 _{7/2} —4082 _{3/2}	+ .03	--
100	4956.765	20168.82	(?) .170	324 _{5/2} —5201 _{7/2}	-.02	--	3	5252.34	19033.8		324 _{5/2} —5147 _{5/2}	.0	--
2h	4960.42	20154.0		197 _{1/2} —3992 _{3/2}	.02	--	1h	5255.43	19022.7		335 _{7/2} —5285 _{7/2}	.0	--
10	4961.383	20150.04		280 _{5/2} —4818 _{7/2}	+ .1	--	3	5260.62	19003.9		305 _{1/2} —4959 _{9/2}	.0	--
10	4963.063	20143.21		333 _{11/2} —5340 _{11/2}	+ .04	--	(5)	5262.92	18995.6		221 _{9/2} —4116 _{7/2}	.0	--
10	4969.435	20117.39		278 _{5/2} —4797 _{5/2}	+ .04	--	4	5264.416	18990.17		3906 _{5/2} —5806 _{7/2}	-.1	7
8	4972.836	20103.64		314 _{3/2} —5157 _{3/2}	-.04	--	4000	5270.95	18966.6	(.109, .329, .549) 1.000, 1.218, 1.436, 1.655.	261 _{3/2} —4512 _{3/2}	-.07	--
2	4976.932	20087.69		305 _{11/2} —5066 _{11/2}	+ .10	--					2363 _{9/2} —4250 _{7/2}	+ .1	--
7	4980.677	20071.99		313 _{9/2} —5148 _{9/2}	+ .10	--							
20	4981.544	20068.49		260 _{5/2} —4673 _{3/2}	+ .04	--							
200	4985.978	20050.65		217 _{1/2} —4181 _{7/2}	-.06	--							
5	4987.521	20044.45		173 _{1/2} —3738 _{5/2}	+ .06	--	1000	5275.56	18950.1		0 _{5/2} —1895 _{5/2}	.0	--
3	4994.02	20018.4		304 _{3/2} —5057 _{3/2}	+ .03	--	200	5278.245	18940.41		164 _{3/2} —3526 _{3/2}	-.02	--
1	4994.48	20016.5		272 _{9/2} —4720 _{9/2}	+ .07	--	2	5279.102	18937.34		306 _{9/2} —4958 _{9/2}	+ .06	--
1	4996.22	20009.6		319 _{7/2} —5200 _{9/2}	.0	--	5	5284.581	18917.71		338 _{7/2} —5274 _{9/2}	+ .1	--
4	4997.74	20003.5		314 _{3/2} —5147 _{5/2}	.0	--	10	5287.92	18905.8		278 _{3/2} —4673 _{3/2}	+ .1	--
(2)	4999.39	19996.9		261 _{1/2} —4614 _{5/2}	+1	--	4	5292.278	18890.19		224 _{3/2} —4131 _{5/2}	.00	--
10	5003.60	19980.6		333 _{11/2} —5332 _{9/2}	+1	--	5	5300.75	18860.0		275 _{9/2} —4637 _{9/2}	+ .1	--
1	5006.68	19967.7		311 _{1/2} —5118 _{3/2}	.0	23	3	5306.739	18838.72		275 _{9/2} —4635 _{7/2}	+ .04	--
6	5008.14	19961.9		221 _{9/2} —4214 _{9/2}	.0	--	6	5311.515	18821.78		278 _{3/2} —4664 _{5/2}	+ .01	--
4	5010.56	19952.3		3769 _{5/2} —5766 _{3/2}	-.1	--	30	5317.275	18801.39		266 _{5/2} —4546 _{7/2}	-.01	--
1	5014.35	19937.2		273 _{11/2} —4720 _{9/2}	.0	--	1h	5318.76	18796.1		271 _{7/2} —4593 _{7/2}	.0	--
2	5024.022	19898.82		278 _{5/2} —4777 _{7/2}	.0	--	2h	5319.23	18794.5		324 _{5/2} —5122 _{7/2}	.0	--

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
200	5377.10	18592.2		173 _{1/2} —3592 _{9/2}	.0	--	3	5778.343	17301.20		298 _{5/2} —4710 _{5/2}	-.03	--
5	5378.163	18588.53		261 _{1/2} —4472 _{3/2}	+ .01	--	7	5782.58	17288.5		266 _{5/2} —4394 _{5/2}	-.1	--
3	5379.707	18583.20		204 _{3/2} —3906 _{5/2}	+ .01	--	2	5783.01	17287.3		306 _{9/2} —4793 _{7/2}	+ .1	--
1h	5390.18	18547.1		341 _{9/2} —5274 _{9/2}	+ .1	--	7	5786.27	17277.5		261 _{3/2} —4341 _{1/2}	.0	--
9	5396.50	18525.4		306 _{9/2} —4917 _{9/2}	.0	--	20	5791.595	17261.61		164 _{3/2} —3358 _{3/2}	.00	--
1	5409.52	18480.8		319 _{7/2} —5046 _{5/2}	.0	--	2	5796.262	17247.71		224 _{3/2} —3967 _{5/2}	+ .02	--
2	5410.01	18479.1		280 _{5/2} —4650 _{5/2}	.0	--	2	5805.77	17219.5		217 _{7/2} —3899 _{9/2}	+ .2	--
(1)	5416.26	18457.8		194 _{5/2} —3791 _{3/2}	-.2	23	10	5806.97	17215.9		204 _{3/2} —3769 _{5/2}	.0	--
5H	5417.78	18452.6		5991 _{11/2} —5836 _{9/2}	+ .1	--	4	5807.41	17214.6		306 _{9/2} —4785 _{11/2}	.0	--
(2)	5421.75	18439.1		325 _{9/2} —5103 _{3/2}	.0	23	8	5808.86	17210.3		261 _{3/2} —4334 _{3/2}	.0	--
2	5423.29	18433.9		324 _{5/2} —5086 _{7/2}	.0	--	4	5810.82	17204.5		4116 _{7/2} —5836 _{9/2}	.0	--
4	5423.60	18432.8		273 _{1/2} —4581 _{1/2}	-.1	--	(1)	5810.96	17204.1		298 _{5/2} —4700 _{3/2}	+ .1	23
6	5423.81	18432.1		273 _{1/2} —4581 _{1/2}	.0	--	20	5815.92	17189.4		173 _{7/2} —3452 _{7/2}	.0	--
30	5431.90	18404.6		5965 _{9/2} —5806 _{7/2}	-.1	--	2	5818.28	17182.5		332 _{5/2} —5046 _{5/2}	+ .3	--
10	5437.03	18387.3		224 _{3/2} —4081 _{1/2}	.0	--	1000	5834.31	17135.2	(.091, .273, .457, .642, .892, 1.075, 1.259, 1.442, 1.626†	117 _{9/2} —2888 _{7/2}	.0	--
3	5437.41	18386.0		224 _{3/2} —4080 _{3/2}	.0	--							
2h	5443.31	18366.1		332 _{5/2} —5164 _{7/2}	-.1	--							
15	5447.92	18350.5		150 _{7/2} —3340 _{5/2}	.0	--							
4	5456.316	18322.29		4094 _{7/2} —5926 _{5/2}	+ .03	--	5	5835.52	17131.7		244 _{5/2} —4155 _{3/2}	.0	--
2h	5458.92	18313.5		278 _{3/2} —4614 _{1/2}	.0	--	20	5852.02	17083.4		271 _{7/2} —4422 _{9/2}	-.1	--
30	5460.644	18307.77		194 _{5/2} —3776 _{7/2}	+ .01	--					333 _{11/2} —5040 _{9/2}	.0	--
7	5465.43	18291.7		288 _{7/2} —4710 _{5/2}	.0	--	3	5852.76	17081.2		164 _{3/2} —3340 _{5/2}	.0	--
3	5467.54	18284.7		266 _{5/2} —4494 _{7/2}	.0	--					301 _{1/2} —4718 _{1/2}	-.3	--
				278 _{3/2} —4611 _{5/2}	+ .1	--	3	5866.58	17041.0		266 _{5/2} —4370 _{3/2}	+ .2	--
5	5481.003	18239.76		194 _{5/2} —3769 _{5/2}	-.01	--	8	5868.05	17036.7		221 _{9/2} —3919 _{11/2}	.0	--
3	5492.19	18202.6		266 _{5/2} —4490 _{7/2}	+ .04	--	2	5870.71	17029.0		332 _{5/2} —5031 _{7/2}	-.1	--
2	5494.34	18195.5		271 _{7/2} —4534 _{9/2}	+ .2	--	1	5872.557	17023.63		306 _{9/2} —4706 _{7/2}	-.05	--
2	5495.69	18191.0		332 _{5/2} —5147 _{5/2}	.0	--	8	5899.25	16946.6		305 _{11/2} —4730 _{3/2}	-.3	--
1h	5499.79	18177.5		271 _{7/2} —4535 _{5/2}	+ .1	--	7	5903.99	16933.0		298 _{5/2} —4673 _{3/2}	.0	--
5	5501.921	18170.42		338 _{7/2} —5200 _{9/2}	-.2	--					280 _{5/2} —4494 _{7/2}	.0	--
3	5505.60	18158.3		298 _{5/2} —4797 _{5/2}	-.02	--	5	5909.99	16915.8		4145 _{9/2} —5836 _{9/2}	+ .1	--
2	5514.99	18127.4		231 _{5/2} —4131 _{5/2}	+ .1	--					261 _{3/2} —4304 _{5/2}	.0	--
4	5519.53	18112.5		319 _{7/2} —5011 _{5/2}	+ .1	--	5	5911.14	16912.5		4116 _{7/2} —5806 _{7/2}	.0	--
15	5521.10	18107.3		314 _{5/2} —4957 _{5/2}	.0	--	9	5919.86	16887.6		244 _{5/2} —4131 _{5/2}	.0	--
2h	5521.83	18104.9		285 _{7/2} —4664 _{5/2}	.0	--	2h	5925.08	16872.7		301 _{1/2} —4700 _{3/2}	-.1	--
8	5523.40	18099.8		4116 _{7/2} —5926 _{5/2}	.0	--	6	5927.38	16866.2		270 _{13/2} —4399 _{11/2}	.0	--
50	5532.676	18069.41		273 _{1/2} —4534 _{9/2}	+ .1	--	2h	5938.83	16833.7		341 _{9/2} —5102 _{9/2}	.0	--
1h	5534.35	18063.9		217 _{7/2} —3984 _{7/2}	+ .06	--	100	5943.24	16821.2		157 _{5/2} —3259 _{3/2}	.0	--
2h	5535.94	18058.8		311 _{5/2} —4925 _{3/2}	.0	--	2	5945.46	16814.9		324 _{5/2} —4925 _{3/2}	.0	--
2h	5545.15	18028.8		266 _{5/2} —4472 _{3/2}	+ .1	--	2h	5947.57	16808.9		271 _{7/2} —4394 _{5/2}	.0	--
(1h)	5551.05	18009.6		324 _{5/2} —5046 _{5/2}	+ .1	--	10	5950.21	16801.5		285 _{7/2} —4534 _{9/2}	+ .1	--
7	5557.20	17989.7		305 _{11/2} —4856 _{11/2}	-.1	23	4	5954.308	16789.91		285 _{7/2} —4535 _{5/2}	+ .01	--
100	5563.24	17970.1		278 _{3/2} —4581 _{1/2}	+ .1	--	4	5956.10	16784.9		313 _{9/2} —4818 _{7/2}	.0	--
7	5564.12	17967.3		146 _{5/2} —3259 _{3/2}	-.1	--	5	5967.626	16752.44		273 _{11/2} —4399 _{11/2}	+ .02	--
30	5573.47	17937.2		285 _{7/2} —4650 _{5/2}	.0	--					311 _{5/2} —4793 _{7/2}	-.1	--
8	5577.69	17923.6		173 _{7/2} —3526 _{5/2}	+ .1	--	20	5969.77	16746.4		266 _{5/2} —4340 _{7/2}	.0	--
3	5578.38	17921.4		194 _{5/2} —3738 _{5/2}	+ .1	--	4	5972.58	16738.6		244 _{5/2} —4116 _{7/2}	+ .1	--
2	5582.89	17906.9		272 _{9/2} —4508 _{11/2}	+ .1	--	6	5981.65	16713.2		311 _{5/2} —4789 _{5/2}	+ .1	--
30	5584.718	17901.03		280 _{5/2} —4593 _{7/2}	.0	--	8	5982.67	16710.3		275 _{9/2} —4422 _{9/2}	.0	--
2	5592.68	17875.6		166 _{9/2} —3452 _{7/2}	+ .06	--	7	5983.14	16709.0		298 _{5/2} —4650 _{5/2}	.0	--
6	5594.856	17868.60		324 _{5/2} —5031 _{7/2}	.0	--					231 _{5/2} —3984 _{7/2}	.0	--
3	5601.92	17846.1		298 _{5/2} —4766 _{7/2}	-.03	--	8	5989.99	16689.9		280 _{5/2} —4472 _{3/2}	+ .1	--
2h	5604.15	17839.0		280 _{5/2} —4587 _{5/2}	+ .1	--	20	5995.73	16673.9		271 _{7/2} —4381 _{7/2}	.0	--
2	5607.21	17829.2		273 _{11/2} —4508 _{11/2}	+ .2	--	2h	6021.83	16601.6		301 _{1/2} —4673 _{3/2}	-.2	--
3	5607.41	17828.6		275 _{9/2} —4534 _{9/2}	-.1	--	3	6026.53	16588.7		247 _{7/2} —4131 _{5/2}	-.1	--
3h	5608.803	17824.16		244 _{5/2} —4225 _{3/2}	-.2	--	(1h)	6029.05	16581.8		204 _{3/2} —3706 _{3/2}	-.1	23
3	5610.516	17818.72		338 _{7/2} —5164 _{7/2}	.00	--	2	6029.16	16581.5		332 _{5/2} —4986 _{7/2}	-.1	--
2	5614.85	17805.0		157 _{5/2} —3358 _{3/2}	+ .02	--	3	6030.67	16577.3		338 _{7/2} —5040 _{9/2}	-.1	--
4	5619.76	17789.4		271 _{7/2} —4494 _{7/2}	.0	--	10	6039.67	16552.6		298 _{5/2} —4635 _{7/2}	.0	--
1	5621.22	17784.8		314 _{5/2} —4925 _{3/2}	.0	--	5	6051.19	16521.1		244 _{5/2} —4094 _{5/2}	.0	--
8	5625.441	17771.44		272 _{9/2} —4494 _{7/2}	.0	--	2h	6068.42	16474.2		3452 _{7/2} —5099 _{9/2}	+ .3	--
3	5635.45	17739.9		313 _{9/2} —4917 _{9/2}	-.02	--	2h	6081.57	16438.6		314 _{3/2} —4789 _{5/2}	.0	--
8	5653.018	17684.75		272 _{9/2} —4490 _{7/2}	+ .1	--	2h	6097.20	16396.4		244 _{5/2} —4082 _{5/2}	.0	--
4	5658.68	17667.1		221 _{9/2} —3984 _{7/2}	+ .04	--	60	6114.22	16350.8		172 _{1/2} —3358 _{3/2}	.0	--
5	5662.83	17654.1		231 _{5/2} —4082 _{5/2}	+ .1	--	10	6125.47	16320.7		278 _{5/2} —4414 _{3/2}	-.1	--
3	5664.69	17648.3		231 _{5/2} —4080 _{3/2}	+ .1	--	6	6132.98	16300.8		275 _{9/2} —4381 _{7/2}	+ .1	--
				301 _{1/2} —4777 _{3/2}	.0	--	100	6145.81	16266.7		271 _{7/2} —4340 _{7/2}	.0	--
3	5665.01	17647.3		266 _{5/2} —4430 _{5/2}	.0	--	80	6146.82	16264.1		164 _{3/2} —3259 _{3/2}	.0	--
100	5667.88	17638.4		263 _{3/2} —4399 _{11/2}	.0	--	6	6169.51	16204.3		314 _{3/2} —4765 _{1/2}	+ .2	--
3	5671.04	17628.6		157 _{5/2} —3340 _{5/2}	+ .1	--	3	6181.71	16172.3		311 _{5/2} —4735 _{7/2}	.0	--
3	5678.34	17605.9		313 _{9/2} —4903 _{7/2}	.0	--	15	6195.44	16136.4		288 _{7/2} —4494 _{7/2}	+ .1	--
2h	5683.40	17590.2		194 _{5/2} —3706 _{3/2}	+ .1	--	3	6200.734	16122.66		261 _{3/2} —4225 _{3/2}	.00	--
2	5684.31	17587.4		319 _{7/2} —4957 _{5/2}	.0	--	20	6203.24	16116.1		164 _{3/2} —3244 _{1/2}	.0	--
2	5686.81	17579.7		332 _{5/2} —5086 _{7/2}	.0	--	50	6217.97	16078.0		173 _{7/2} —3340 _{5/2}	+ .1	--
6	5689.75	17570.6		3340 _{5/2} —5068 _{7/2}	.0	--	4	6218.74	16076.0		298 _{5/2} —4587 _{5/2}	.0	--
2	5692.46	17562.2		261 _{3/2} —4370 _{3/2}	.0	--	60	6229.42	16048.4		2885 _{5/2} —4491 _{5/2}	.0	--
30	5711.426	17503.90		314 _{5/2} —4902 _{5/2}	.0	--	80	6243.24	16012.9		2888 _{7/2} —4491 _{5/2}	.0	--
15	5716.950	17486.99		224 _{3/2} —3992 _{3/2}	-.02	--	2	6252.08					

TABLE 2. *Classified lines of Re I—Continued*

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
10	6373.47	15685.7	-----	301 $\frac{1}{2}$ - 458 $\frac{1}{2}$	-0	--	4	7447.58	13423.48	-----	273 $\frac{1}{2}$ - 408 $\frac{1}{2}$	-17	--
15	6382.94	15662.4	-----	298 $\frac{1}{2}$ - 454 $\frac{1}{2}$	-1	--				-----	304 $\frac{1}{2}$ - 439 $\frac{1}{2}$	+10	--
20	6405.98	15606.1	-----	217 $\frac{1}{2}$ - 373 $\frac{1}{2}$	+1	--	5	7478.63	13367.75	-----	332 $\frac{1}{2}$ - 466 $\frac{1}{2}$	-02	--
(3)	6406.16	15605.7	-----	221 $\frac{1}{2}$ - 377 $\frac{1}{2}$	+1	23	7	7481.15	13363.24	-----	270 $\frac{1}{2}$ - 404 $\frac{1}{2}$	+04	--
20	6411.47	15592.7	-----	266 $\frac{1}{2}$ - 422 $\frac{1}{2}$	-1	--	(1)	7482.62	13360.62	-----	319 $\frac{1}{2}$ - 453 $\frac{1}{2}$	+04	31
2h	6416.13	15581.4	-----	278 $\frac{1}{2}$ - 434 $\frac{1}{2}$	-1	--	3	7488.12	13350.81	-----	306 $\frac{1}{2}$ - 439 $\frac{1}{2}$	-16	--
2h	6422.24	15566.6	-----	437 $\frac{1}{2}$ - 592 $\frac{1}{2}$	-0	--	2	7489.10	13349.06	-----	319 $\frac{1}{2}$ - 453 $\frac{1}{2}$	+02	--
3	6436.69	15531.6	-----	298 $\frac{1}{2}$ - 453 $\frac{1}{2}$	-1	--	2	7494.02	13340.30	-----	244 $\frac{1}{2}$ - 377 $\frac{1}{2}$	+05	--
8	6449.28	15501.3	-----	244 $\frac{1}{2}$ - 399 $\frac{1}{2}$	-1	--	10H	7524.48	13286.29	-----	450 $\frac{1}{2}$ - 583 $\frac{1}{2}$	+02	--
5	6501.17	15377.58	-----	280 $\frac{1}{2}$ - 434 $\frac{1}{2}$	+03	--	3	7526.49	13282.75	-----	280 $\frac{1}{2}$ - 413 $\frac{1}{2}$	+05	--
7	6502.22	15375.10	-----	224 $\frac{1}{2}$ - 377 $\frac{1}{2}$	-02	--	2	7536.40	13265.27	-----	266 $\frac{1}{2}$ - 399 $\frac{1}{2}$	-05	--
80	6511.47	15353.27	-----	172 $\frac{1}{2}$ - 325 $\frac{1}{2}$	-06	--	(1)	7539.73	13259.42	-----	314 $\frac{1}{2}$ - 447 $\frac{1}{2}$	-05	31
20	6515.25	15344.36	-----	305 $\frac{1}{2}$ - 459 $\frac{1}{2}$	+02	--	5	7545.39	13249.47	-----	273 $\frac{1}{2}$ - 404 $\frac{1}{2}$	+01	--
7	6529.21	15311.56	-----	280 $\frac{1}{2}$ - 434 $\frac{1}{2}$	+03	--	30	7548.72	13243.62	-----	298 $\frac{1}{2}$ - 430 $\frac{1}{2}$	-02	--
10	6544.91	15274.82	-----	224 $\frac{1}{2}$ - 376 $\frac{1}{2}$	-01	--	6	7567.80	13210.24	-----	301 $\frac{1}{2}$ - 433 $\frac{1}{2}$	-04	--
8	6545.72	15272.93	-----	285 $\frac{1}{2}$ - 438 $\frac{1}{2}$	+05	--	300	7578.73	13191.18	-----	157 $\frac{1}{2}$ - 289 $\frac{1}{2}$	+05	--
4	6554.66	15252.10	-----	333 $\frac{1}{2}$ - 485 $\frac{1}{2}$	+04	--	10	7583.26	13183.30	-----	266 $\frac{1}{2}$ - 398 $\frac{1}{2}$	-02	--
10	6557.67	15245.11	-----	244 $\frac{1}{2}$ - 396 $\frac{1}{2}$	-01	--	(2)	7587.66	13175.66	-----	304 $\frac{1}{2}$ - 437 $\frac{1}{2}$	+06	31
70	6577.11	15200.04	-----	288 $\frac{1}{2}$ - 440 $\frac{1}{2}$	+01	--	100	7611.89	13133.71	-----	194 $\frac{1}{2}$ - 325 $\frac{1}{2}$	-03	--
100	6592.52	15164.51	-----	288 $\frac{1}{2}$ - 440 $\frac{1}{2}$	+02	--				-----	280 $\frac{1}{2}$ - 411 $\frac{1}{2}$	+12	--
250	6605.19	15135.43	-----	138 $\frac{1}{2}$ - 289 $\frac{1}{2}$	-00	29	(3)	7618.32	13122.64	-----	311 $\frac{1}{2}$ - 443 $\frac{1}{2}$	-01	31
4	6612.53	15118.62	-----	319 $\frac{1}{2}$ - 471 $\frac{1}{2}$	-01	--	200	7620.25	13119.31	-----	157 $\frac{1}{2}$ - 288 $\frac{1}{2}$	+01	--
100	6623.91	15092.65	-----	289 $\frac{1}{2}$ - 440 $\frac{1}{2}$	-01	--	400	7640.94	13083.79	-----	157 $\frac{1}{2}$ - 288 $\frac{1}{2}$	+03	--
30	6637.25	15062.32	-----	194 $\frac{1}{2}$ - 345 $\frac{1}{2}$	-04	--	7	7656.80	13056.68	-----	333 $\frac{1}{2}$ - 463 $\frac{1}{2}$	-00	--
200	6652.39	15028.03	-----	138 $\frac{1}{2}$ - 288 $\frac{1}{2}$	-03	--	2	7683.45	13011.39	-----	341 $\frac{1}{2}$ - 472 $\frac{1}{2}$	-07	--
5	6658.74	15013.70	-----	280 $\frac{1}{2}$ - 430 $\frac{1}{2}$	-03	--	3	7684.83	13009.06	-----	266 $\frac{1}{2}$ - 396 $\frac{1}{2}$	-03	--
20	6665.32	14998.89	-----	271 $\frac{1}{2}$ - 421 $\frac{1}{2}$	+04	--	10	7693.70	12994.06	-----	278 $\frac{1}{2}$ - 408 $\frac{1}{2}$	+02	--
8	6675.23	14976.51	-----	341 $\frac{1}{2}$ - 491 $\frac{1}{2}$	-02	--	30	7705.92	12973.46	-----	247 $\frac{1}{2}$ - 376 $\frac{1}{2}$	+02	--
20	6683.23	14958.57	-----	224 $\frac{1}{2}$ - 378 $\frac{1}{2}$	-01	--	2	7712.58	12962.26	-----	311 $\frac{1}{2}$ - 441 $\frac{1}{2}$	-07	31
7	6688.75	14946.34	-----	247 $\frac{1}{2}$ - 396 $\frac{1}{2}$	+04	--	(1)	7716.52	12955.64	-----	314 $\frac{1}{2}$ - 444 $\frac{1}{2}$	-01	--
10	6711.30	14896.13	-----	273 $\frac{1}{2}$ - 421 $\frac{1}{2}$	-05	--	30	7733.61	12927.01	-----	204 $\frac{1}{2}$ - 334 $\frac{1}{2}$	+01	--
2	6723.19	14869.77	-----	273 $\frac{1}{2}$ - 422 $\frac{1}{2}$	-03	--	(2)	7738.92	12918.14	-----	319 $\frac{1}{2}$ - 449 $\frac{1}{2}$	+02	31
3h	6723.55	14868.98	-----	273 $\frac{1}{2}$ - 422 $\frac{1}{2}$	-03	--	5	7743.08	12911.20	-----	285 $\frac{1}{2}$ - 414 $\frac{1}{2}$	+05	--
6	6724.98	14865.82	-----	285 $\frac{1}{2}$ - 434 $\frac{1}{2}$	+08	--	(2)	7781.21	12847.93	-----	314 $\frac{1}{2}$ - 443 $\frac{1}{2}$	-20	31
10	6761.19	14786.20	-----	204 $\frac{1}{2}$ - 352 $\frac{1}{2}$	-02	--				-----	263 $\frac{1}{2}$ - 391 $\frac{1}{2}$	+15	--
6	6799.59	14702.70	-----	271 $\frac{1}{2}$ - 418 $\frac{1}{2}$	-01	--	7	7789.75	12833.85	-----	332 $\frac{1}{2}$ - 464 $\frac{1}{2}$	-01	--
5	6801.66	14698.23	-----	306 $\frac{1}{2}$ - 453 $\frac{1}{2}$	-01	--	10	7789.96	12833.51	-----	197 $\frac{1}{2}$ - 325 $\frac{1}{2}$	-21	--
5	6805.35	14690.26	-----	261 $\frac{1}{2}$ - 408 $\frac{1}{2}$	-01	--	5	7794.67	12825.74	-----	338 $\frac{1}{2}$ - 466 $\frac{1}{2}$	+02	--
4	6811.37	14677.28	-----	311 $\frac{1}{2}$ - 458 $\frac{1}{2}$	-00	--	4	7801.05	12815.25	-----	304 $\frac{1}{2}$ - 434 $\frac{1}{2}$	-00	--
300	6813.41	14672.88	-----	261 $\frac{1}{2}$ - 408 $\frac{1}{2}$	-00	--	10	7828.13	12770.93	-----	285 $\frac{1}{2}$ - 413 $\frac{1}{2}$	+04	--
2	6816.41	14666.43	-----	142 $\frac{1}{2}$ - 288 $\frac{1}{2}$	+02	--	10	7844.14	12744.86	-----	217 $\frac{1}{2}$ - 345 $\frac{1}{2}$	+03	--
			(.154, .460)	324 $\frac{1}{2}$ - 471 $\frac{1}{2}$	-04	--	100	7869.62	12703.59	-----	171 $\frac{1}{2}$ - 398 $\frac{1}{2}$	-10	--
300	6829.90	14637.45	(.813, 1.111) $\frac{1}{2}$	319 $\frac{1}{2}$ - 466 $\frac{1}{2}$	-00	--	3	7880.78	12685.60	-----	197 $\frac{1}{2}$ - 324 $\frac{1}{2}$	+06	--
				142 $\frac{1}{2}$ - 288 $\frac{1}{2}$	+13	--	20	7882.11	12683.46	-----	272 $\frac{1}{2}$ - 399 $\frac{1}{2}$	+04	--
				275 $\frac{1}{2}$ - 421 $\frac{1}{2}$	+03	--	9	7888.90	12672.55	-----	273 $\frac{1}{2}$ - 399 $\frac{1}{2}$	+02	--
3H	6835.35	14625.78	-----	273 $\frac{1}{2}$ - 419 $\frac{1}{2}$	+01	--	40	7898.46	12657.21	-----	247 $\frac{1}{2}$ - 378 $\frac{1}{2}$	-00	--
5	6844.06	14607.17	-----	273 $\frac{1}{2}$ - 419 $\frac{1}{2}$	+01	--	400	7912.94	12634.04	-----	273 $\frac{1}{2}$ - 399 $\frac{1}{2}$	-12	--
5	6844.44	14606.36	-----	273 $\frac{1}{2}$ - 419 $\frac{1}{2}$	+01	--	20	7970.87	12542.23	-----	273 $\frac{1}{2}$ - 399 $\frac{1}{2}$	+10	--
8	6874.35	14542.81	-----	231 $\frac{1}{2}$ - 376 $\frac{1}{2}$	-04	--	30	7971.24	12541.65	-----	273 $\frac{1}{2}$ - 399 $\frac{1}{2}$	-00	--
3	6882.11	14526.41	-----	319 $\frac{1}{2}$ - 450 $\frac{1}{2}$	-00	--	10	7979.03	12529.39	-----	271 $\frac{1}{2}$ - 396 $\frac{1}{2}$	+06	--
3	6963.50	14356.63	-----	314 $\frac{1}{2}$ - 458 $\frac{1}{2}$	-01	--	300	7980.77	12526.66	-----	164 $\frac{1}{2}$ - 285 $\frac{1}{2}$	-01	--
8	6967.67	14348.04	-----	298 $\frac{1}{2}$ - 441 $\frac{1}{2}$	-03	--	4	8004.63	12489.33	-----	314 $\frac{1}{2}$ - 439 $\frac{1}{2}$	-03	--
200	6971.53	14340.10	-----	146 $\frac{1}{2}$ - 289 $\frac{1}{2}$	+01	--	4	8027.50	12453.74	-----	298 $\frac{1}{2}$ - 425 $\frac{1}{2}$	-07	--
2	6976.67	14329.54	-----	275 $\frac{1}{2}$ - 418 $\frac{1}{2}$	-03	--	10	8052.11	12415.68	-----	313 $\frac{1}{2}$ - 438 $\frac{1}{2}$	-03	--
20	6985.20	14312.02	-----	271 $\frac{1}{2}$ - 414 $\frac{1}{2}$	-03	--	30	8060.10	12403.37	-----	266 $\frac{1}{2}$ - 396 $\frac{1}{2}$	-12	--
150	7006.63	14298.26	-----	146 $\frac{1}{2}$ - 288 $\frac{1}{2}$	-12	--	5	8088.27	12360.19	-----	221 $\frac{1}{2}$ - 345 $\frac{1}{2}$	-02	--
5	7012.56	14256.20	-----	434 $\frac{1}{2}$ - 570 $\frac{1}{2}$	-06	--	(1)	8141.2	12279.8	-----	285 $\frac{1}{2}$ - 408 $\frac{1}{2}$	+1	31
200	7024.15	14232.66	-----	146 $\frac{1}{2}$ - 288 $\frac{1}{2}$	-06	--				-----	319 $\frac{1}{2}$ - 442 $\frac{1}{2}$	-01	--
(2)	7027.14	14226.61	-----	231 $\frac{1}{2}$ - 373 $\frac{1}{2}$	+05	23	6	8166.63	12241.58	-----	314 $\frac{1}{2}$ - 437 $\frac{1}{2}$	-00	--
10	7058.98	14163.92	-----	280 $\frac{1}{2}$ - 422 $\frac{1}{2}$	+01	--	3	8224.31	12155.73	-----	311 $\frac{1}{2}$ - 433 $\frac{1}{2}$	-04	--
6	7065.98	14160.43	-----	278 $\frac{1}{2}$ - 419 $\frac{1}{2}$	+03	--	2	8246.93	12122.38	-----	301 $\frac{1}{2}$ - 425 $\frac{1}{2}$	-24	--
3	7065.37	14149.59	-----	298 $\frac{1}{2}$ - 439 $\frac{1}{2}$	-01	--	2	8253.24	12113.12	-----	231 $\frac{1}{2}$ - 352 $\frac{1}{2}$	-01	--
10	7066.49	14147.43	-----	298 $\frac{1}{2}$ - 439 $\frac{1}{2}$	-01	--	(4)	8254.0	12112.0	-----	325 $\frac{1}{2}$ - 447 $\frac{1}{2}$	+3	31
(1)	7129.25	14022.85	-----	266 $\frac{1}{2}$ - 408 $\frac{1}{2}$	+07	30	(3)	8256.25	12108.71	-----	319 $\frac{1}{2}$ - 435 $\frac{1}{2}$	-03	31
(1)	7139.64	14002.45	-----	271 $\frac{1}{2}$ - 411 $\frac{1}{2}$	-11	23	(3)	8262.12	12099.22	-----	278 $\frac{1}{2}$ - 399 $\frac{1}{2}$	+12	--
10	7172.20	13938.87	-----	272 $\frac{1}{2}$ - 411 $\frac{1}{2}$	-04	--	(3)	8285.13	12066.50	-----	270 $\frac{1}{2}$ - 391 $\frac{1}{2}$	-10	31
4	7198.25	13888.44	-----	275 $\frac{1}{2}$ - 414 $\frac{1}{2}$	-04	--	20	8293.73	12053.98	-----	313 $\frac{1}{2}$ - 434 $\frac{1}{2}$	-02	--
20	7228.03	13831.22	-----	333 $\frac{1}{2}$ - 472 $\frac{1}{2}$	+01	--	20	8301.01	12043.41	-----	298 $\frac{1}{2}$ - 418 $\frac{1}{2}$	-06	--
3	7233.90	13820.00	-----	197 $\frac{1}{2}$ - 335 $\frac{1}{2}$	+01	--	(5)	8313.02	12026.02	-----	333 $\frac{1}{2}$ - 453 $\frac{1}{2}$	+02	31
41	7237.26	13813.56	-----	332 $\frac{1}{2}$ - 471 $\frac{1}{2}$	+03	--	3	8335.44	11993.67	-----	389 $\frac{1}{2}$ - 509 $\frac{1}{2}$	-07	--
150	7246.49	13795.97	-----	280 $\frac{1}{2}$ - 418 $\frac{1}{2}$	-02	--	2						

TABLE 2. Classified lines of Re I—Continued

Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes	Int.	λ_{vac}	σ_{vac}	Zeeman effect	Transition	O-C	Notes
	<i>A</i>	<i>K</i>						<i>A</i>	<i>K</i>				
1	8686.94	11508.36	-----	338 $\frac{1}{2}$ —4533 $\frac{1}{2}$	-.01	--	6	9749.66	10253.95	-----	231 $\frac{1}{2}$ —3340 $\frac{1}{2}$	+.03	--
20	8697.25	11494.72	-----	306 $\frac{1}{2}$ —421 $\frac{1}{2}$	-.01	--	4	9752.08	10251.41	-----	275 $\frac{1}{2}$ —3776 $\frac{1}{2}$	+.07	--
(2)	8715.7	11470.4	-----	319 $\frac{1}{2}$ —4345 $\frac{1}{2}$	+.1	31	20	9762.65	10240.30	-----	271 $\frac{1}{2}$ —3738 $\frac{1}{2}$	+.02	--
(6)	8721.64	11462.59	-----	3259 $\frac{1}{2}$ —4405 $\frac{1}{2}$	+.01	31	9	9831.35	10168.75	-----	224 $\frac{1}{2}$ —3259 $\frac{1}{2}$	-.05	--
3h	8750.44	11424.86	-----	319 $\frac{1}{2}$ —4340 $\frac{1}{2}$	-.02	--	20	9842.65	10157.07	-----	319 $\frac{1}{2}$ —4214 $\frac{1}{2}$.00	--
30	8797.70	11363.48	-----	298 $\frac{1}{2}$ —4116 $\frac{1}{2}$	-.05	--	15sd	9872.38	10126.48	-----	298 $\frac{1}{2}$ —3992 $\frac{1}{2}$	+.11	--
3	8845.23	11302.42	-----	285 $\frac{1}{2}$ —3984 $\frac{1}{2}$	-.20	--	1	9901.72	10096.48	-----	314 $\frac{1}{2}$ —4155 $\frac{1}{2}$	+.02	--
3	8851.32	11294.64	-----	3340 $\frac{1}{2}$ —4470 $\frac{1}{2}$.00	--	5	9903.30	10094.87	-----	244 $\frac{1}{2}$ —3453 $\frac{1}{2}$	+.02	--
1	8871.82	11268.54	-----	341 $\frac{1}{2}$ —4546 $\frac{1}{2}$	-.02	--	4	9908.97	10089.09	-----	4094 $\frac{1}{2}$ —5104 $\frac{1}{2}$	+.06	--
15	8882.95	11254.43	-----	266 $\frac{1}{2}$ —3791 $\frac{1}{2}$	-.01	--	1	9937.8	10059.9	-----	332 $\frac{1}{2}$ —4334 $\frac{1}{2}$	-.3	--
15	8886.58	11249.83	-----	261 $\frac{1}{2}$ —3738 $\frac{1}{2}$	-.01	--	20	9943.70	10053.85	-----	313 $\frac{1}{2}$ —4145 $\frac{1}{2}$	-.03	--
5	8927.28	11198.54	-----	306 $\frac{1}{2}$ —4184 $\frac{1}{2}$	+.02	--	200	9949.90	10047.59	-----	4094 $\frac{1}{2}$ —5099 $\frac{1}{2}$	-.03	--
7	8966.63	11149.40	-----	3984 $\frac{1}{2}$ —5099 $\frac{1}{2}$.00	--	3	9953.02	10044.44	-----	298 $\frac{1}{2}$ —3984 $\frac{1}{2}$	+.07	--
4	8969.21	11146.19	-----	341 $\frac{1}{2}$ —4534 $\frac{1}{2}$	+.10	--	60	9955.45	10041.99	-----	4094 $\frac{1}{2}$ —5098 $\frac{1}{2}$	+.05	--
2	8971.14	11143.79	-----	298 $\frac{1}{2}$ —4094 $\frac{1}{2}$	+.04	--	2	9964.90	10032.47	-----	4405 $\frac{1}{2}$ —5408 $\frac{1}{2}$	+.01	--
1	8983.55	11128.39	-----	3984 $\frac{1}{2}$ —5098 $\frac{1}{2}$	+.09	--	1	9970.87	10026.46	-----	4094 $\frac{1}{2}$ —5097 $\frac{1}{2}$	-.18	--
2	8988.40	11122.39	-----	3984 $\frac{1}{2}$ —5097 $\frac{1}{2}$	-.03	--	4	9976.45	10020.85	-----	224 $\frac{1}{2}$ —3244 $\frac{1}{2}$	+.07	--
1	8995.26	11113.91	-----	285 $\frac{1}{2}$ —3967 $\frac{1}{2}$.00	--	7	10019.21	9978.09	-----	311 $\frac{1}{2}$ —4116 $\frac{1}{2}$	+.26	--
1	9003.24	11104.06	-----	338 $\frac{1}{2}$ —4494 $\frac{1}{2}$	-.07	--	5	10026.96	9970.38	-----	278 $\frac{1}{2}$ —3779 $\frac{1}{2}$	+.08	--
1	9018.9	11084.75	-----	285 $\frac{1}{2}$ —3965 $\frac{1}{2}$	+.05	--	2	10064.02	9933.66	-----	305 $\frac{1}{2}$ —4049 $\frac{1}{2}$	+.23	--
3	9032.46	11068.14	-----	3992 $\frac{1}{2}$ —5103 $\frac{1}{2}$	+.08	--	1	10127.21	9871.68	-----	4116 $\frac{1}{2}$ —5104 $\frac{1}{2}$	-.03	--
3	9058.53	11036.28	-----	266 $\frac{1}{2}$ —3776 $\frac{1}{2}$	-.16	--	15	10128.78	9870.15	-----	298 $\frac{1}{2}$ —3967 $\frac{1}{2}$	+.01	--
4	9059.85	11034.67	-----	4818 $\frac{1}{2}$ —5926 $\frac{1}{2}$	+.16	--	2	10138.24	9860.94	-----	319 $\frac{1}{2}$ —4184 $\frac{1}{2}$	-.08	--
5	9070.74	11021.43	-----	311 $\frac{1}{2}$ —4225 $\frac{1}{2}$	+.03	--	1	10146.84	9852.59	-----	314 $\frac{1}{2}$ —4131 $\frac{1}{2}$	+.19	--
4	9081.45	11008.43	-----	266 $\frac{1}{2}$ —3769 $\frac{1}{2}$	+.05	--	100	10169.85	9830.29	-----	4116 $\frac{1}{2}$ —5099 $\frac{1}{2}$	+.05	--
2	9083.03	11006.52	-----	280 $\frac{1}{2}$ —3906 $\frac{1}{2}$	+.07	--	20	10175.68	9824.66	-----	4116 $\frac{1}{2}$ —5098 $\frac{1}{2}$	+.10	--
6	9144.86	10932.10	-----	298 $\frac{1}{2}$ —4082 $\frac{1}{2}$	-.02	--	1	10191.57	9809.35	-----	4116 $\frac{1}{2}$ —5097 $\frac{1}{2}$	+.09	--
2	9205.12	10860.53	-----	298 $\frac{1}{2}$ —4080 $\frac{1}{2}$	-.04	--	2	10201.86	9799.44	-----	4856 $\frac{1}{2}$ —5836 $\frac{1}{2}$	+.17	--
1	9220.40	10842.54	-----	275 $\frac{1}{2}$ —3852 $\frac{1}{2}$	+.09	--	20	10206.32	9795.16	-----	301 $\frac{1}{2}$ —3992 $\frac{1}{2}$	-.02	--
10	9250.02	10807.81	-----	261 $\frac{1}{2}$ —3706 $\frac{1}{2}$	+.02	--	4	10238.26	9764.60	-----	313 $\frac{1}{2}$ —4116 $\frac{1}{2}$	-.01	--
4	9262.28	10793.51	-----	4673 $\frac{1}{2}$ —5766 $\frac{1}{2}$	+.05	--	1	10242.68	9760.39	-----	311 $\frac{1}{2}$ —4094 $\frac{1}{2}$	-.06	--
15	9268.46	10786.32	-----	288 $\frac{1}{2}$ —3967 $\frac{1}{2}$	-.12	--	5	10282.46	9722.63	-----	4131 $\frac{1}{2}$ —5104 $\frac{1}{2}$	+.09	--
1	9298.07	10751.97	-----	244 $\frac{1}{2}$ —3526 $\frac{1}{2}$.00	--	4	10287.58	9717.80	-----	4131 $\frac{1}{2}$ —5103 $\frac{1}{2}$	+.09	--
1	9307.72	10740.82	-----	306 $\frac{1}{2}$ —4145 $\frac{1}{2}$	-.04	--	10	10332.55	9675.50	-----	4131 $\frac{1}{2}$ —5098 $\frac{1}{2}$	+.05	--
3	9325.90	10719.88	-----	314 $\frac{1}{2}$ —4225 $\frac{1}{2}$	-.06	--	1	10341.3	9667.4	-----	280 $\frac{1}{2}$ —3769 $\frac{1}{2}$	+.1	--
20	9363.13	10677.25	-----	304 $\frac{1}{2}$ —4131 $\frac{1}{2}$	-.10	--	4	10349.0	9660.16	-----	4131 $\frac{1}{2}$ —5097 $\frac{1}{2}$	+.01	--
2	9370.87	10668.44	-----	341 $\frac{1}{2}$ —4494 $\frac{1}{2}$	+.12	--	10	10464.25	9553.73	-----	278 $\frac{1}{2}$ —3738 $\frac{1}{2}$	-.03	--
10	9380.24	10657.78	-----	313 $\frac{1}{2}$ —4214 $\frac{1}{2}$	+.06	--	20	10556.54	9470.21	-----	319 $\frac{1}{2}$ —4145 $\frac{1}{2}$	+.02	--
2	9391.12	10645.43	-----	266 $\frac{1}{2}$ —3738 $\frac{1}{2}$	-.10	--	2	10593.74	9436.95	-----	231 $\frac{1}{2}$ —3259 $\frac{1}{2}$	+.13	--
15	9423.45	10608.90	-----	301 $\frac{1}{2}$ —4080 $\frac{1}{2}$	-.03	--	8	10599.31	9432.00	-----	194 $\frac{1}{2}$ —2888 $\frac{1}{2}$	+.17	--
3	9427.53	10604.31	-----	332 $\frac{1}{2}$ —4394 $\frac{1}{2}$	+.11	--	40	10618.45	9414.99	-----	142 $\frac{1}{2}$ —2369 $\frac{1}{2}$	+.03	--
30	9470.15	10556.59	-----	311 $\frac{1}{2}$ —4184 $\frac{1}{2}$	+.01	--	8	10625.57	9408.68	-----	324 $\frac{1}{2}$ —4184 $\frac{1}{2}$	-.03	--
1	9481.6	10543.85	-----	3340 $\frac{1}{2}$ —4405 $\frac{1}{2}$	-.05	--	100	10639.45	9396.40	-----	194 $\frac{1}{2}$ —2885 $\frac{1}{2}$	+.11	--
8	9500.49	10522.88	-----	324 $\frac{1}{2}$ —4304 $\frac{1}{2}$	+.02	--	10	10624.22	9236.01	-----	278 $\frac{1}{2}$ —3706 $\frac{1}{2}$	+.01	--
3	9504.34	10518.62	-----	272 $\frac{1}{2}$ —3776 $\frac{1}{2}$	+.01	--	10	10662.25	9203.67	-----	197 $\frac{1}{2}$ —2896 $\frac{1}{2}$	+.03	--
6	9571.75	10444.54	-----	271 $\frac{1}{2}$ —3769 $\frac{1}{2}$	+.06	--	1	10909.5	9163.8	-----	244 $\frac{1}{2}$ —3558 $\frac{1}{2}$	+.1	--
8	9581.12	10434.32	-----	247 $\frac{1}{2}$ —3526 $\frac{1}{2}$	+.13	--	1	10919.30	9155.59	-----	285 $\frac{1}{2}$ —3769 $\frac{1}{2}$	+.06	--
1	9600.98	10412.75	-----	285 $\frac{1}{2}$ —3906 $\frac{1}{2}$	+.09	--	2	10933.44	9143.74	-----	304 $\frac{1}{2}$ —3967 $\frac{1}{2}$	-.18	--
3	9704.94	10301.20	-----	306 $\frac{1}{2}$ —4116 $\frac{1}{2}$	+.04	--	3	10942.23	9136.40	-----	261 $\frac{1}{2}$ —3526 $\frac{1}{2}$	+.03	--
50	9710.52	10295.28	-----	313 $\frac{1}{2}$ —4184 $\frac{1}{2}$	-.01	--	2	11065.02	9035.02	-----	4470 $\frac{1}{2}$ —5373 $\frac{1}{2}$	-.07	--
4	9722.76	10282.32	-----	231 $\frac{1}{2}$ —3358 $\frac{1}{2}$	+.01	--	1	11141.90	8972.67	-----	5035 $\frac{1}{2}$ —5939 $\frac{1}{2}$	-.04	--
3	9748.60	10255.07	-----	273 $\frac{1}{2}$ —3779 $\frac{1}{2}$.00	--	4	11309.97	8839.33	-----	325 $\frac{1}{2}$ —4225 $\frac{1}{2}$	+.13	--
			-----	306 $\frac{1}{2}$ —4094 $\frac{1}{2}$.00	--	8	11383.70	8782.08	-----	285 $\frac{1}{2}$ —3738 $\frac{1}{2}$	+.05	--
			-----	304 $\frac{1}{2}$ —4082 $\frac{1}{2}$	+.05	--	1	11453.12	8728.85	-----	271 $\frac{1}{2}$ —3592 $\frac{1}{2}$	+.19	--
			-----	304 $\frac{1}{2}$ —4080 $\frac{1}{2}$	+.07	--	1	11615.8	8606.6	-----	324 $\frac{1}{2}$ —4116 $\frac{1}{2}$	+.08	--
			-----	288 $\frac{1}{2}$ —3906 $\frac{1}{2}$	+.02	--				-----	266 $\frac{1}{2}$ —3526 $\frac{1}{2}$	+.1	--

NOTES

1. Wavelength and intensity taken from R. Velasco, *Anales real soc. espan. fis. y quim.* Madrid **48**, 55 (1952).
2. From here (unless stated otherwise), all wavelengths and intensities have been taken from W. F. Meggers, *J. Research NBS* **49**, 187 (1952) RP2355; the intensities apply to the arc observations, and all details concerning line complexity due to hyperfine structure have been omitted.
3. Wavelength and intensity taken from MIT Wavelength Tables.
4. Observed only in spark by Meggers, but according to the MIT Wavelength Tables, the line belongs to the arc spectrum. The intensity given applies to the spark.
5. Enhanced in spark.
6. The indicated self-reversal is an apparent one. The analysis shows that actually a close doublet is formed by two different transitions.
7. Intensity from spark spectrum; not observed in the arc.
8. The wavelength given in the MIT Wavelength Tables fits appreciably better to the combination given (departure 0.3 K); the observed σ -component is in harmony with classification, the observed π -component is only badly accounted for.
9. Observed Zeeman effect in agreement only with second transition.
10. Observed π -pattern in disagreement with classification.
11. Observed σ -pattern in disagreement with classification.
12. σ -pattern perturbed.
13. Wavelength and intensity taken from spark observations made at the Zeeman Laboratory.
14. Probably there is a second line at this place.
15. The π -pattern and the strongest σ -component observed are in disagreement with classification.
16. Observed Zeeman effect in agreement with both transitions.

17. Paschen-Back interaction between levels 4080 and 4081.
18. Paschen-Back interaction between levels 5034 and 5035.
19. Observed Zeeman effect not consistent with classification.
20. Zeeman effect suggests that levels 273' and 273'' are hyperfine components of the same level.
21. Paschen-Back interaction between levels 5103 and 5104.
22. Observed Zeeman effect in agreement only with first transition.
23. Wavelength and intensity taken from W. F. Meggers, *BS J. Research* **6**, 1027 (1931) RP322.
24. In the MIT Wavelength Tables only one line is recorded with a wavelength intermediate between the two wavelengths given in Meggers' 1952 paper. The doubling is probably caused by hyperfine structure.
25. π -pattern in agreement with first combination. For the second combination no g -values are known.
26. Paschen-Back effect.
27. Apparent doubling caused by hyperfine structure; comp. note 24.
28. In the MIT Wavelength Tables, only one line is recorded here. The doubling is a common feature of the combinations of 4470 $\frac{1}{2}$ ($=5d^3 6s 7s$) $^6S_{5/2}$; see text.
29. Wavelength taken from Meggers' 1931 paper. The MIT Wavelength Tables also give a single line, whereas in Meggers' 1952 table two lines (with intensities 150 and 100) have been recorded which are situated at approximately equal distances from the calculated position. The doubling may be due to hyperfine structure.
30. Wavelength and intensity taken from the MIT Wavelength Tables. Meggers' 1931 table gives a single line also, whereas in his 1952 table a doublet is recorded, just as for 6605 A (see note 29).
31. Wavelength and intensity taken from W. F. Meggers, *BS J. Research* **10**, 757 (1933) RP564.

TABLE 3. *Unclassified Re I lines of intensity 50 or more*

Intensity	Wavelength	Intensity	Wavelength
	\AA		\AA
50r	2077. 280	100R	2344. 776
100R	2109. 22	50r	2365. 316
50	2187. 77	100r	2388. 569
50	2196. 72	50	2397. 31
50	2205. 15	100r	2404. 340
300r	2214. 58	60r	2406. 695
50	2226. 87	50r	2431. 538
50	2242. 66	100	2444. 09
50	2249. 51	50R	2611. 536
50	2253. 94	60	2722. 206
50	2271. 04	50	2982. 188
50	2285. 30	50	4251. 35
50	2290. 715	100	6751. 22

TABLE 4. *Electron configurations and spectral terms of Re I*

Config.	Desig.	J	Level	Interval	Obs. g	Config.	Desig.	J	Level	Interval	Obs. g
$5d^5 6s^2$	a^6S	$2\frac{1}{2}$	0. 00		1. 950	$5d^4 6s^2(a^5D)6p$	z^6D°	$0\frac{1}{2}$	32447. 61		
$5d^5 6s^2$	a^4P	$2\frac{1}{2}$	11583. 96	-2242. 16	1. 278			$1\frac{1}{2}$	32591. 63	148. 02	1. 762
		$1\frac{1}{2}$	13826. 12	-1339. 77	1. 485			$2\frac{1}{2}$	33408. 73	817. 10	1. 500
		$0\frac{1}{2}$	15165. 89		2. 368			$3\frac{1}{2}$	34520. 25	1111. 52	1. 454
$5d^6(^3D)6s$	a^6D	$4\frac{1}{2}$	11754. 52	-2462. 34	1. 545	$5d^5(^3G)6s$	b^5G°	$2\frac{1}{2}$	35923. 02		1. 440
		$3\frac{1}{2}$	14216. 86	-1553. 56	1. 567			$3\frac{1}{2}$	33281. 65	542. 01	
		$2\frac{1}{2}$	15770. 42	-557. 09	1. 309			$4\frac{1}{2}$	33823. 66	370. 61	
		$1\frac{1}{2}$	16327. 51	-910. 79	1. 706			$5\frac{1}{2}$	34194. 27	-876. 70	
		$0\frac{1}{2}$	17238. 30		2. 521				33317. 57		
$5d^5 6s^2$	a^4G	$2\frac{1}{2}$	14621. 46	436. 73	1. 151	$5d^4 6s^2(^3D)6p$	y^6P°	$1\frac{1}{2}$	35589. 12		2. 335
		$3\frac{1}{2}$	15058. 19	1561. 09	1. 153			$2\frac{1}{2}$			
		$4\frac{1}{2}$	16619. 28	-312. 13	1. 175			$3\frac{1}{2}$			
		$5\frac{1}{2}$	16307. 15		1. 242	$5d^5 6s(a^5S)6p$	z^4P°	$2\frac{1}{2}$	35267. 94	-2647. 93	1. 385
$5d^5 6s^2$	a^4D	$3\frac{1}{2}$	17330. 82	-2127. 07	1. 255			$1\frac{1}{2}$	37915. 87	117. 92	1. 495
		$2\frac{1}{2}$	19457. 89	-1023. 84	1. 361			$0\frac{1}{2}$	37797. 95		2. 620
		$1\frac{1}{2}$	20481. 73		1. 451	$5d^5 6s(a^5G)6p$	z^6G°	$1\frac{1}{2}$	37063. 65		0. 626
		$0\frac{1}{2}$	19757. 91	723. 82	0. 983			$2\frac{1}{2}$	37381. 41	317. 76	. 990
$5d^5 6s(a^7S)6p$	z^8P°	$2\frac{1}{2}$	18950. 1	1497. 7	2. 274			$3\frac{1}{2}$	38520. 74	1139. 33	1. 216
		$3\frac{1}{2}$	20447. 8		1. 926			$4\frac{1}{2}$	38994. 73	473. 99	1. 25
		$4\frac{1}{2}$	23631. 82		1. 768			$5\frac{1}{2}$	39916. 39	921. 66	1. 314
$5d^5 6s^2$	a^2F	$3\frac{1}{2}$	21775. 40	-2650. 00	1. 135	$5d^4 6s^2(a^5D)6p$	z^6F°	$0\frac{1}{2}$	40493. 34		1. 364
		$2\frac{1}{2}$	24425. 40		1. 067			$1\frac{1}{2}$	37381. 41	2545. 34	0. 745
$5d^5 6s^2$	a^2G	$4\frac{1}{2}$	22160. 04	-2564. 18	1. 198			$2\frac{1}{2}$	39926. 75	-861. 83	1. 335
		$3\frac{1}{2}$	24724. 22		1. 03			$3\frac{1}{2}$	39064. 92	-1299. 27	1. 335
$5d^5 6s^2$	a^2D	$1\frac{1}{2}$	22422. 83		0. 781			$4\frac{1}{2}$	37765. 65	1890. 34	1. 444
		$2\frac{1}{2}$	23154. 81	731. 98	1. 189			$5\frac{1}{2}$	39655. 99	-459. 25	1. 405
$5d^5 6s^2$	a^2I	$5\frac{1}{2}$	23956. 00		0. 995			$2\frac{1}{2}$	39196. 74		1. 219
		$6\frac{1}{2}$	26348. 96	2392. 96	1. 100	$5d^5 6s(a^5S)6p$	x^6P°	$3\frac{1}{2}$	37697. 66		1. 107
$5d^5 6s^2$	a^4F	$1\frac{1}{2}$	26131. 57	1898. 75	0. 650			$2\frac{1}{2}$	39670. 52		1. 223
		$2\frac{1}{2}$	28030. 32	511. 81	1. 12			$1\frac{1}{2}$	39844. 75	-3724. 61	1. 504
		$3\frac{1}{2}$	28542. 13	-1027. 82	1. 13			$0\frac{1}{2}$	43569. 56	-132. 84	1. 962
$5d^6(^3P)6s$	b^4P	$2\frac{1}{2}$	26661. 43	-3865. 17	1. 32			$1\frac{1}{2}$	43703. 20		1. 351
		$1\frac{1}{2}$	30526. 60			$5d^5 6s(a^5P)6p$	y^6D°	$2\frac{1}{2}$	40808. 85		1. 126
		$0\frac{1}{2}$						$0\frac{1}{2}$	40810. 17		
$5d^6(^3H)6s$	a^4H	$6\frac{1}{2}$	27130. 14	113. 74	1. 208			$3\frac{1}{2}$	40821. 83		
		$5\frac{1}{2}$	27243. 88	82. 53	1. 18			$4\frac{1}{2}$	40946. 53	-366. 49	1. 534
		$4\frac{1}{2}$	27161. 35	1648. 52	0. 93			$1\frac{1}{2}$	41315. 02	-244. 06	1. 278
		$3\frac{1}{2}$	28809. 87					$0\frac{1}{2}$	41557. 08		1. 655
$5d^6(^3D)6s$	b^4D	$3\frac{1}{2}$	27141. 13	-2659. 25	1. 34			$3\frac{1}{2}$	41163. 91		1. 325
		$2\frac{1}{2}$	29800. 38	1972. 73	0. 888			$4\frac{1}{2}$	41453. 18		1. 372
		$1\frac{1}{2}$	27827. 65	442. 85	. 072	$5d^5 6s(a^5P)6p$	z^4D°	$0\frac{1}{2}$	41843. 85		1. 190
		$0\frac{1}{2}$	27384. 80					$1\frac{1}{2}$	41991. 56	262. 63	0. 61
$5d^5 6s(a^7S)6p$	z^6P°	$3\frac{1}{2}$	28889. 72	35. 54	1. 709			$1\frac{1}{2}$	42254. 19	789. 83	1. 578
		$2\frac{1}{2}$	28854. 18	-107. 37	1. 871			$2\frac{1}{2}$	43044. 02	363. 85	1. 449
		$1\frac{1}{2}$	28961. 55		2. 333			$3\frac{1}{2}$	43407. 87		1. 368
$5d^5 6s^2$	a^2S	$0\frac{1}{2}$	30131. 57					$4\frac{1}{2}$	42140. 06		1. 249
$5d^5 6s^2$	a^2H	$5\frac{1}{2}$	30559. 91	-839. 39	1. 07	$5d^5 6s(a^7S)7s$	e^8S	$3\frac{1}{2}$	42598. 27		1. 957
		$4\frac{1}{2}$	31399. 30					$1\frac{1}{2}$	43341. 85		0. 975
$5d^6(^3F)6s$	b^4F	$1\frac{1}{2}$	31460. 62	-274. 54	1. 17			$1\frac{1}{2}$	43409. 11		
		$2\frac{1}{2}$	31186. 08					$4\frac{1}{2}$	43453. 30		1. 336
		$3\frac{1}{2}$						$3\frac{1}{2}$	43815. 01		1. 348
		$4\frac{1}{2}$	30645. 33					$2\frac{1}{2}$	43949. 98		1. 385
$5d^5 6s^2$	b^2F	$3\frac{1}{2}$	31982. 99	-452. 15				$5\frac{1}{2}$	43996. 30		1. 26
		$2\frac{1}{2}$	32435. 14					$2\frac{1}{2}$	44054. 21		
								$1\frac{1}{2}$	44148. 45		1. 573

TABLE 4. *Electron configurations and spectral terms of Re I—Continued*

Config.	Desig.	<i>J</i>	Level	Interval	Obs. <i>g</i>	Config.	Desig.	<i>J</i>	Level	Interval	Obs. <i>g</i>
$5d^3 6s(a^7S)7s$	e^6S	$4\frac{1}{2}$	44224.58		1.244	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	51955.02		1.200
		$2\frac{1}{2}$	44208.73		1.223			$4\frac{1}{2}$	52001.37		1.357
		$0\frac{1}{2}$	44416.33		0.15			$6\frac{1}{2}$	52122.35		1.17
		$2\frac{1}{2}$	44703.37		1.866			$2\frac{1}{2}$	52218.11		1.208
		$1\frac{1}{2}$	44720.09		1.330			$6\frac{1}{2}$	52227.20		1.422
		$3\frac{1}{2}$	44901.15		1.253			$1\frac{1}{2}$	52278.28		1.315
		$2\frac{1}{2}$	44902.60					$3\frac{1}{2}$	52373.12		
		$3\frac{1}{2}$	44946.12		0.905			$0\frac{1}{2}$	52469.45		
		$1\frac{1}{2}$	45082.63		1.40			$2\frac{1}{2}$	52472.31		
		$4\frac{1}{2}$	46374.55	—1291.62	1.341			$3\frac{1}{2}$	52610.01		
$5d^3(^3D)6p$	y^6F^o	$3\frac{1}{2}$	47932.55	—1558.30	1.31	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	52741.30		1.30
		$2\frac{1}{2}$	49022.77	—1090.22	1.495			$3\frac{1}{2}$	52857.44		1.05
		$1\frac{1}{2}$	49667.25	—644.48	1.27			$1\frac{1}{2}$	52881.34		1.14
		$0\frac{1}{2}$	49859.53	—192.28	0.410			$1\frac{1}{2}$	52951.59		
		$1\frac{1}{2}$	45121.81		.674			$1\frac{1}{2}$	52954.46		
		$2\frac{1}{2}$	45332.03		1.088			$2\frac{1}{2}$	53058.74		1.184
		$4\frac{1}{2}$	45343.57		1.131			$0\frac{1}{2}$	53125.19		1.145
		$3\frac{1}{2}$	45462.83		1.300			$0\frac{1}{2}$	53288.28		1.372
		$0\frac{1}{2}$	45817.26		2.197			$1\frac{1}{2}$	53293.72		1.323
		$1\frac{1}{2}$	45876.34		1.384			$4\frac{1}{2}$	53320.95		1.38
$5d^3 6s(a^7S)7s$	e^6S	$5\frac{1}{2}$	45904.25		1.175	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	53335.94		1.290
		$3\frac{1}{2}$	45937.18		1.298			$4\frac{1}{2}$	53379.35		1.09
		$2\frac{1}{2}$	46112.24		1.405			$2\frac{1}{2}$	53389.73		1.19
		$0\frac{1}{2}$	46141.11		0.716			$3\frac{1}{2}$	53467.57		1.20
		$3\frac{1}{2}$	46352.99		1.271			$3\frac{1}{2}$	53738.46		1.203
		$2\frac{1}{2}$	46509.40		1.371			$1\frac{1}{2}$	53842.53		1.169
		$2\frac{1}{2}$	46649.42		1.334			$0\frac{1}{2}$	53928.90		1.113
		$1\frac{1}{2}$	46733.58		1.858			$5\frac{1}{2}$	53948.73		1.13
		$1\frac{1}{2}$	47004.34		1.285			$3\frac{1}{2}$	54018.19		0.723
		$2\frac{1}{2}$	47101.61		0.893			$3\frac{1}{2}$	54086.69		1.22
$5d^3 6s(a^7S)7s$	e^6S	$1\frac{1}{2}$	47172.1		2.215			$3\frac{1}{2}$	54177.25		1.270
		$0\frac{1}{2}$	47172.9		1.106			$2\frac{1}{2}$	54268.18		1.290
		$4\frac{1}{2}$	47205.73		1.151			$1\frac{1}{2}$	54409.61		1.069
		$3\frac{1}{2}$	47358.36		1.26			$1\frac{1}{2}$	54467.40		1.361
		$6\frac{1}{2}$	47506.79		1.50			$3\frac{1}{2}$	54513.84		
		$0\frac{1}{2}$	47664.74		1.196			$5\frac{1}{2}$	54554.61		
		$3\frac{1}{2}$	47669.01		1.443			$6\frac{1}{2}$	54729.52		1.185
		$1\frac{1}{2}$	47703.78		1.362			$4\frac{1}{2}$	54813.12		1.183
		$1\frac{1}{2}$	47779.91		1.20			$2\frac{1}{2}$	54823.02		1.314
		$5\frac{1}{2}$	47859.93		1.217			$0\frac{1}{2}$	54968.85		1.149
$5d^3 6s(a^7S)7s$	e^6S	$2\frac{1}{2}$	47899.22		1.169			$5\frac{1}{2}$	55223.85		1.17
		$2\frac{1}{2}$	47970.82		1.252			$3\frac{1}{2}$	55223.85		1.056
		$3\frac{1}{2}$	48184.20		1.27			$3\frac{1}{2}$	55454.48		1.22
		$5\frac{1}{2}$	48569.63		1.53			$6\frac{1}{2}$	55776.51		0.447
		$3\frac{1}{2}$	48786.35		1.24			$3\frac{1}{2}$	55901.20		1.06
		$3\frac{1}{2}$	48857.60		1.499			$1\frac{1}{2}$	55902.01		
		$4\frac{1}{2}$	49027.85		1.135			$4\frac{1}{2}$	55912.42		
		$1\frac{1}{2}$	49170.76		1.263			$4\frac{1}{2}$	55912.42		
		$5\frac{1}{2}$	49250.02		1.075			$4\frac{1}{2}$	56307.97		
		$2\frac{1}{2}$	49286.07		1.344			$4\frac{1}{2}$	56411.22		
$5d^3 6s(a^7S)7s$	e^6S	$2\frac{1}{2}$	49540.96		1.058	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	56523.41		1.287
		$4\frac{1}{2}$	49573.11		1.175			$0\frac{1}{2}$	56523.41		1.25
		$3\frac{1}{2}$	49582.61		1.989			$0\frac{1}{2}$	56451.87		
		$2\frac{1}{2}$	49863.22		1.765			$3\frac{1}{2}$	56699.41		
		$1\frac{1}{2}$	49895.57		1.422			$2\frac{1}{2}$	56822.75		0.479
		$2\frac{1}{2}$	50110.28		1.345			$1\frac{1}{2}$	56866.06		.94
		$2\frac{1}{2}$	50158.87		1.234			$0\frac{1}{2}$	57073.31		
		$4\frac{1}{2}$	50196.94		1.170			$3\frac{1}{2}$	57090.29		1.19
		$1\frac{1}{2}$	50263.22					$3\frac{1}{2}$	57172.70		1.19
		$3\frac{1}{2}$	50310.70					$4\frac{1}{2}$	57280.86		
$5d^3 6s(a^7S)7s$	e^6S	$1\frac{1}{2}$	50332.60	8.02	2.027	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	57371.75		1.30
		$2\frac{1}{2}$	50340.62	18.61	1.820			$5\frac{1}{2}$	57391.44		
		$3\frac{1}{2}$	50359.23	36.49	1.690			$6\frac{1}{2}$	57452.83		1.40
		$4\frac{1}{2}$	50395.72	68.62	1.629			$2\frac{1}{2}$	57524.31		1.19
		$5\frac{1}{2}$	50464.34					$4\frac{1}{2}$	57656.85		
		$4\frac{1}{2}$	50401.01		1.055			$0\frac{1}{2}$	57665.43	1603.27	
		$2\frac{1}{2}$	50463.80		1.144			$1\frac{1}{2}$	59268.70	—1208.06	308.26
		$1\frac{1}{2}$	50571.02		0.935			$2\frac{1}{2}$	59268.70		
		$5\frac{1}{2}$	50663.51		1.220			$3\frac{1}{2}$	59368.90		
		$3\frac{1}{2}$	50869.00		1.240			$4\frac{1}{2}$	59368.90		
$5d^3 6s(a^7S)6d$	e^6D	$2\frac{1}{2}$	50934.18		1.385	$5d^3 6s(a^7S)8s$	8S	$3\frac{1}{2}$	59412.46		1.15
		$2\frac{1}{2}$	50973.17		1.489			$3\frac{1}{2}$	59784.67		1.100
		$4\frac{1}{2}$	50994.15	5.68	1.548			$3\frac{1}{2}$	59926.91		
		$3\frac{1}{2}$	50988.47	—147.09	1.558			$2\frac{1}{2}$	60737.28		1.22
		$2\frac{1}{2}$	51035.56	4.83	1.546			$2\frac{1}{2}$	60837.10		
		$1\frac{1}{2}$	51030.73	—19.14				$5\frac{1}{2}$	62142.97		
		$0\frac{1}{2}$	51049.87					$3\frac{1}{2}$	62350.13		1.17
		$4\frac{1}{2}$	51027.96		1.456			$3\frac{1}{2}$	62493.51		1.135
		$1\frac{1}{2}$	51183.00					$5\frac{1}{2}$	63267.63		
		$4\frac{1}{2}$	51193.49		1.231	$(^7S_3)$	<i>Limit</i> -----		63530.		
$5d^3 6s(a^7S)6d$	e^6D	$3\frac{1}{2}$	51229.64		0.97			$6\frac{1}{2}$	63772.40		1.07
		$2\frac{1}{2}$	51477.15		1.20			$6\frac{1}{2}$	63934.76		
		$4\frac{1}{2}$	51486.29		0.92						
		$1\frac{1}{2}$	51578.05		1.02						
		$2\frac{1}{2}$	51590.08		1.139						
		$3\frac{1}{2}$	51647.82		1.29						
		$1\frac{1}{2}$	51874.43								
		$5\frac{1}{2}$	51945.94								
		$4\frac{1}{2}$	51945.94								

WASHINGTON, January 23, 1957.